

Eidgenössische Technische Hochschule Zürich Swiss Federal Institute of Technology Zurich

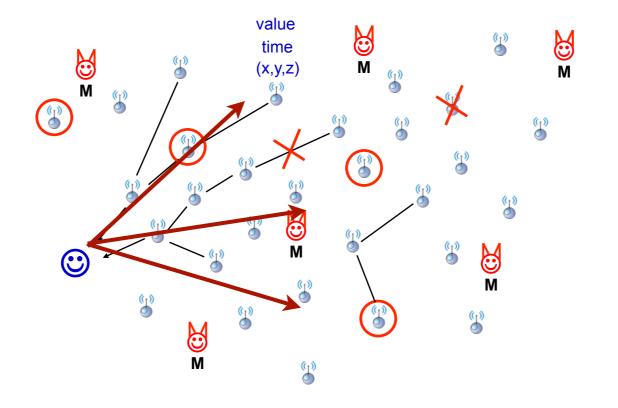
Security of Wireless Networks

Srdjan Čapkun Department of Computer Science ETH Zurich

Broadcast Authentication Tesla and ICodes

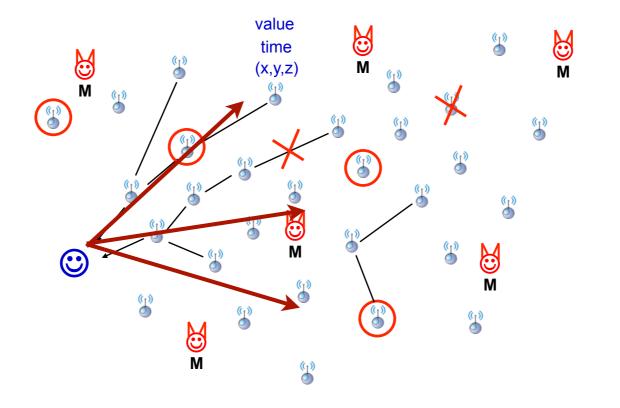
Broadcast Message Authentication

- One sender, a number of receivers (*possibly malicious and unknown to the sender*).
- All receivers need to *verify the authenticity of the sender's messages*.



Broadcast Message Authentication

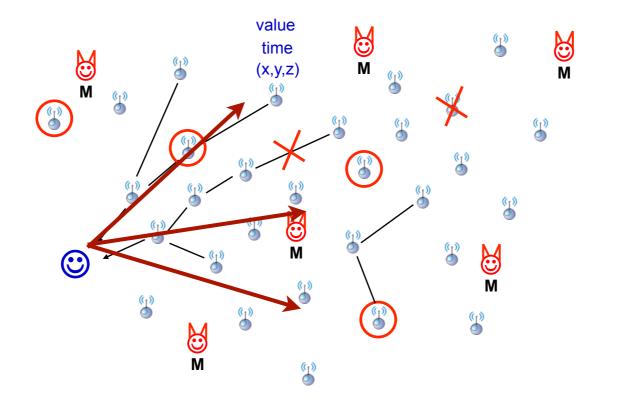
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Any ideas how to solve this problem?

Broadcast Message Authentication

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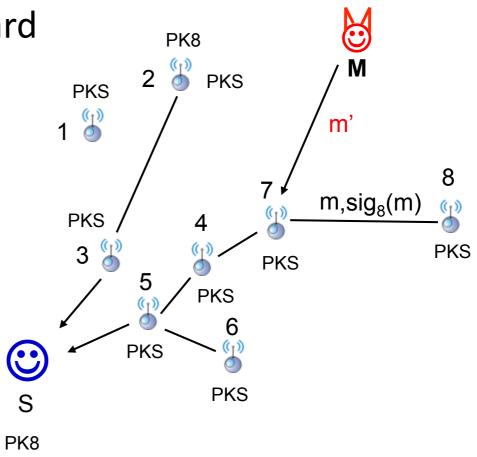
Any ideas how to solve this problem?

Efficiently?

Using Public-Key Cryptography for Broadcast Authentication

Using PK crypto in distributed networks is:

- simple
- effective
- enables broadcast authentication
- distribution of new keys and insertion of new nodes is straightforward
- ...
- expensive



Resource-constrained Devices

Moteiv Tmote sky

8MHz Texas Instruments MSP430 microcontroller (10k RAM, 48k Flash)

250kbps 2.4GHz IEEE 802.15.4 Chipcon Wireless Transceiver

Hardware link-layer encryption and authentication

Tinynode

8MHz Texas Instruments MSP430 microcontroller 868 MHz Xemics XE1205 multi channel wireless transceiver RAM 10K bytes, Program Space 48K bytes, External Flash 512K bytes, Configuration Flash 256 bytes

Mica2, MicaZ, ...





Example Costs of Crypto Operations (indicative)

Diffie-Hellman with 1,024-bit keys (Mica2)

- 54.1144 sec for key generation
- 1,250 B of SRAM
- 11,350 B of ROM
- 1.185 Joules (3.9897 x 108 cycles)

ECC with 163-bit keys (Mica2) by BBN (D. Malan)

- 34.390 sec for key generation
- 1,140 B of SRAM
- 34,342 B of ROM
- 0.82149 J (2.5289 x 108 cycles)

More ECC

- TinyECC takes **12 to 16 seconds to verify a signature** on MicaZ
- Sizzle from Sun, several seconds on Atmel chip

Symmetric-key computations: SKIPJACK blockcipher with 80-bit keys on Mica2

- 2,190 µsec for encrypt()
- *3,049 µsec for computeMac()*

Broadcast Authentication without PK Crypto?

Can we enable broadcast authentication without PK crypto primitives?

Two approaches:

- Delayed Key Disclosure (Cheung, Tesla)
- Presence Awareness

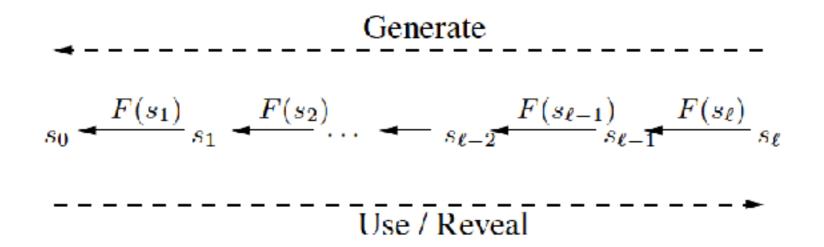
Main characteristics:

- Uses purely symmetric primitives (MACs)
- Asymmetry from delayed key disclosure
- Self-authenticating keys (one-way hash chains)
- Requires loose time synchronization

