

# **Direct and Indirect Effects of New High Speed Rail Service:**

An Empirical analysis Using Japanese Mobile Phone Location Data

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IVT – Seminar | Big data: Results from Japan

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# Hokuriku High Speed Rail (HSR)



## New Hokuriku HSR

- Operation start date: 14th Mar. 2015
- Tokyo ↔ Kanazawa (450 km)  
3h. 50 min. → 2h. 30min. (**- 80 min. !**)

# Observing the effects of new Hokuriku HSR

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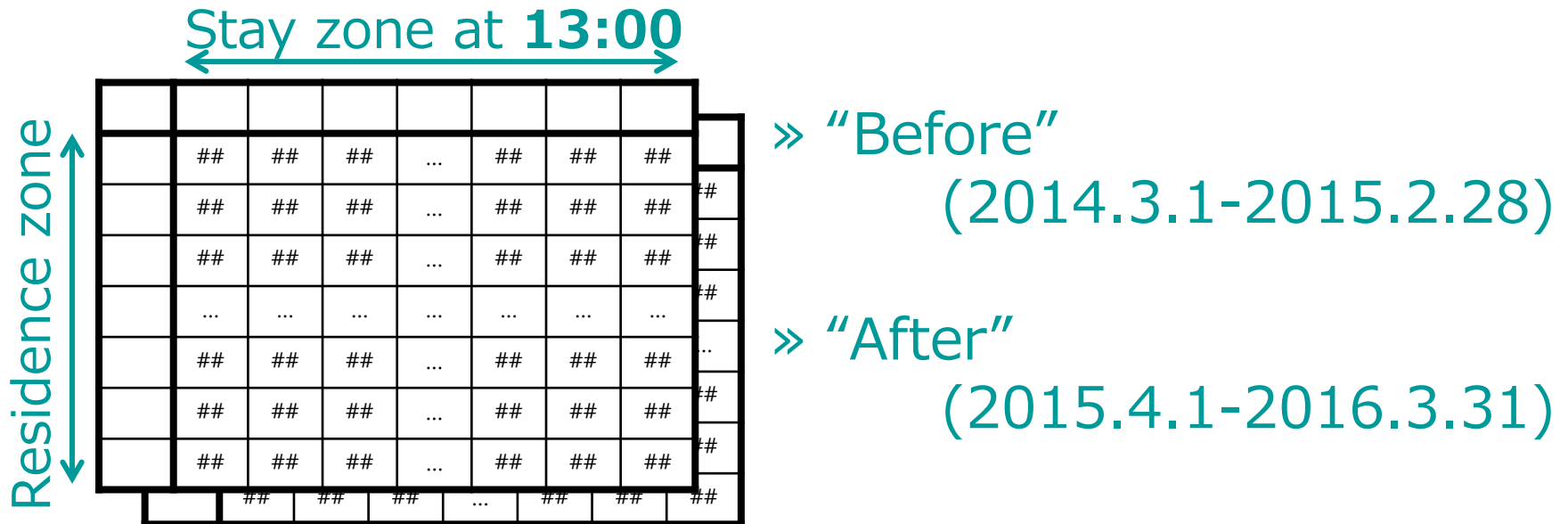
- New HSR reduce the travel time greatly.
    - expected to significantly change the travel patterns.
      - Ex. realizing of latent demand,  
changing travel destination, ...
  - **Mobile phone location data**
    - ✓ Whole nation-wide population distribution
    - ✓ Data at arbitrary points in time
- enable us to analyze  
the accurate change of nation-wide travel patterns.

**Question:** How did Hokuriku HSR change  
the Japanese long-distance travel pattern?

# Data: Mobile Space Statistics by NTT-Docomo

Residence – Stay zone estimated population (**stock**) matrices

- 50 × 50 zone (prefectural size)
- estimated the data of 70 million mobile phones
- **Average value for one year**  
(before and after the HSR operation start)



# Basic aggregation of MSS data (1)

	(1) Before <u>14.3.1 ~ 15.2.28</u>	(2) After <u>15.4.1 ~ 16.3.31</u>	(2) - (1) ((2) / (1))
<b>Tokyo →Kanazawa</b>	3,311	5,200	+1,890 (×1.57)
<b>Kanazawa →Tokyo</b>	3,452	3,903	+450 (×1.13)

