

# **252-210: Compiler Design**

Again: Busy expressions

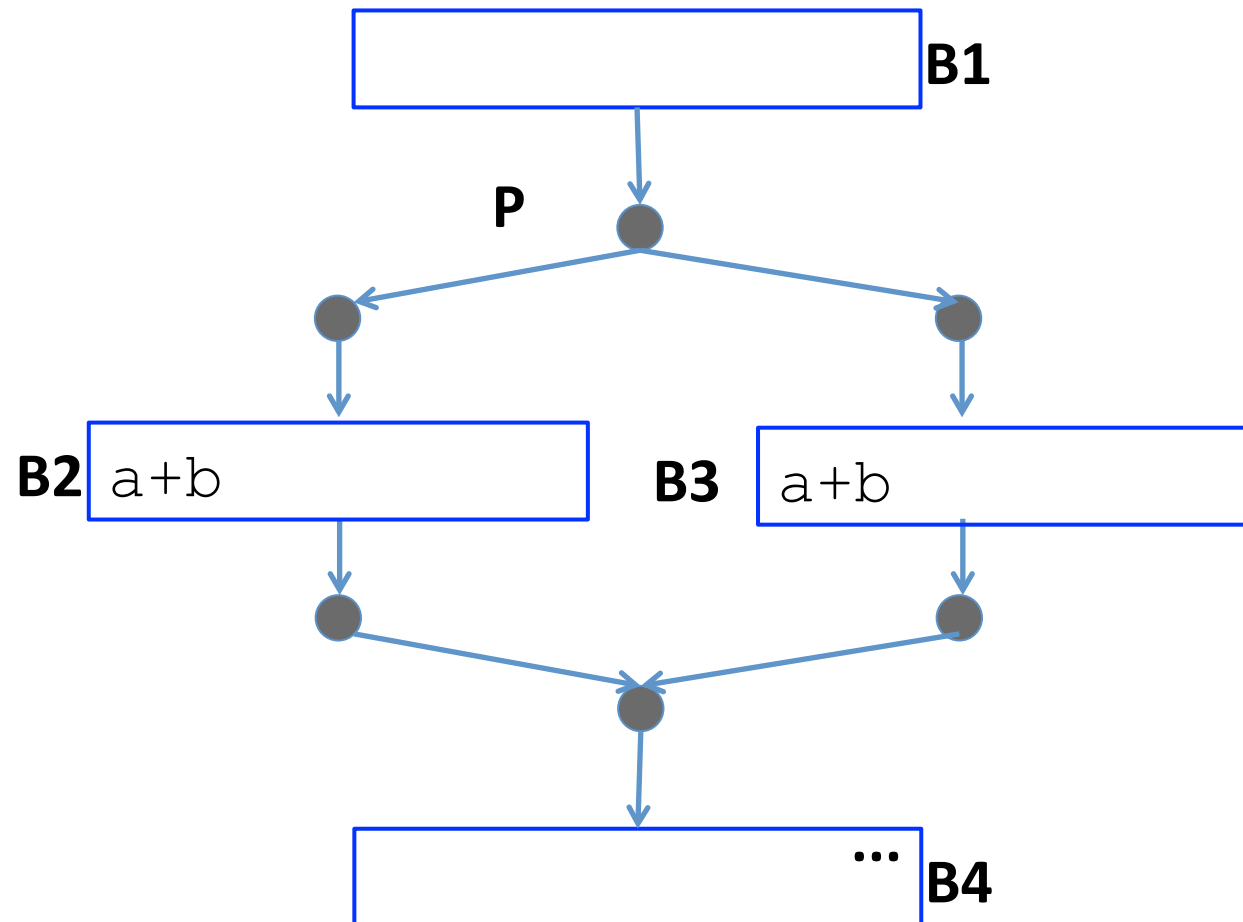
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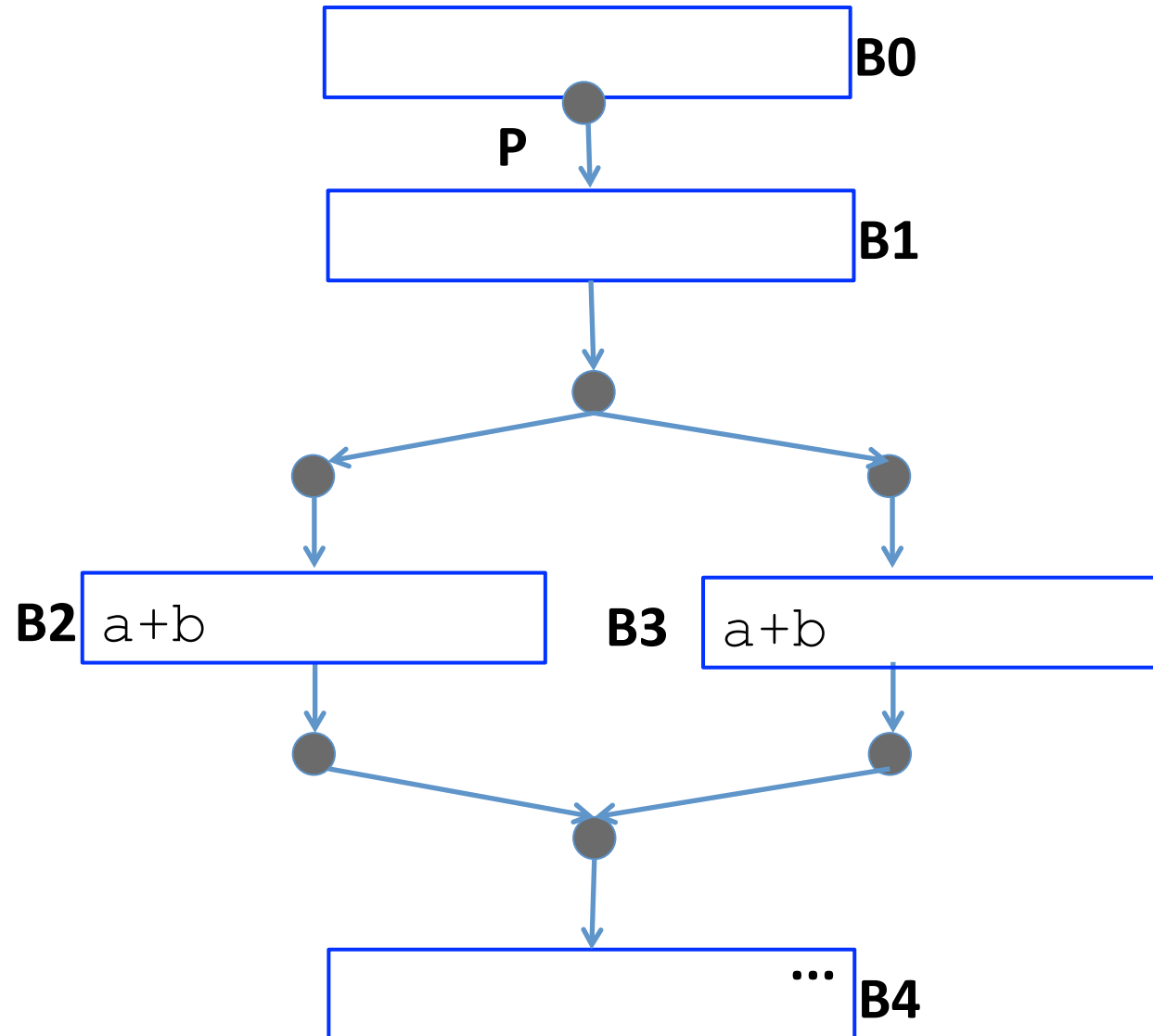
- **Idea: an expression  $E$  is *very busy* at Point  $P$  if no matter what path is taken from  $P$ , the expression  $E$  is evaluated before any of its operands are defined.**