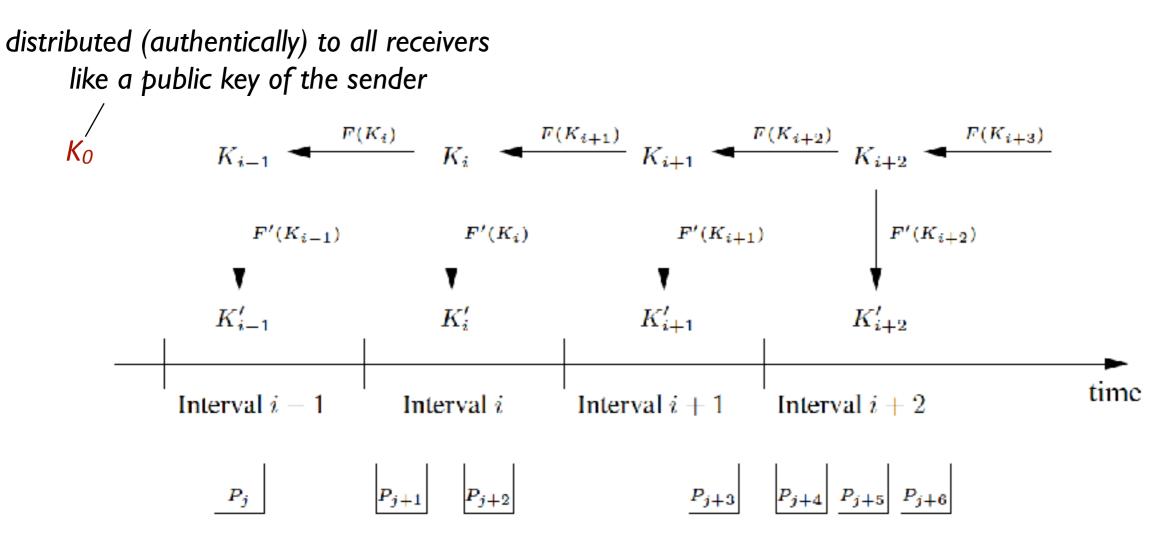
First proposal by Cheung in 97, follow-up proposal by Perrig in 2001 (named Tesla)

Tesla: <u>http://sparrow.ece.cmu.edu/group/broadcast-</u> <u>authentication.html</u>

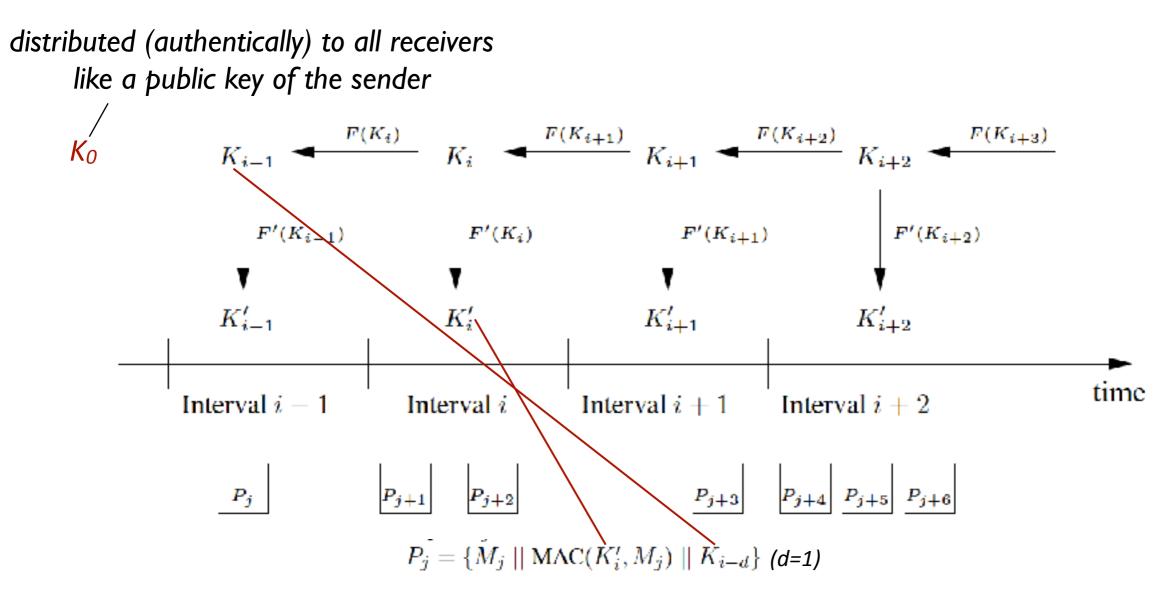
One-way chains:



- s_{ℓ} is randomly chosen
- F(.) is a one-way (hash) function
- If an attacker knows s_i, it can easily generate s_{i-1}, (by applying F(.), but cannot generate s_{i+1}



- Sender generates a key K_{ℓ} and keeps it confidential
- Generates K₀ and distributes it to all receivers



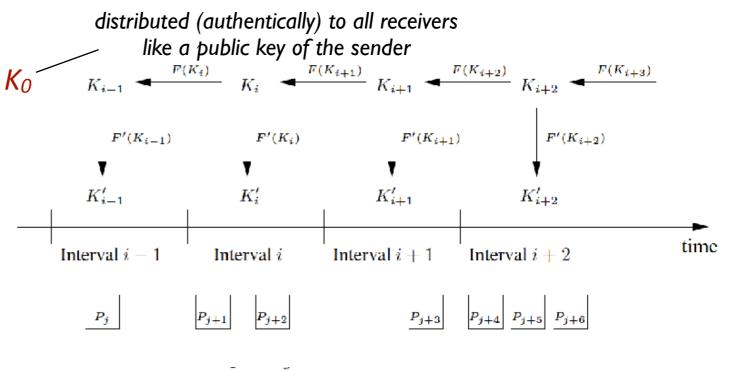
- To transmit a message M_j, the sender MAC's M_j with the key of the current time interval (K_i')
- The key is used ONLY WITHIN ITS INTERVAL
- Each key is *explicitly disclosed in cleartext after the interval*

Message Verification:

- Receive M_j
- Receive K_i
- Compute K_i'=F'(K_i)
- Verify MAC
- Verify that Fⁿ(K_i)=K₀



- The keys are authenticated using one-way hash chains
- The messages are authenticated using the keys
- If the key is used after the interval, the message is ignored



$$P_j = \{ \tilde{M}_j \mid \mid \mathsf{MAC}(K'_i, M_j) \mid \mid K_{i-d} \}$$

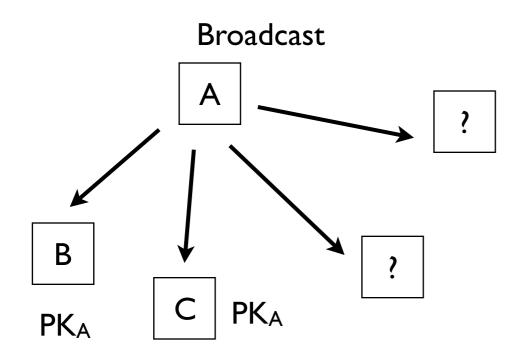
Broadcast Authentication Integrity Codes: Broadcast Authentication based on Presence Awareness

Can we enable broadcast authentication without any preshared information?

- No pre-shared secret keys
- No distributed credentials (e.g., certificates/public keys)

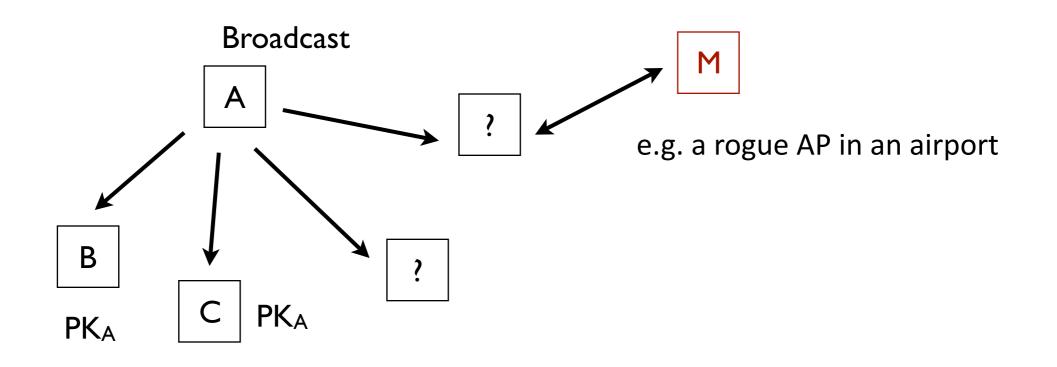
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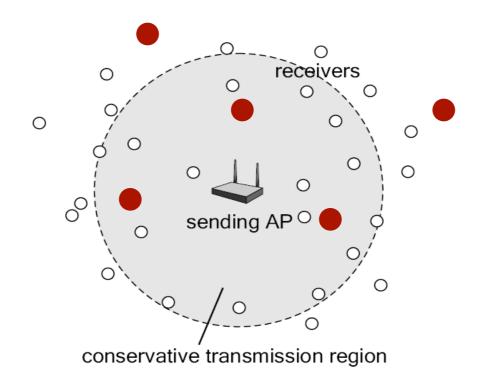
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Integrity Codes