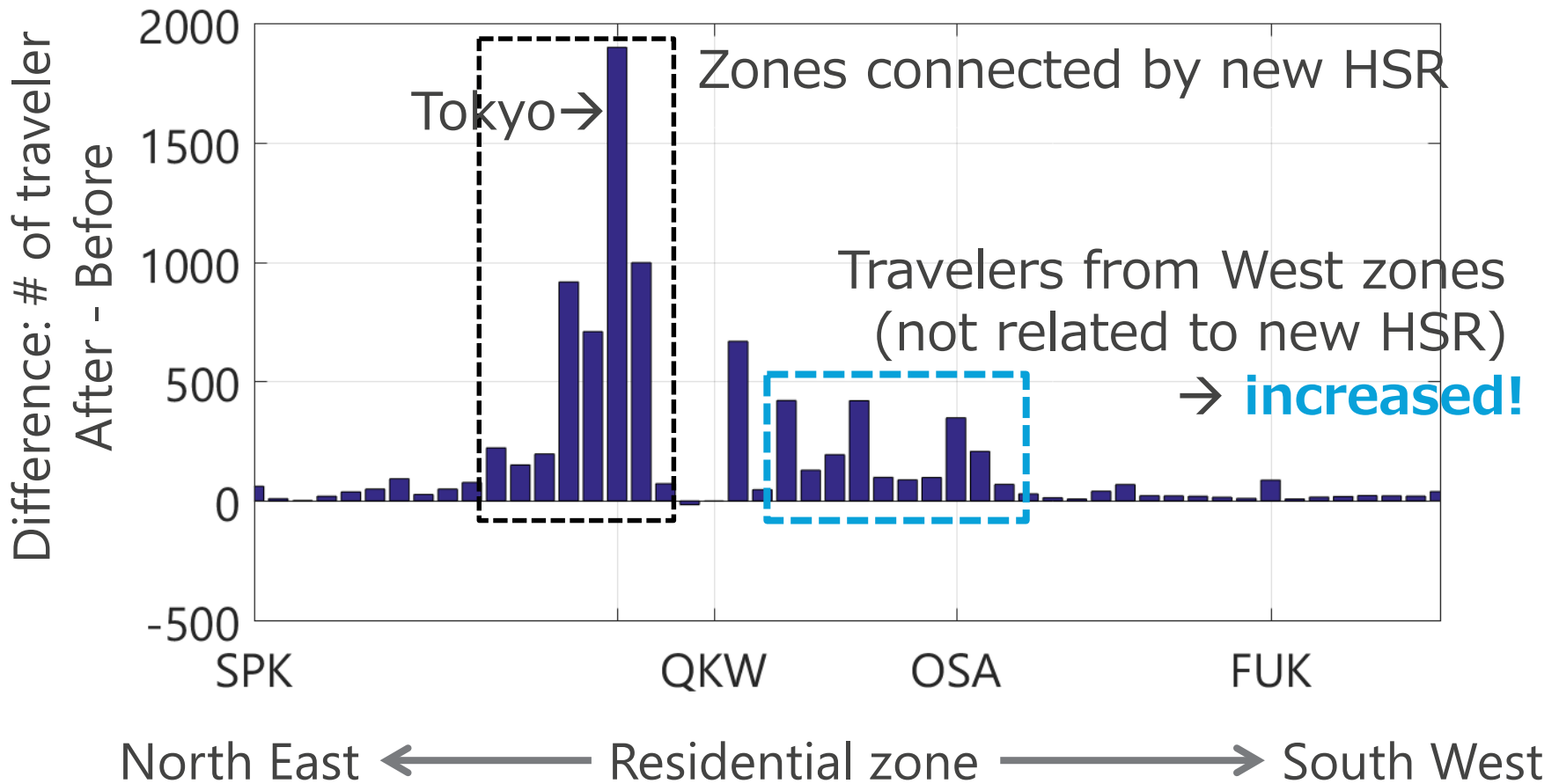
## Asymmetric Increase

Effects on Tokyo Residents

» Effects on Kanazawa Residents

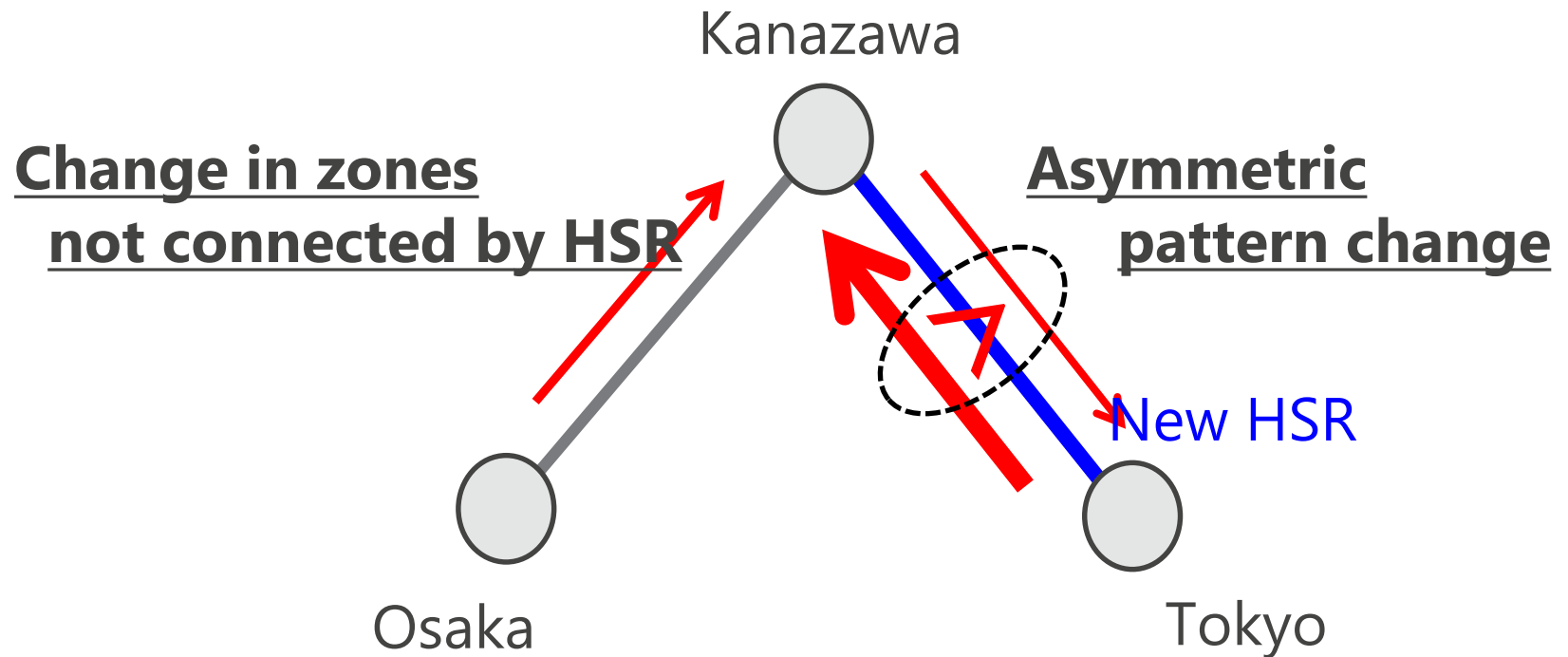
# Basic aggregation of MSS data (2)