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- **An expression  $a+b$  is *very busy* at a point  $P$  if  $a+b$  is evaluated on all paths from  $P$  to EXIT and there is no definition of  $a$  or  $b$  on a path between  $P$  and an evaluation of  $a+b$** 
  - Interested in set of expressions available at the start of a basic block  $B$
  - Set depends on paths that start at  $P_{\text{before}_B}$

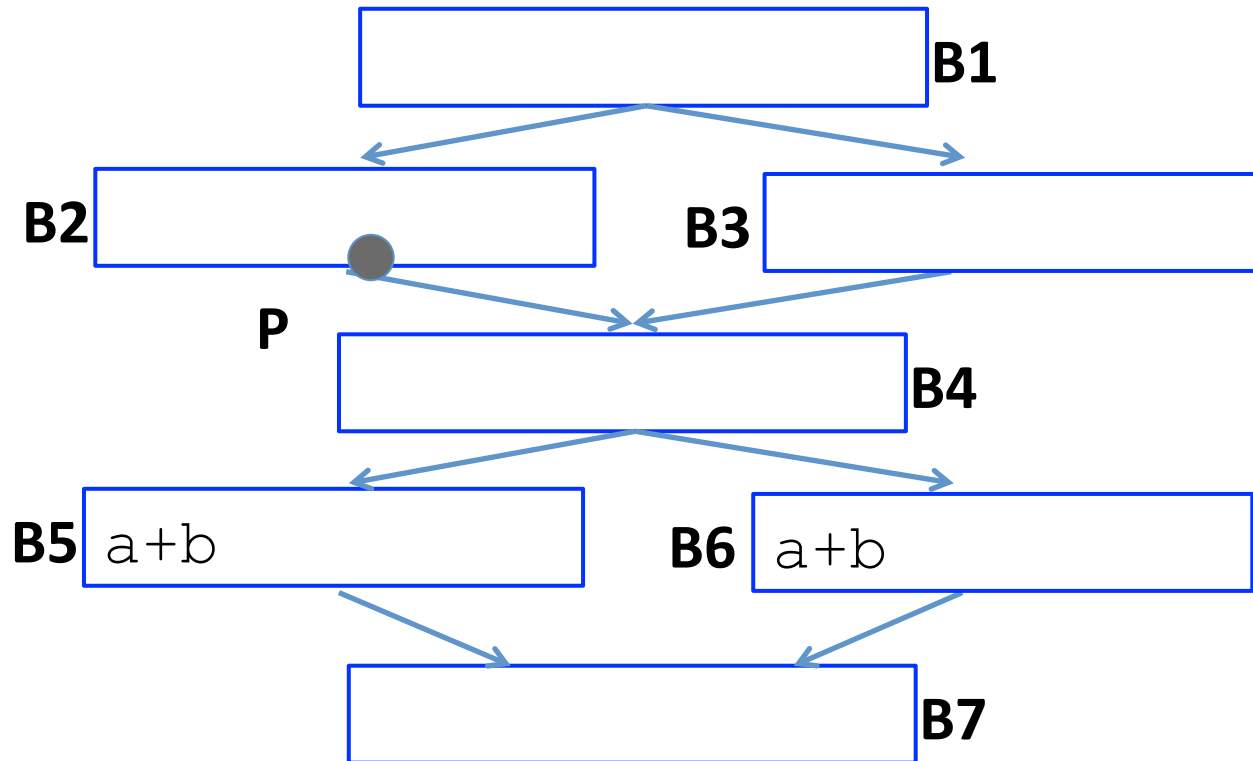
# Examples



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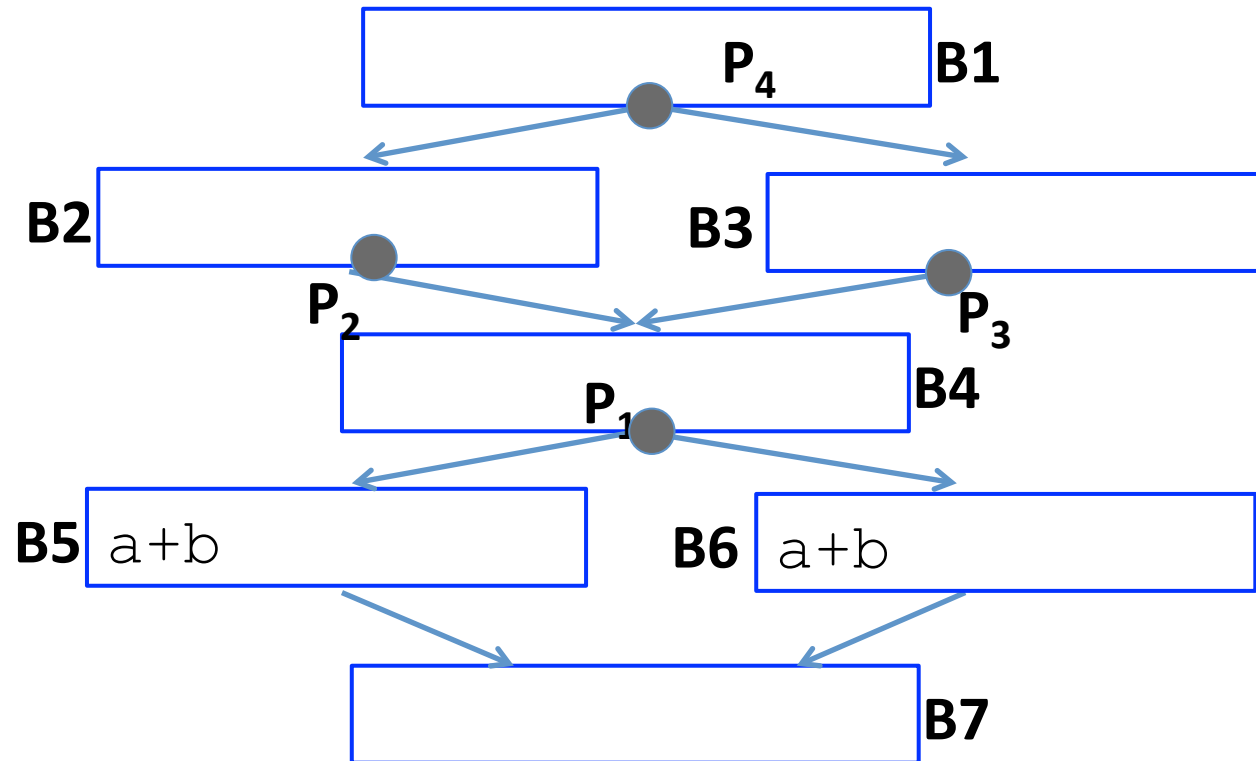
# Examples