Scenario:

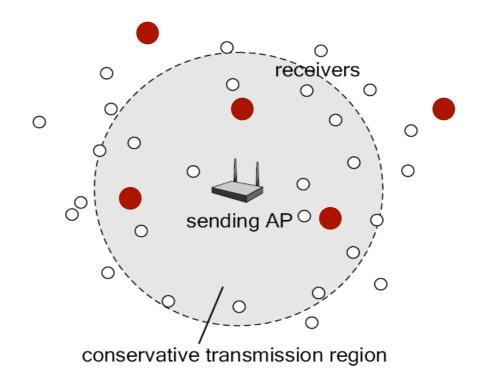
- The receiver is in the direct power range of the sender, and it knows it!
- E.g., a user walks into a university building equipped with university access points.
- The attacker is not restricted in terms of location or number of devices that it has/deploys.



Integrity Codes

Scenario:

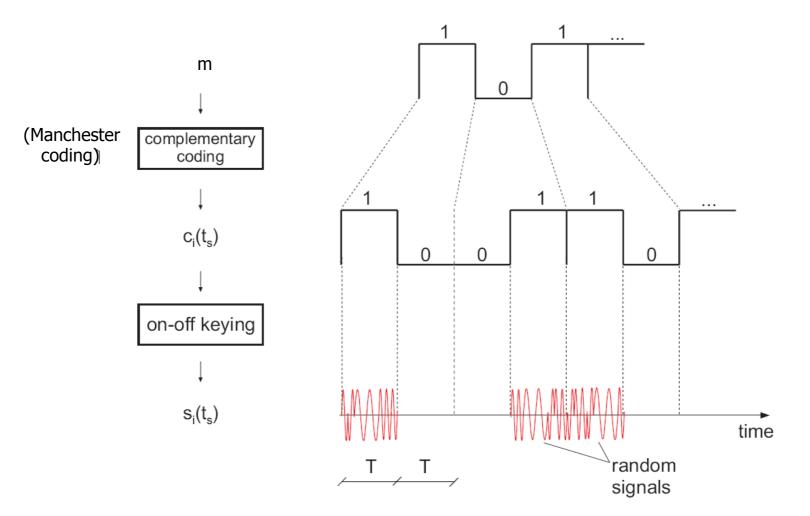
- The receiver is in the direct power range of the sender, *and it knows it!*
- The receiver *knows a communication channel* (e.g., channel 5)
- The sender is *always on and transmitting*



Integrity Codes: *Protocol*

Transmission (Sender):

- *m* spread from k bits to $2 \cdot k$ bits $(1 \rightarrow 10, 0 \rightarrow 01)$, H(m) = k
- each resulting bit is then transmitted using on-off keying (each "1" is a freshly generated random signal)



H(m) = the number of bits "1" in m (Hamming weight)

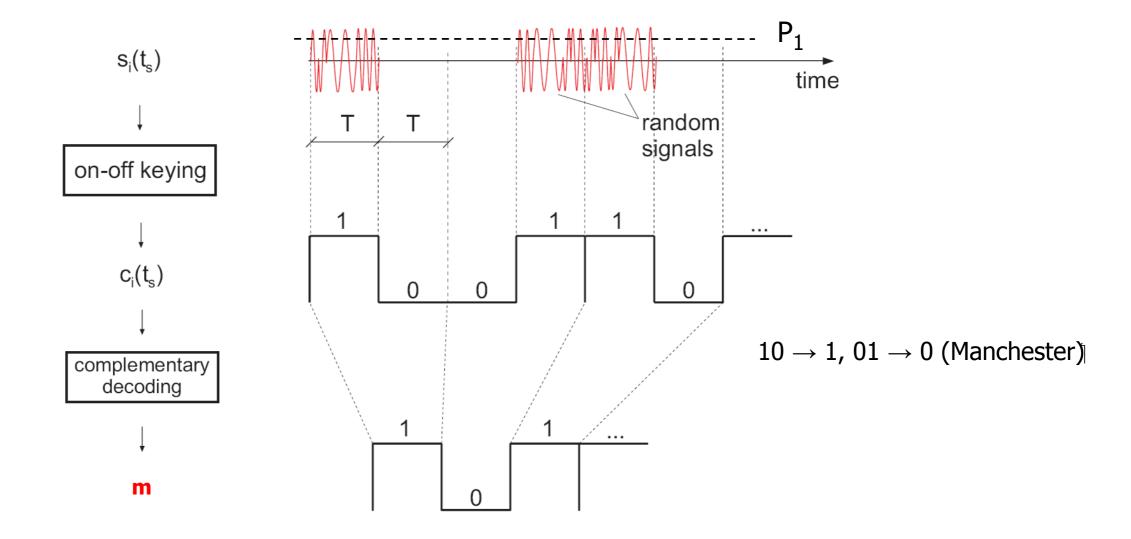
Integrity Codes: Protocol

Reception (Receiver):

 Presence of *any signal* (>P1) during T interpreted as "1" Absence of signal (<P0) during T interpreted as "0"

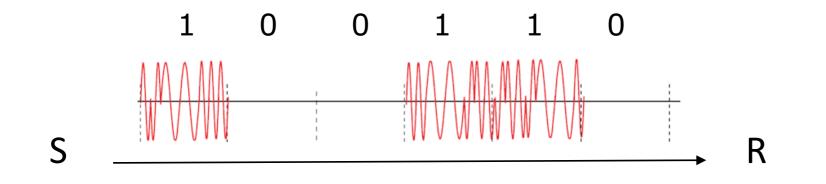
Integrity Verification

• IF H(m)=|m|/2 THEN "m" was not modified in transmission



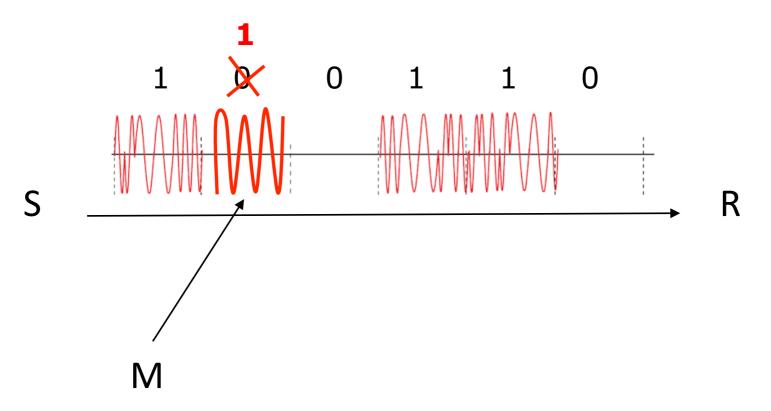
- Message Hamming weight is a public parameter H(m)=2
- Attacker can change $0 \rightarrow 1$ and NOT $1 \rightarrow 0$ (except with ε)
- The sender is permanently transmitting