## Change in # of traveler to Kanazawa (QKW) :



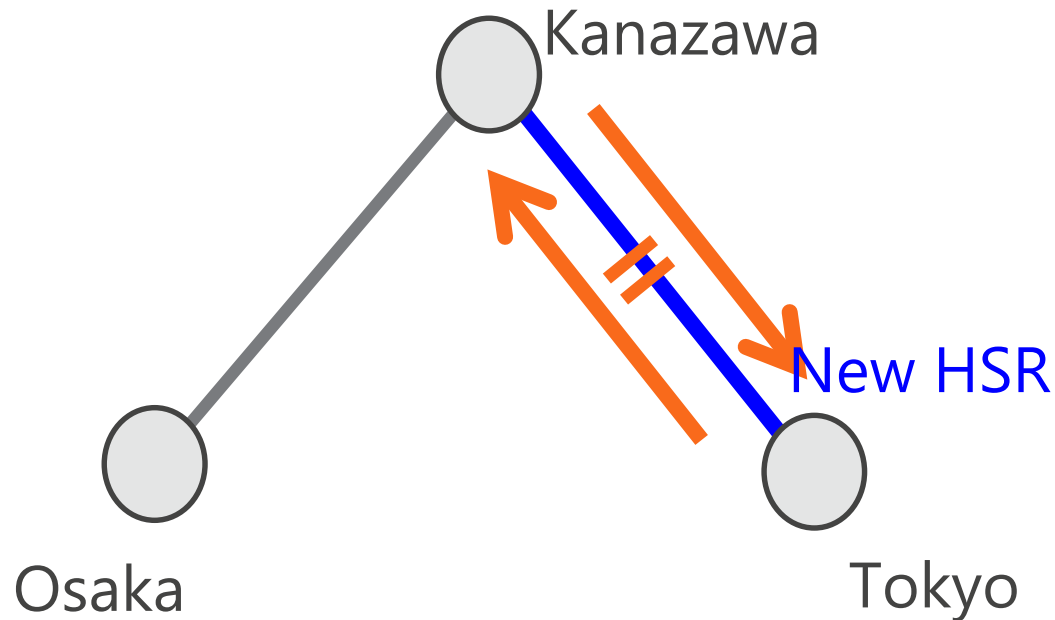
# Summary of basic aggregation:

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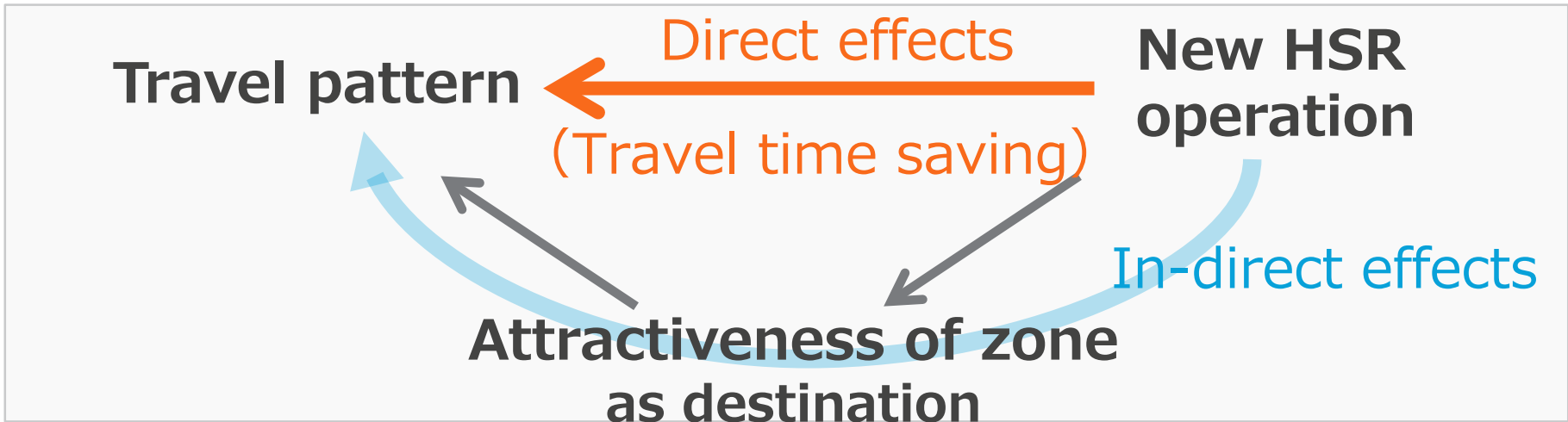