# Very busy expressions

- An expression  $E$  can be very busy at many points  $P_1, P_2, P_3,$

# Examples

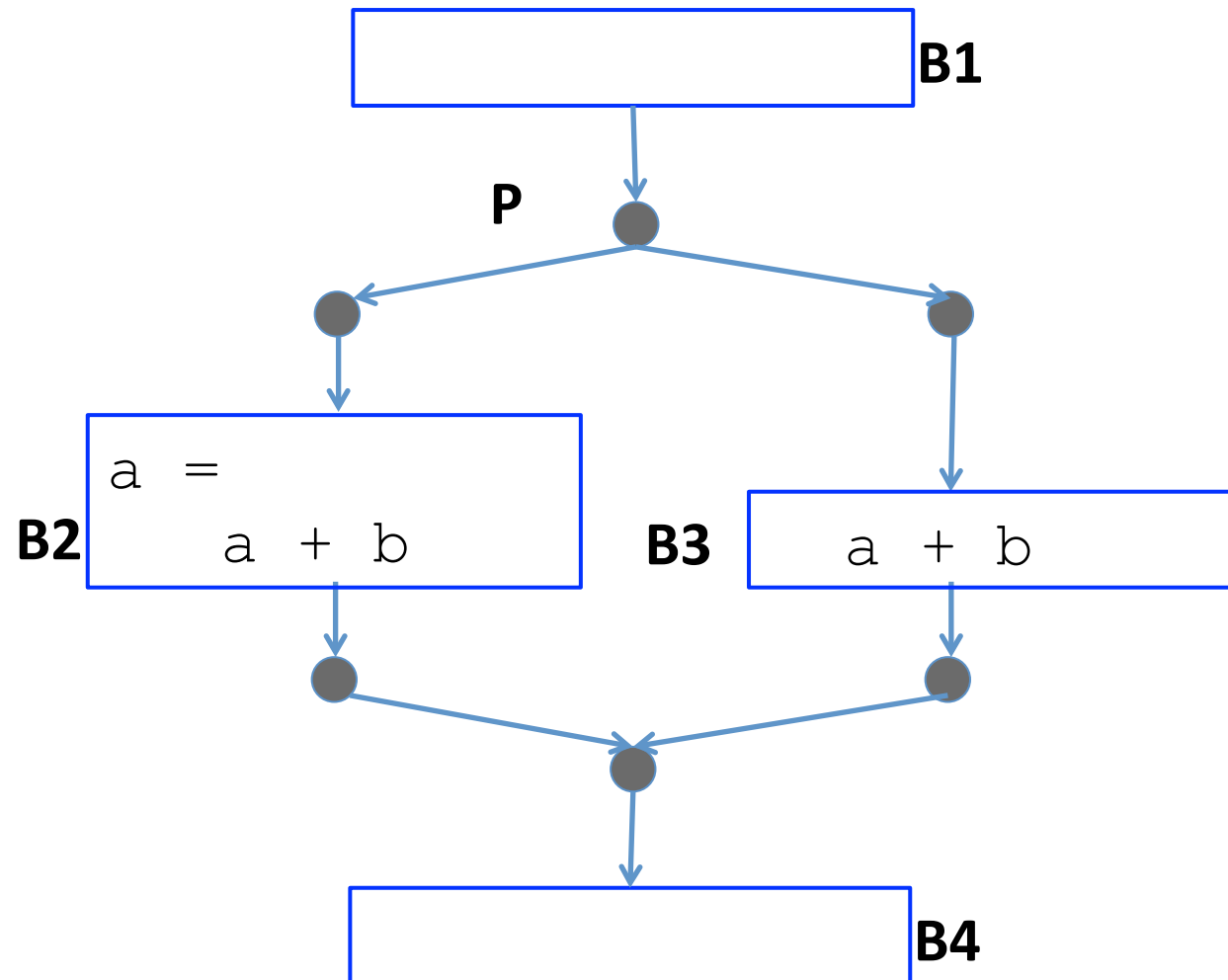




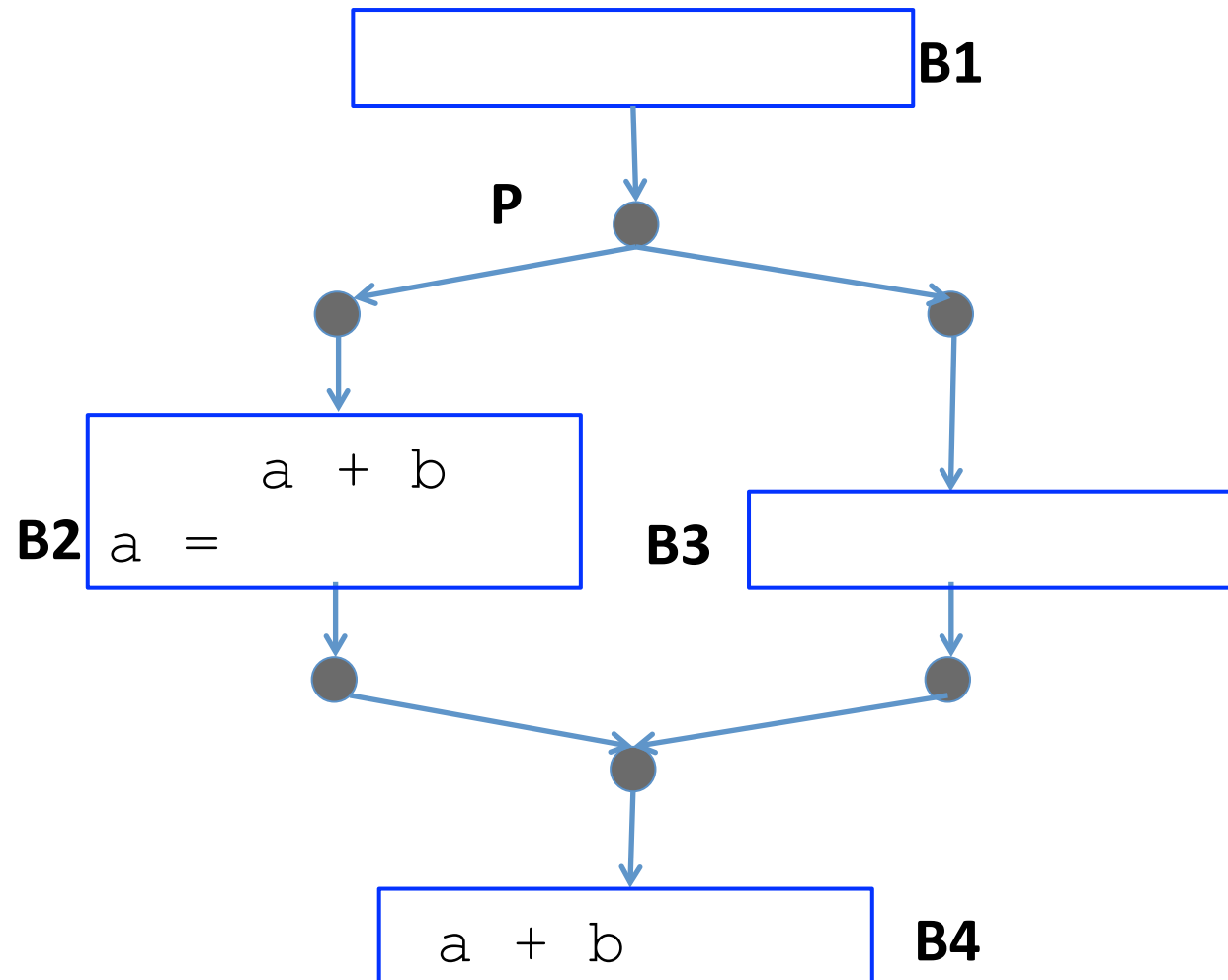
# Very busy expressions

- An expression  $E$  can be very busy at many points  $P_1, P_2, P_3, \dots$
- Consider the point  $P_i$  that is *not* dominated by any other  $P_j$  as the target point for hoisting expression  $E$ 
  - Intuitively gives you the “closest” point  $P$

# Examples



# Examples



**a + b very busy at P?**

- **Path from P to E such that operand (a) is modified**

# Very busy $\neq$ hoistable

- **Need additional conditions that must be met if you want to hoist a very busy expression**
  - Same definitions reach P that reach occurrences of E that are hoisted
  - No definition of an operand along any path from P to E

# Data flow vs. optimization

- Data flow collects program properties
- Optimizations transform program
- Example
  - Assignment statement `x = expression` in a loop
  - `expression` always evaluates to the same value
  - Question: can we hoist the assignment statement out of the loop?

```
while (...) {
```

```
...
```

```
x = expr;
```

```
...
```

```
}
```

```
x = expr;
```

```
while (...) {
```

```
...
```

```
}
```

- **Maybe the loop is never executed**