=> The receiver can therefore detect all modifications of the message



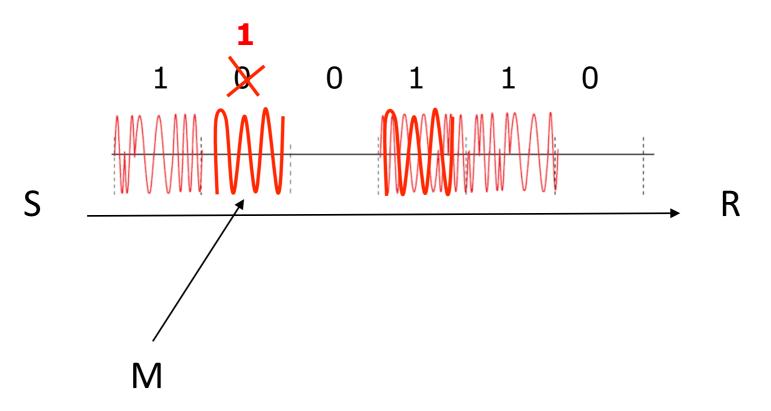
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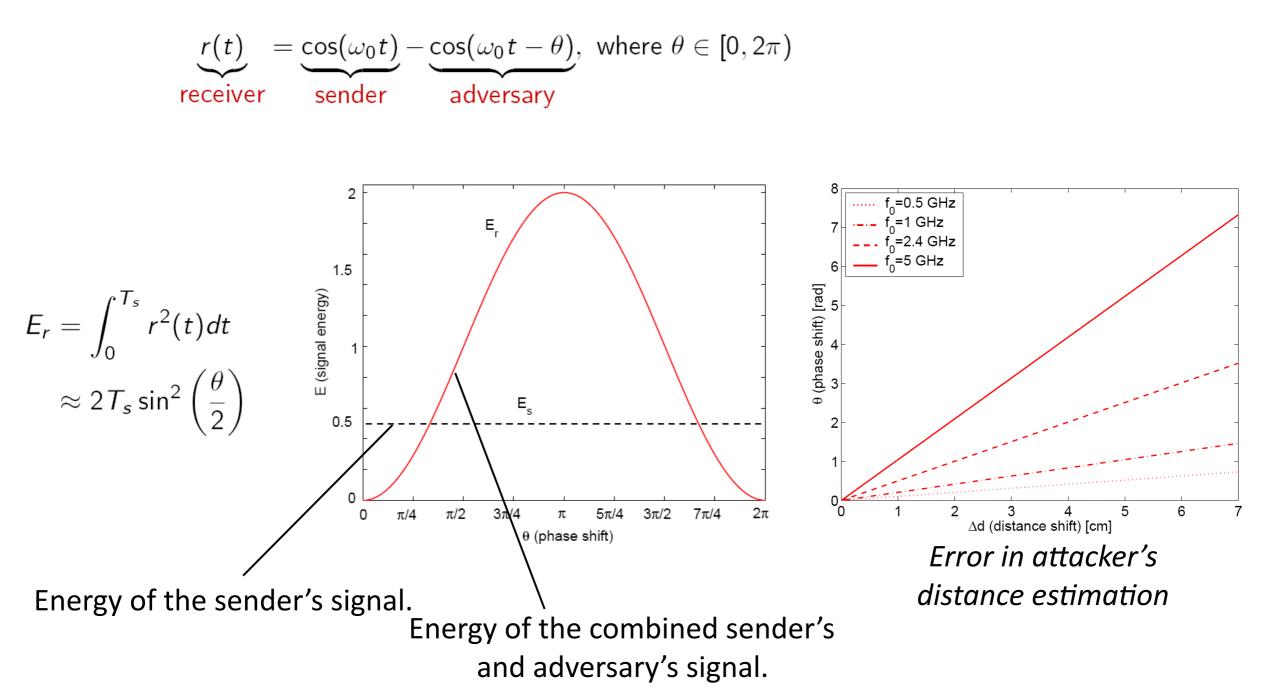


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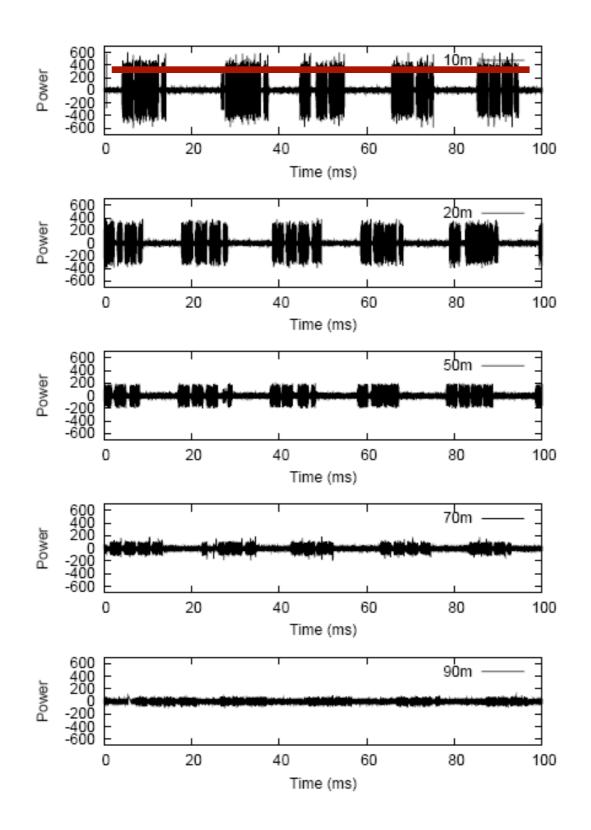
How can one handle messages of arbitrary sizes?

- Receiver does not have to know the length of the message in advance
- A valid message received between two subsequent i-delimiters is authentic.
- For Manchester coding, an optimal integrity-delimiter is simply 111000



• *"111000"* cannot be a part of any codeword

Integrity Codes: Implementation

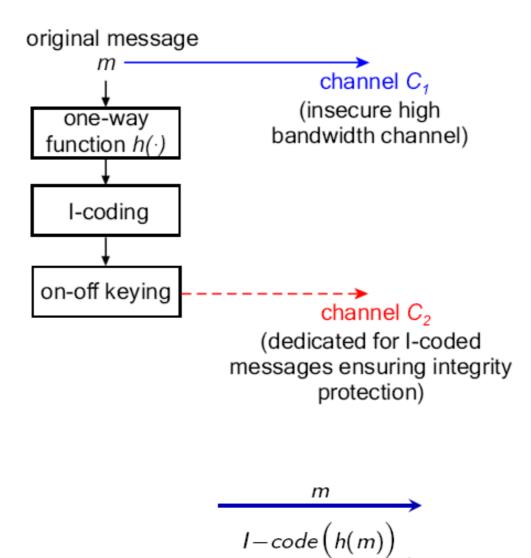






Integrity Codes: Optimizations

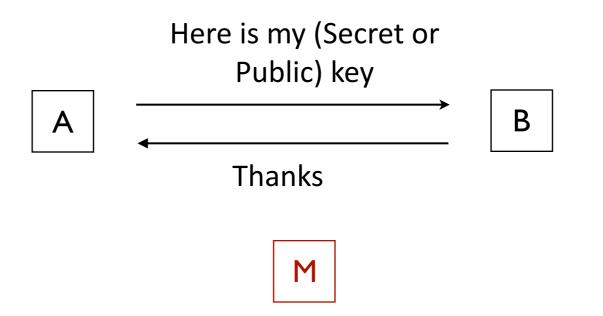
Integrity Coded channel is slow.