# Expected effects of travel time savings



- Symmetric (travel time are similar among directions)
  - Limited in the HSR users
- Impossible to explain the observed patterns.

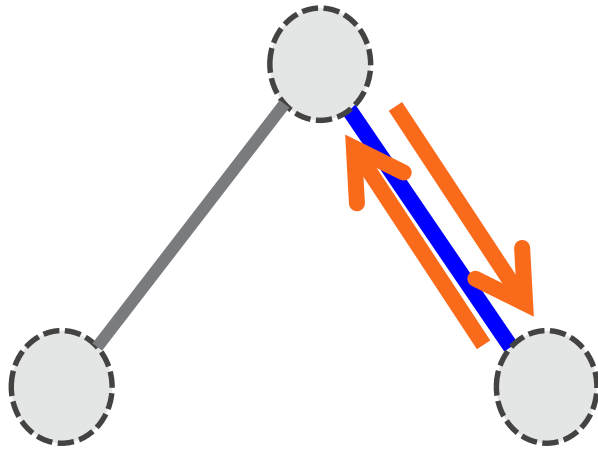
# Direct and In-direct effects of new HSR



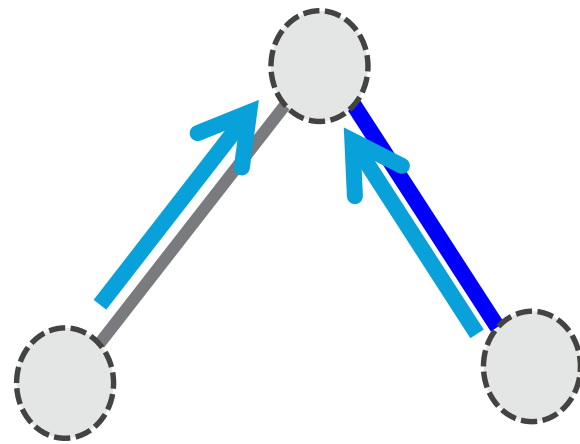
- New HSR operation may have affected on the attractiveness of zones.  
ex. changing the socio-economical condition, advertisement effect, and so on...
- In this pattern (indirect pattern), the spatial pattern of HSR effects are different.

# Spatial patterns of direct and in-direct effect

## Direct effect



## In-direct effect



- In-direct effect are similar among all residence zones
- It looks possible to reproduce observed patterns by combining these two effects.

**Question:** How much was the quantity of these effects?

**Key Idea:** “spatial-pattern decomposition of MSS data”

# Spatial-pattern decomposition of observation matrix

Observed matrix by MSS

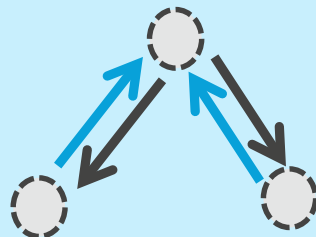
Residuals

$$B_{\text{aft}} - B_{\text{bef}} = \mathbf{V} + \mathbf{C} + \mathbf{E}$$

In-direct effect matrix

(similar value in each column)

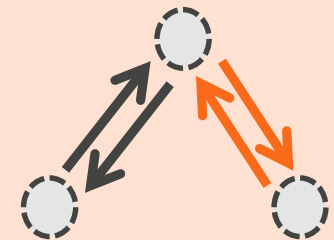
	0	##	##	##
	##	0	##	##
	##	##	0	##
	##	##	##	0



Direct effect matrix

(symmetric matrix)

	0	##	##	##
	##	0	##	##
	##	##	0	##
	##	##	##	0



Target value:

## “Log-ratio with diagonal component”

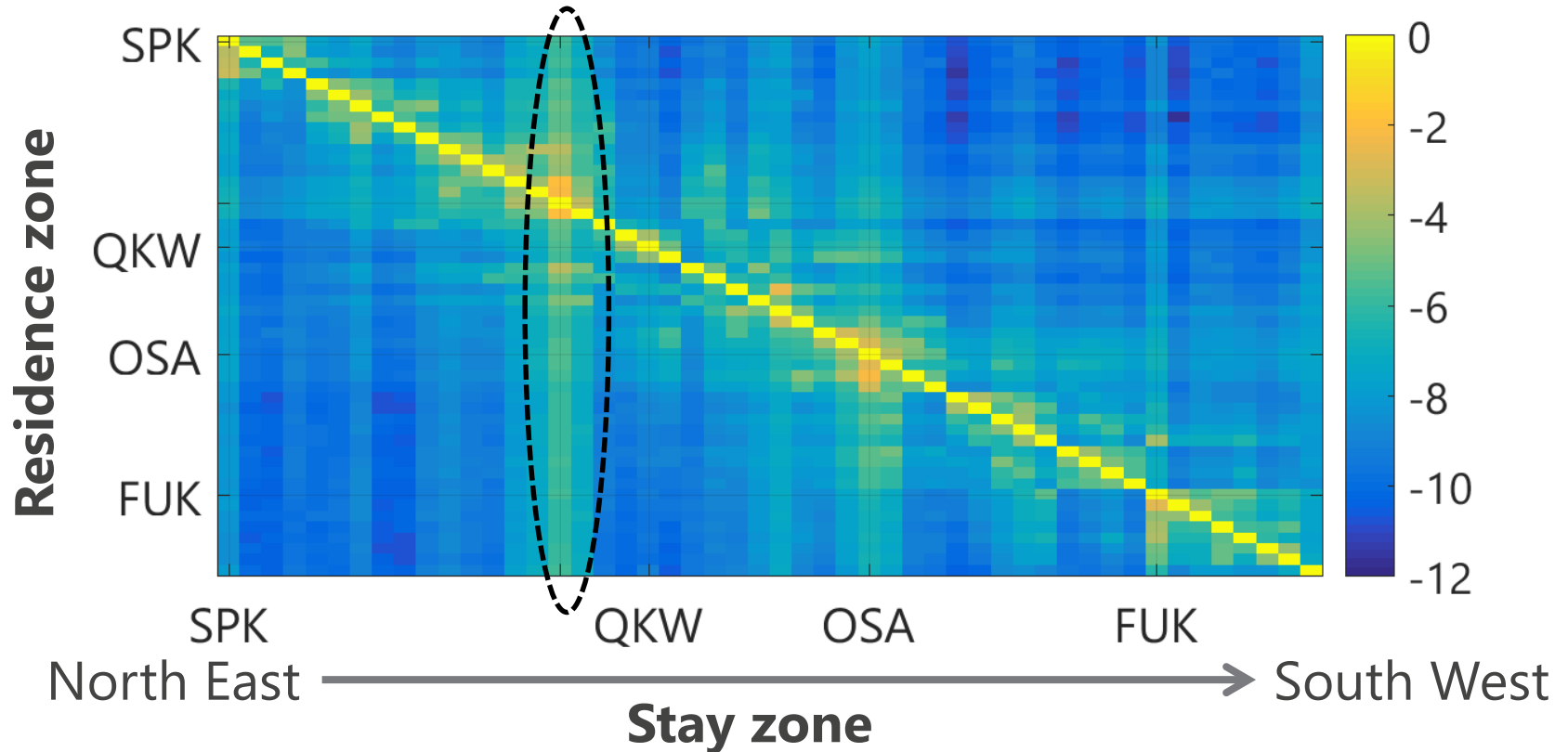
$$b_{ij,t} = \ln \left( \frac{N_{ij,t}}{N_{ii,t}} \right)$$

→ Eliminate population size difference

◆ This means the fixed term of Utility  
of destination choice logit model

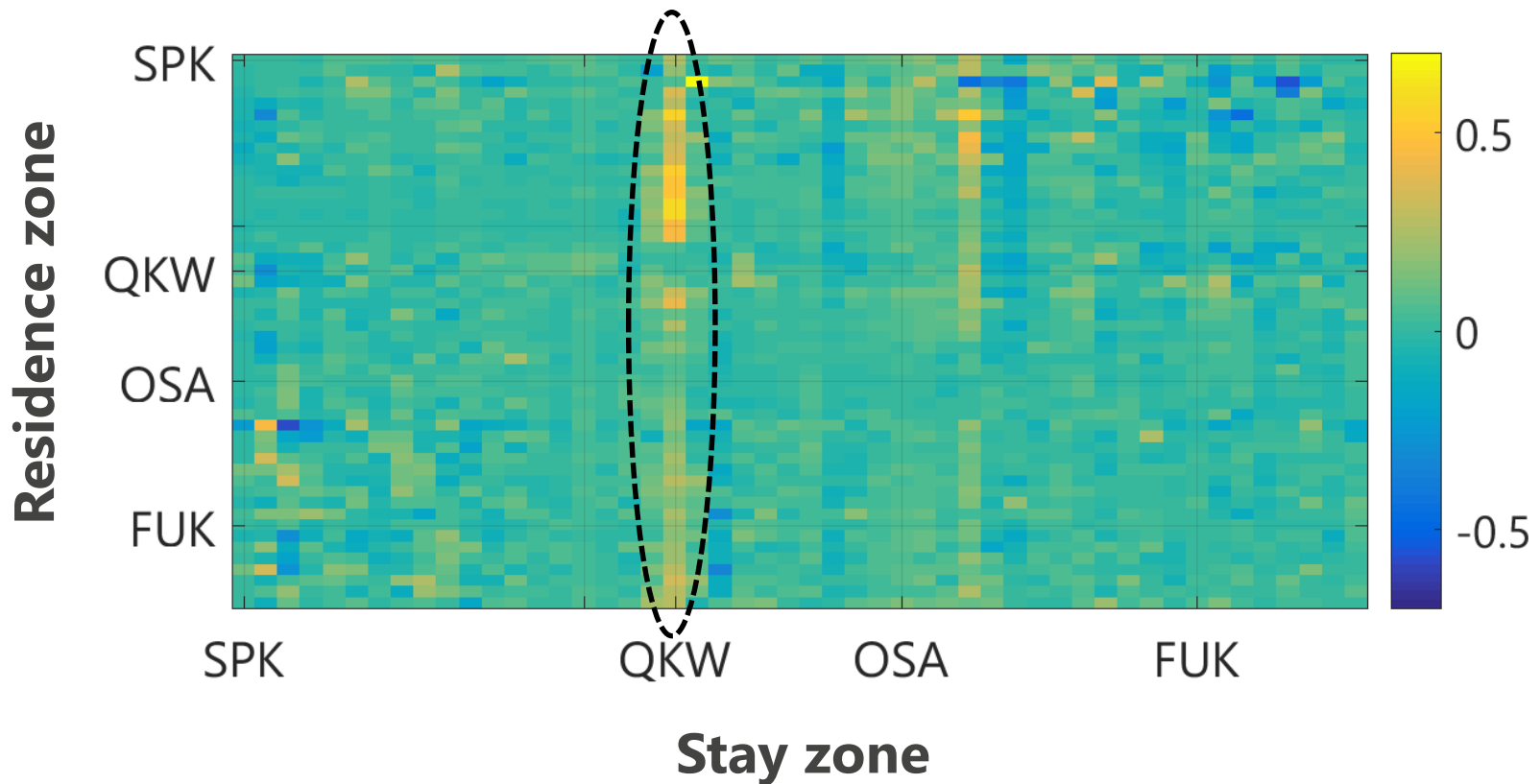
$$b_{ij,t} = \ln \left( \frac{N_{ij,t}}{N_{ii,t}} \right) = \ln \left( \frac{p(j|i, t)}{p(i|i, t)} \right) = \ln \left( \frac{\exp V_{ij,t}}{\exp V_{ii,t}} \right) = V_{ij,t} - V_{ii,t}$$

