

# Exercise 6

## Traits and Bytecode verification

November 4<sup>th</sup>

- 1) Consider the following Scala code:

```
class Cell
{
  private var x:int = 0
  def get() = { x }
  def set(i:int) = { x=i }
}

trait Doubling extends Cell
{
  override def set(i:int) = { super.set(2*i) }
}

trait Incrementing extends Cell
{
  override def set(i:int) = { super.set(i+1) }
}
```

- What is the difference between the following objects?

```
val a = new Cell
val b = new Cell with Incrementing
val c = new Cell with Incrementing with Doubling
val d = new Cell with Doubling with Incrementing
```

- We use the following code to implement a cell that stores the argument of the set method multiplied by four:

```
val e = new Cell with Doubling with Doubling
```

Why doesn't it work? What does it do? How can we make it work?

- **(Harder)** Find a modularity problem in the above, or a similar, situation. Hint: a client that gets given a class C does not necessarily know if a trait T has been mixed in that class.

- 2) Assume all the definitions of the previous exercise. Assume that Cell has the invariant that x is always even. Furthermore, consider a Scala method

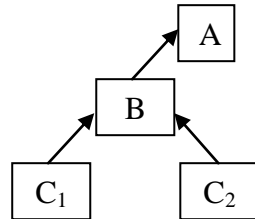
```
foo(x: Cell with Doubling with Incrementing) {...}
```

- During the execution of foo, if we assume that all subclasses of Cell respect behavioural subtyping, then are we allowed to conclude that x.get() always returns an even number?
- We propose the following solution to support traits together with behavioral subtyping:

## Concepts of Object-Oriented Programming

Assume  $C$  is a class with specification  $S$ . Each time we create a new trait  $T$  that extends  $C$ , we must ensure that  $C$  with  $T$  also satisfies  $S$ .  
Show a counterexample that demonstrates that this approach does not work

3) Consider the following type hierarchy:



Suppose that the method  $f$  of class  $E$  has the following signature:

$A \ f(\text{boolean } b1, \text{boolean } b2);$

and three local variables  $x, y, z$ . It is known that the initial state is

$([], [E, \text{boolean}, \text{boolean}, C1, C2, A])$

The maximal stack size is equal to 1.

The method  $f$  has the following body:

```
0:    iload_1
1:    ifeq 22
4:    iload_2
5:    ifeq 12
8:    aload_3
9:    goto 14
12:   aload_4
14:   astore_3
15:   aload_5
17:   astore_4
19:   goto 0
22:   aload_3
23:   areturn
```

- Verify that the program is type safe.
- Provide the minimal type information that enables verification of the bytecode without a fixpoint computation.

Note: In this example, `ifeq x` pops an integer from the stack and jumps to line  $x$  if the integer is equal to zero.

4) Consider the following code:

```
interface IFace {
    void m();
}
class C11 implements IFace {
    public void m() { System.out.println("C11.m"); }
```

```
}  
class Cl2 implements IFace {  
    public void m() { System.out.println("Cl2.m"); }  
}  
public class Test1 {  
    public static void main( String[] args ) {  
        xxx(true);  
        xxx(false);  
    }  
  
    public static void xxx( boolean param ) {  
        IFace iface = null;  
        if( param ) { iface = new Cl1(); }  
        else { iface = new Cl2(); }  
        iface.m(); } }
```

- What type will be calculated for the variable `iface` of the method `xxx` during the bytecode verification?
  - When can we decide that `iface.m()` is safe to call? During bytecode verification, or execution?
  - What if `IFace` was a class instead of an interface? What if it was an abstract class?
- 5) The bytecode type inference algorithm rejects a verified program if there are different stack sizes for input values of a join point.
- Provide a bytecode program that is rejected because of this limitation but that does not cause runtime errors.
  - Is it possible to construct a bytecode verification algorithm that avoids this limitation? If yes, then provide an updated algorithm. If no, then show that it can't be done.
  - How serious is this restriction from a pragmatic perspective?