Wireless Device Pairing

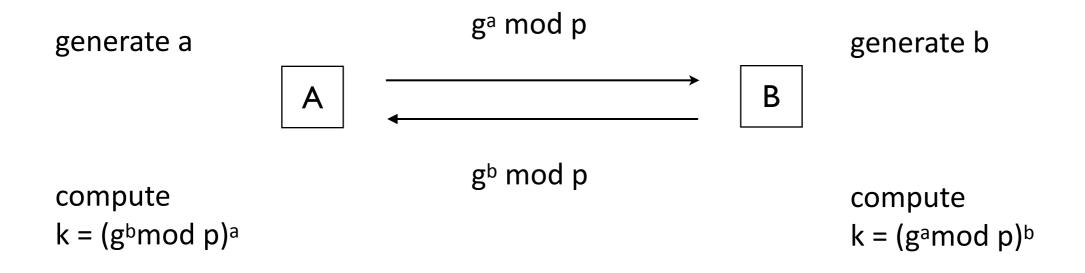
Device Pairing: Problem

Given a pair of wireless devices, *how do they establish a secret key in the presence of an adversary* (passive or active – MITM attack) ?



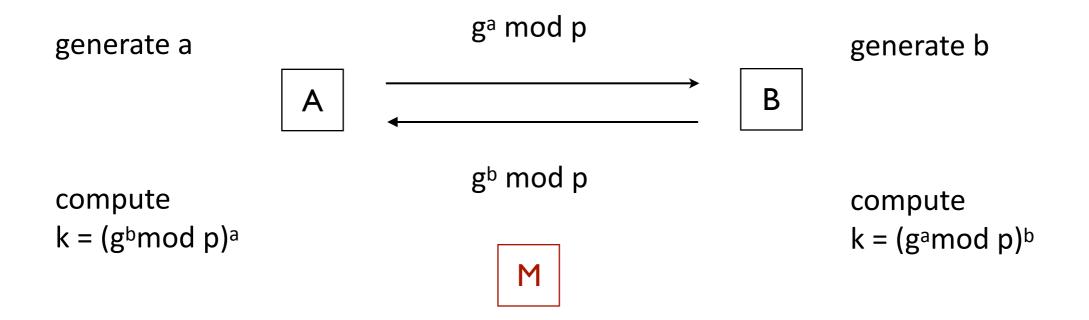
Note: the devices have no preloaded keys / credentials (e.g., two mobile phones, a phone and a printer, ...)

DH protocol enables *secret key establishment by public communication*.



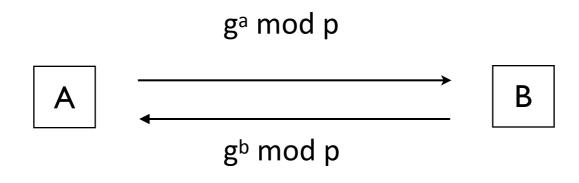
Given a prime p, a generator g of Z_p^* and elements $g^a \mod p$ and $g^b \mod p$ it is computationally difficult to find $g^{ab} \mod p$. Given $g^x \mod p$ it is computationally difficuly to find x.

DH protocol enables *secret key establishment by public communication*.

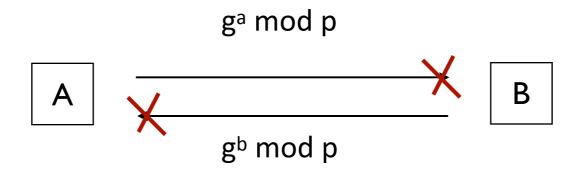


DH fully resists passive attackers (eavesdropping only). DH is not secure against active attackers (MITM attacks).

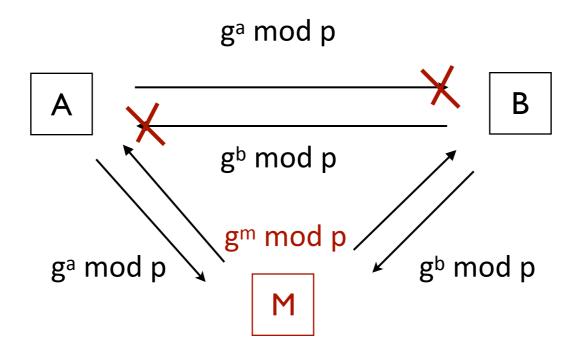
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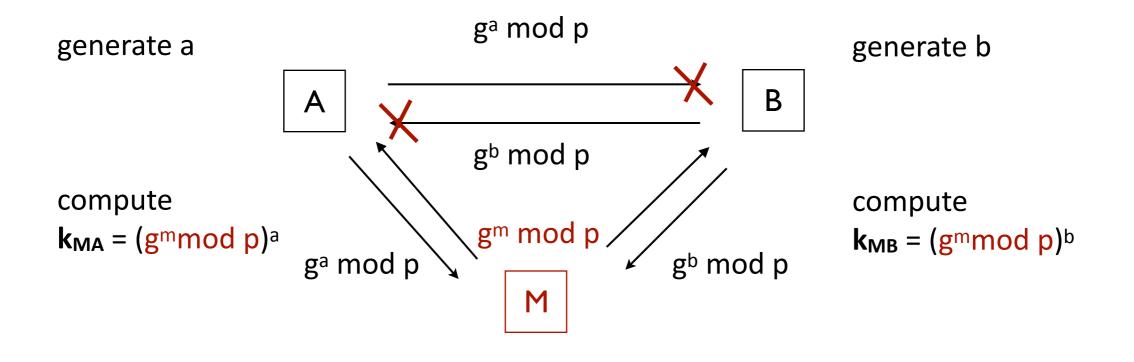


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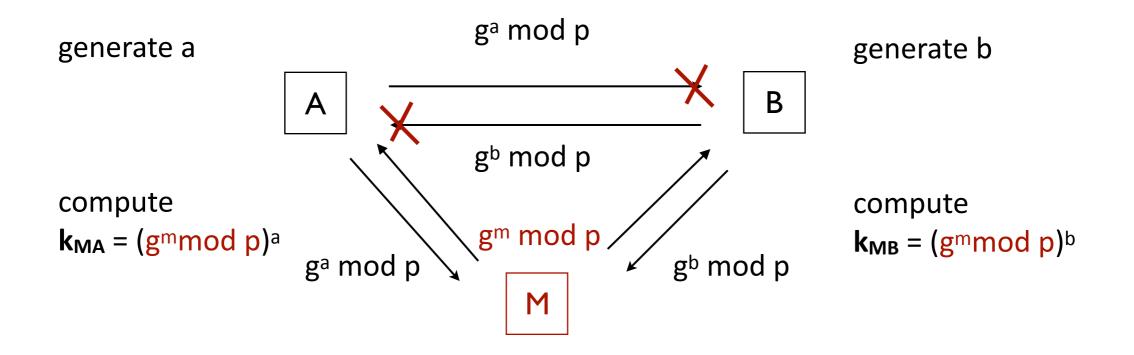
Device Pairing: *Diffie-Hellman Protocol*

DH is not secure against active attackers (MITM attacks).



Device Pairing: Diffie-Hellman Protocol

DH is not secure against active attackers (MITM attacks).



DH keys / contributions (g^a mod p and g^b mod p) therefore *need* to be authenticated or there has to be a procedure to verify with whom the key was established.