# Log-ratio matrix ( $B_{bef}$ )



- Diagonal components equal to zero
- Values of Tokyo (as stay zone)  
are large for all residence zone

# Difference of Log-ratio matrix ( $B_{\text{aft}} - B_{\text{bef}}$ )



- Values of Kanazawa (as stay zone) are increased for most residence zone

# Estimation methodology (1)

$$\min_{(\mathbf{V}, \mathbf{C})} \|\mathbf{E}\|_2 = \sum_{(i,j)} \left\{ (b_{ij,\text{aft}} - b_{ij,\text{bef}}) - (v_{i,j} - c_{i,j}) \right\}^2$$

$$\begin{aligned} \text{s.t.} \quad v_{i,j} &= v_{i,k} && \forall \{(i,j,k) | i \neq j, i \neq k, (i,j,k) \in (Z \times Z \times Z)\} \\ c_{i,j} &= c_{j,k} && \forall \{(i,j) | i \neq j, (i,j) \in (Z \times Z)\} \\ v_{i,i} &= c_{i,i} = 0 && \forall i \in Z \end{aligned}$$

– Here,  $(\mathbf{V}', \mathbf{C}')$  satisfies  $(\mathbf{V} + \mathbf{C}) = (\mathbf{V}' + \mathbf{C}') \forall k \in R$

- $\mathbf{V}' = \mathbf{V} + k\mathbf{A}$
- $\mathbf{C}' = \mathbf{C} - k\mathbf{A}$

→ We cannot estimate unique  $(\mathbf{V}, \mathbf{C})$  !

**A**

	0	1	1	1
	1	0	1	1
	1	1	0	1
	1	1	1	0



# Estimation methodology (2) ( $\doteq$ LASSO)

[Step-1] 
$$\min_{(\mathbf{V}', \mathbf{C}')} \|(\mathbf{B}_{\text{aft}} - \mathbf{B}_{\text{bef}}) - (\mathbf{V}' + \mathbf{C}')\|_2$$