  - x has different value
- **Maybe x is never read outside the loop**
  - Don't care about about value of x but may lengthen execution
- **Maybe x is read in loop prior to assignment**
- **Maybe assignment is in a conditional statement**

```
while (...) {  
    ...  
    if (...) {x = expr; }  
    ...  
}
```



- **Often cheaper to prune expressions from list of very busy expressions than to make global data flow analysis complicated**

# Finding IN(B) and OUT(B)

- **N basic blocks,  $2 \times N$  sets IN / OUT**
- **System with  $2 \times N$  unknowns**
  - Solve by iterating until a fixed point is found
- **How to start iteration?**

Safe assumption  $IN[EXIT] = \emptyset$   
Nothing is very busy at the end
- **$IN(B) = \mathcal{U}$** 
  - $\mathcal{U}$  set of all expressions in program
  - For all  $B \neq EXIT$

# Computing very busy expressions

$$\text{IN}[\text{EXIT}] = \emptyset$$

Initialize  $\text{IN}[B] = \mathcal{U}$  for  $\forall B \neq \text{EXIT}$

while (changes to any  $\text{IN}(B)$ ) {

  for (each basic block  $B \neq \text{EXIT}$ ) {

$$\text{OUT}(B) = \bigcap_{B_i, B_i \text{ is successor of } B \text{ in CFG}} \text{IN}(B_i)$$

$$\text{IN}(B) = \text{gen}_B \cup (\text{OUT}(B) - \text{kill}_B)$$

  }

}

# Greek

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