Device Pairing

Device Pairing can be built using

- Diffie-Hellman (i.e., using public-key crypto)
- Using symmetric key techniques (under some special assumptions)

Pairing is easy if the devices can verify each-other's certificates (they can then authenticate their DH keys/contributions by signatures).

Device Pairing: A Large Number of Proposals

- Resurrecting duckling (Stajano, Anderson), *physical contact*
- Balfanz et al. location-limited channel (e.g., *infrared link*)
- Asokan, Ginzboorg, *shared password*
- Jakobsson, Larsson, solutions to derive a strong key from a shared weak key
- Castellucia, Mutaf, *device signal indistinguishability*
- ... button presses, accelerometers, sound, PIN entry (BT)...
- Cagalj, Capkun, Hubaux, *distance bounding*
- Perrig and Song, *Public-key hash visualization*
- Gehrmann et al., *short string comparison*
- Cagalj, Capkun, Hubaux, *short string comparison*
- Dohrmann and Ellison, *short word comparison*

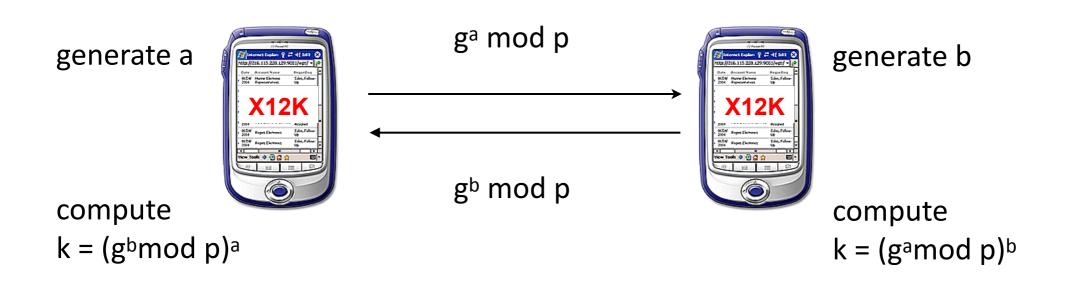
• ..

Device Pairing: Short String Comparison

Maher, 93, US patent, Gehrmann et al 01,03,04, (MANA I, II, III)

Steps:

- Establish key k using DH
- Hash the key h(k) and display on both devices
- Compare the displayed values (160 bits = 20 characters)

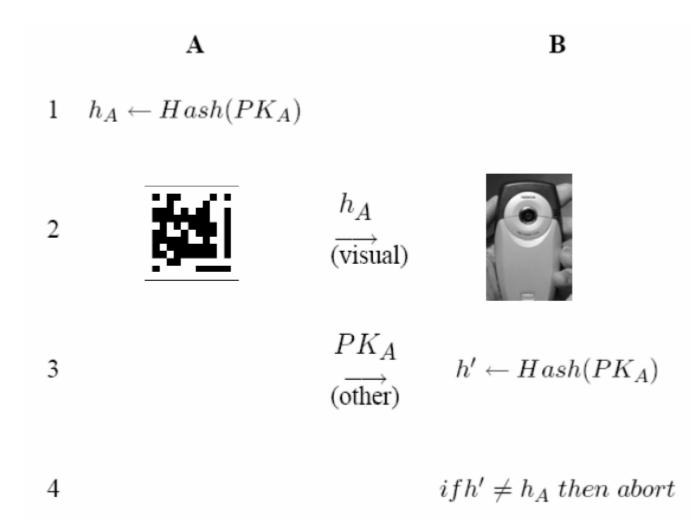


Device Pairing: Seeing is Believing

McCune et al. 05, Seeing is believing

Idea:

• Send the public key over an authentic channel (visual).



Device Pairing: Loud and Clear

Goodrich et al. 05

Idea

Human-assisted string comparison using voice communication

Steps:

- A hashes its public key PK
- h(PK) mapped to a recognizable sentence (public mapping)
- sentence transmitted over the voice channel
- PK transmitted over the wireless channel
- B compares the maps the sentence to the hash of PK

Similar: on-line authentication

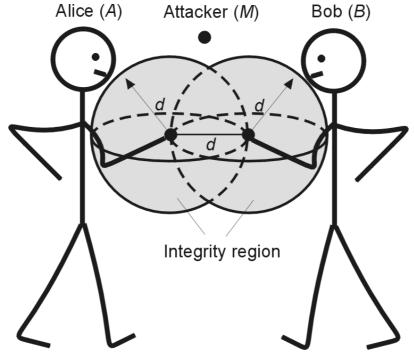
(e.g., for Secure VOIP applications) <u>http://zfoneproject.com/</u>

Device Pairing: Integrity Regions

Capkun, Cagalj 06

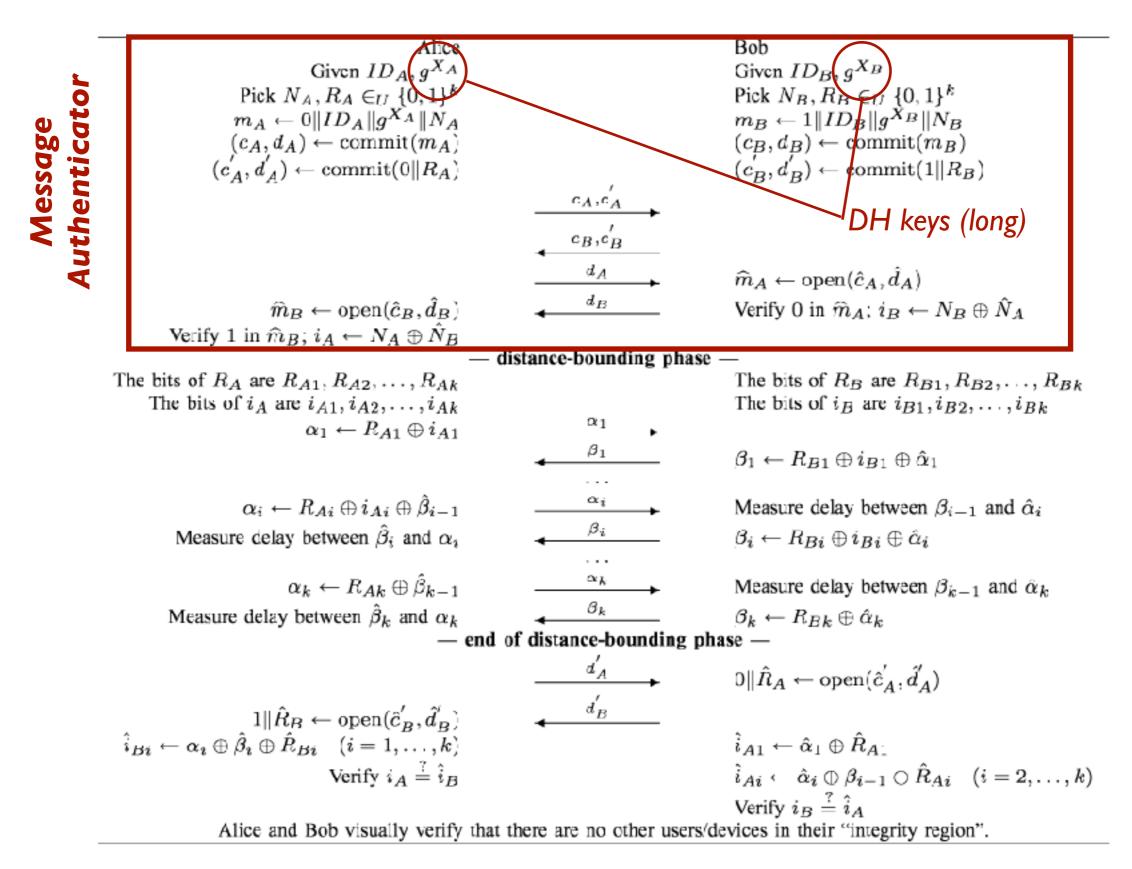
Idea:

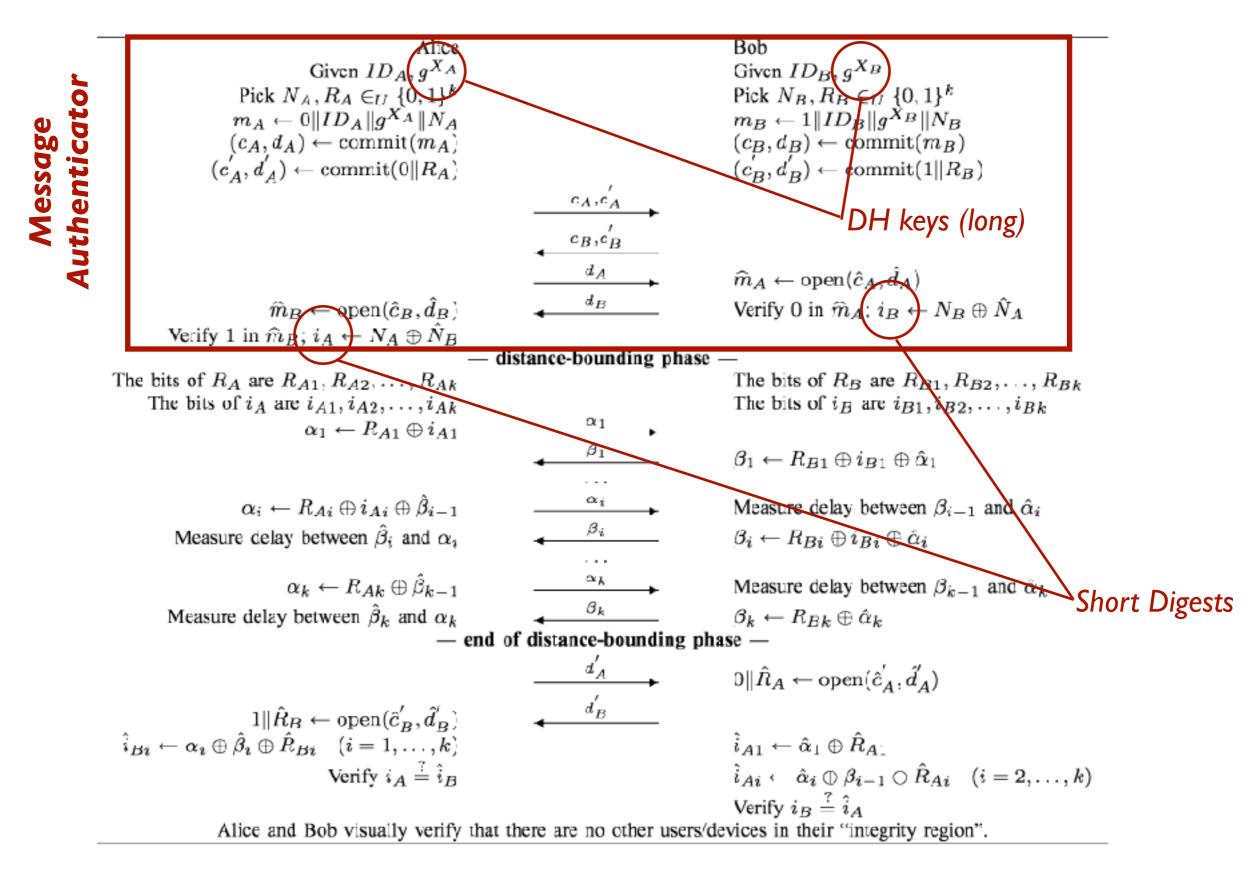
- Establish key k using DH
- Authenticate DH keys by physical proximity (distance bounding)
- 'if the DH key comes from a close proximity it comes from a friend'