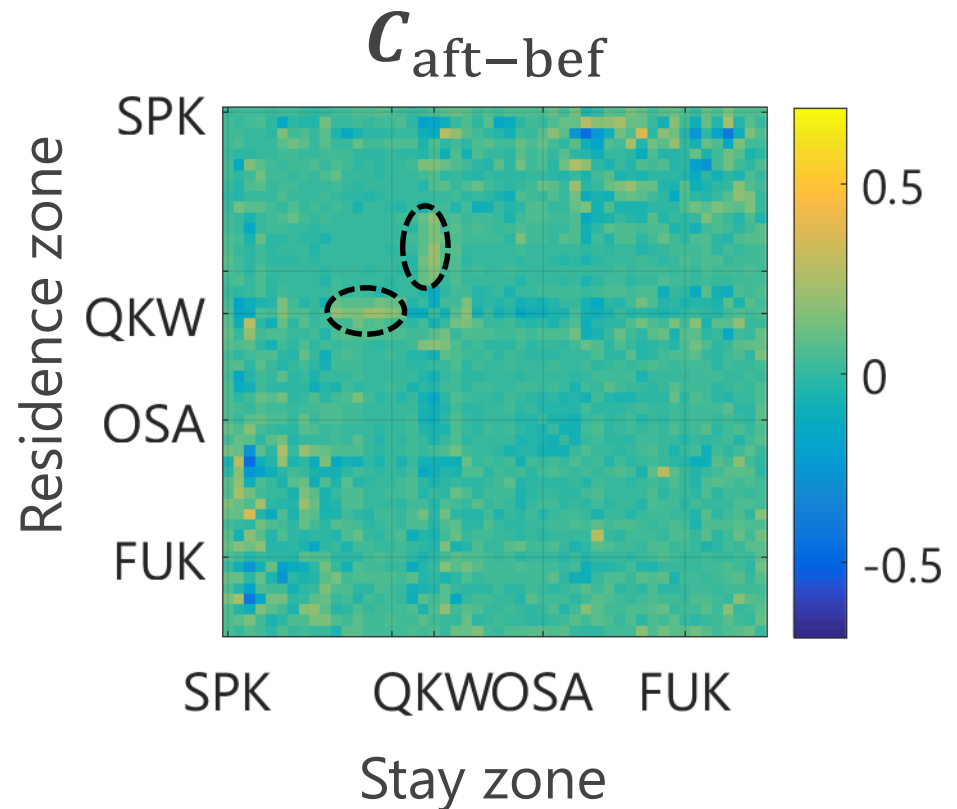
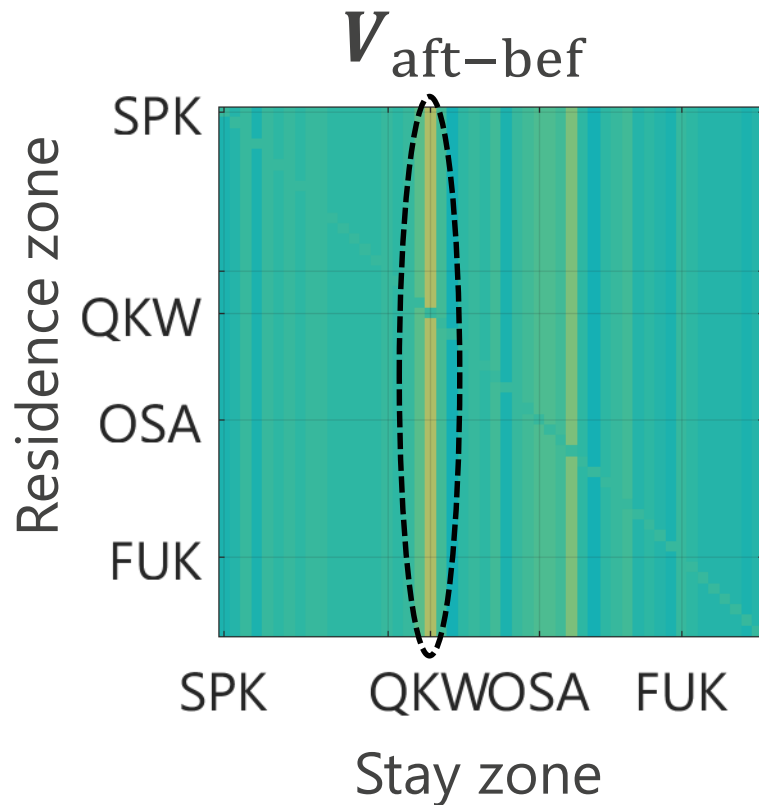
s.t. 
$$\begin{aligned} v'_{i,j} &= v'_{i,k} && \forall \{(i,j,k) | i \neq j, i \neq k, (i,j,k) \in (Z \times Z \times Z)\} \\ c'_{i,j} &= c'_{j,k} && \forall \{(i,j) | i \neq j, (i,j) \in (Z \times Z)\} \\ v'_{i,i} &= c'_{i,i} = 0 && \forall i \in Z \\ v'_{1,2} &= 0 && \leftarrow \text{fix one parameter} \end{aligned}$$

[Step-2] 
$$\min_k \|\mathbf{C}\|_1 = \sum_{(i,j) \in (Z \times Z)} |c_{i,j}|$$

s.t. 
$$\mathbf{C} = \mathbf{C}' - k\mathbf{A}, \mathbf{V} = \mathbf{V}' + k\mathbf{A}$$
 decide  $k$  as minimizing  
“L1 norm” of matrix  $\mathbf{C}$

Assumption: matrix  $\mathbf{C}$  is sparse.  
(most components of  $\mathbf{C}$  are close to zero.)

# Estimated results of two matrices

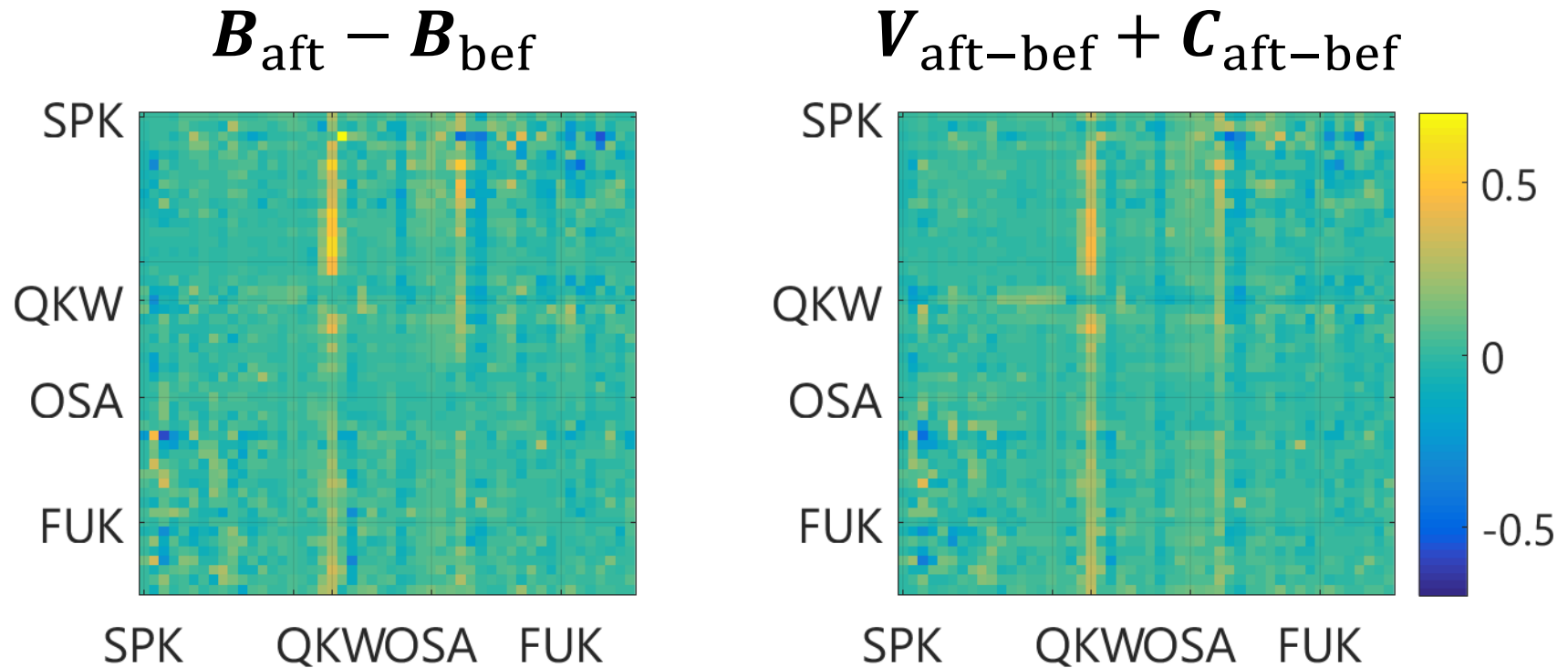


- **Direct effects**

  - between Tokyo metropolitan zones  $\Leftrightarrow$  Kanazawa.

- **In-direct effects** on Kanazawa.

# Reproducibility of difference matrix



Observed matrix ( $B_{\text{aft}} - B_{\text{bef}}$ )

$\hat{=}$  Estimated matrix ( $V_{\text{aft-bef}} + C_{\text{aft-bef}}$ )

→ Most changes in matrix  $B$  are explained by two patterns!

# Direct effects vs. In-direct effects (calculation)

- ◆ Calculate the effects on # of traveler  
by logit model formulation  
→ compare between direct and in-direct effects

## # of traveler increase by both effects

$$X_{ij,\text{both}} = \text{POP}_i \left\{ \frac{\exp(b_{ij,\text{bef}} + v_{ij} + c_{ij})}{\sum_{j \in Z} \exp(b_{ij,\text{bef}} + v_{ij} + c_{ij})} \right\} - N_{ij,\text{bef}}$$

## # of traveler increase by only direct effects

$$X_{ij,\text{direct}} = \text{POP}_i \left\{ \frac{\exp(b_{ij,\text{bef}} + c_{ij})}{\sum_{j \in Z} \exp(b_{ij,\text{bef}} + c_{ij})} \right\} - N_{ij,\text{bef}}$$

# Direct effects vs. In-direct effects (results)

	(1) $X_{ij,direct}$	(2) $X_{ij,both}$	(1) / (2)
Tokyo → Kanazawa	+551	+1,617	0.34
Kanazawa → Tokyo	+583	+647	0.90

- 66% of increase in Tokyo → Kanazawa was in-direct effects.  
~ In HSR effects, in-direct patterns are strong.
- In-direct effects in Kanazawa → Tokyo was small.  
~ This is the cause of asymmetric change.

# Summary

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- ◆ Estimating the HSR effects on OD matrix into direct and in-direct effects
  - By mobile phone location data.
  - Decomposition by LASSO approach.
- ◆ Direct and in-direct effects on Hokuriku HSR
  - There were large in-direct effects on Kanazawa zone
    - This caused the **asymmetric pattern**.
  - In-direct effects on inflow to Kazanawa zone were larger than direct effects.
    - In-direct effects are major effects of new HSR?

# Discussion

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- ◆ What does the **in-direct effect** mean?
  - » change of socio-economical condition?
  - » announcement / advertisement?
- we can identify by the time-series decomposition of more longer period.
- ◆ Can existing travel demand forecasting models deal with this strong in-direct effects?

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**Thank you for your kind attention**

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