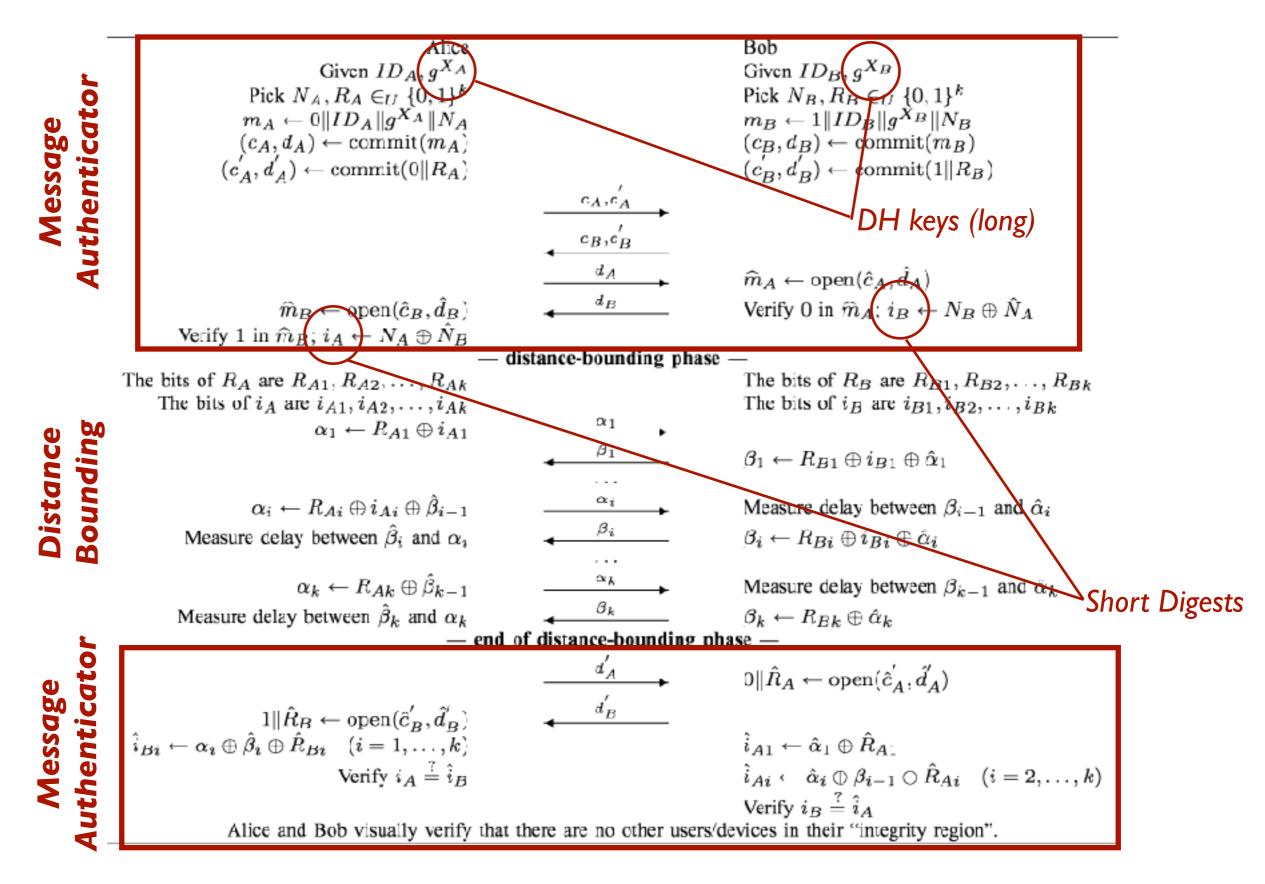


Alice		Dah		
Alice		Bob		
Given ID_A, g^{X_A}		Given ID_B, g^{X_B}		
Pick $N_A, R_A \in U_{\{0,1\}}^k$		Pick $N_B, R_B \in U \{0, 1\}^k$		
$m_A \leftarrow 0 \ ID_A \ g^{X_A} \ N_A$		$m_B \leftarrow 1 \ ID_B \ g^{X_B} \ N_B$		
$(c_A, d_A) \leftarrow \operatorname{commit}(m_A)$		$(c_B, d_B) \leftarrow \operatorname{commit}(m_B)$		
$(c'_A, d'_A) \leftarrow \operatorname{commit}(0 R_A)$		$(c'_B, d'_B) \leftarrow \operatorname{commit}(1 R_B)$		
$(c_A, a_A) \leftarrow \operatorname{comm}(0 n_A)$	/	$(c_B, a_B) \leftarrow \operatorname{comm}(a_{ }, a_B)$		
	c _A ,c _A			
	c_B, c'_B			
	d_A			
		$\widehat{m}_A \leftarrow \operatorname{open}(\widehat{c}_A, \overline{d}_A)$		
$\widehat{m}_B \leftarrow \operatorname{open}(\widehat{c}_B, \widehat{d}_B)$	$\leftarrow d_B$	Verify 0 in \widehat{m}_A ; $i_B \leftarrow N_B \oplus \widehat{N}_A$		
Verify 1 in \hat{m}_B ; $i_A \leftarrow N_A \oplus \hat{N}_B$				
	— distance-bounding phase -	_		
The bits of R_A are $R_{A1}, R_{A2}, \ldots, R_{Ak}$		The bits of R_B are $R_{B1}, R_{B2}, \ldots, R_{Bk}$		
The bits of i_A are $i_{A1}, i_{A2}, \ldots, i_{Ak}$		The bits of i_B are $i_{B1}, i_{B2}, \ldots, i_{Bk}$		
$\alpha_1 \leftarrow R_{A1} \oplus i_{A1}$	α1			
	β_1			
	4	$\beta_1 \leftarrow R_{B1} \oplus i_{B1} \oplus \hat{\alpha}_1$		
$\alpha_i \leftarrow R_{\mathcal{A}i} \oplus i_{\mathcal{A}i} \oplus \hat{\beta}_{i-1}$	$\xrightarrow{\alpha_i}$	Measure delay between β_{i-1} and $\hat{\alpha}_i$		
Measure delay between $\hat{\beta}_i$ and α_i	$\leftarrow \beta_i$	$\beta_i \leftarrow R_{Bi} \oplus i_{Bi} \oplus \hat{\alpha}_i$		
$\alpha_k \leftarrow R_{Ak} \oplus \hat{\beta}_{k-1}$	α_k	Measure delay between β_{k-1} and $\hat{\alpha}_k$		
Measure delay between $\hat{\beta}_k$ and α_k	β_k	$\beta_k \leftarrow R_{Bk} \oplus \hat{\alpha}_k$		
	and of distance-bounding pha			
— end of distance-bounding phase —				
	$\overset{d'_A}{\longrightarrow}$	$0 \ \hat{R}_A \leftarrow \operatorname{open}(\hat{c}'_A, \hat{d}'_A)$		
	d'_B			
$1 \ R_B \leftarrow \operatorname{open}(\hat{c}_B, d_B)$	✓ [™] B			
$1 \ \hat{R}_B \leftarrow \operatorname{open}(\hat{c}'_B, \hat{d}'_B) \\ \hat{i}_{Bi} \leftarrow \alpha_i \oplus \hat{\beta}_i \oplus \hat{R}_{Bi} (i = 1, \dots, k)$		$\hat{i}_{A1} \leftarrow \hat{lpha}_{\perp} \oplus \hat{R}_{A1}$		
Verify $i_A \stackrel{?}{=} \hat{i}_B$		$\hat{i}_{Ai} \leftarrow \hat{lpha}_i \oplus eta_{i-1} \odot \hat{R}_{Ai} (i=2,\ldots,k)$		
		Verify $i_B \stackrel{?}{=} \hat{i}_A$		
Alice and Bob visually verify that there are no other users/devices in their "integrity region".				

	Alice		Bob	
•	Given ID_A, g^{X_A}		Given ID_B, g^{X_B}	
20	Pick $N_A, R_A \in U \{0, 1\}^k$		Pick $N_B, R_B \in U \{0, 1\}^k$	
e t	$m_A \leftarrow 0 \ ID_A \ g^{X_A} \ N_A$		$m_B \leftarrow 1 \ ID_B\ g^{X_B} \ N_B$	
	$(c_A, d_A) \leftarrow \operatorname{commit}(m_A)$		$(c_B, d_B) \leftarrow \operatorname{commit}(m_B)$	
ti	$(c'_A, d'_A) \leftarrow \operatorname{commit}(0 R_A)$		$(c'_B, d'_B) \leftarrow \operatorname{commit}(1 R_B)$	
S	(A, A)	cA,cA	(B, B)	
Messag thentice		·· <i>A</i> ,·· <i>A</i>		
Message Authenticator		c_B, c'_B		
Αι		dA	$\widehat{m}_A \leftarrow \operatorname{open}(\widehat{c}_A, \widehat{d}_A)$	
	$\widehat{m}_B \leftarrow \operatorname{open}(\widehat{c}_B, \widehat{d}_B)$	d_B	Verify 0 in \hat{m}_A ; $i_B \leftarrow N_B \oplus \hat{N}_A$	
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	$\alpha_1 \leftarrow R_{A1} \oplus i_{A1}$	α ₁		
		β_1	$\beta_1 \leftarrow R_{B1} \oplus i_{B1} \oplus \hat{\alpha}_1$	
	D	· · ·		
	$\alpha_i \leftarrow R_{\mathcal{A}i} \oplus i_{\mathcal{A}i} \oplus \beta_{i-1}$	$\xrightarrow{\alpha_i}$	Measure delay between β_{i-1} and $\hat{\alpha}_i$	
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	<u>^</u>			
	$\alpha_k \leftarrow R_{Ak} \oplus \hat{\beta}_{k-1}$	$\xrightarrow{\alpha_k}$	Measure delay between β_{k-1} and $\hat{\alpha}_k$	
	Measure delay between \hat{eta}_k and $lpha_k$	$\leftarrow \beta_k$	$\beta_k \leftarrow R_{Bk} \oplus \hat{\alpha}_k$	
— end of distance-bounding phase —				
		$\overset{d'_A}{\longrightarrow}$	$0 \ \hat{R}_A \leftarrow \operatorname{open}(\hat{c}'_A, \hat{d}'_A)$	
		d'_B		
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1			$\hat{i}_{A1} \leftarrow \hat{\alpha}_1 \oplus \hat{R}_{A1}$	
	Verify $i_A \stackrel{?}{=} \hat{i}_B$		$\hat{i}_{Ai} \leftarrow \hat{lpha}_i \oplus eta_{i-1} \bigcirc \hat{R}_{Ai} (i=2,\ldots,k)$	
			Verify $i_B \stackrel{?}{=} \hat{i}_A$	
Alice and Bob visually verify that there are no other users/devices in their "integrity region".				







Castelluccia, Mutaf 05

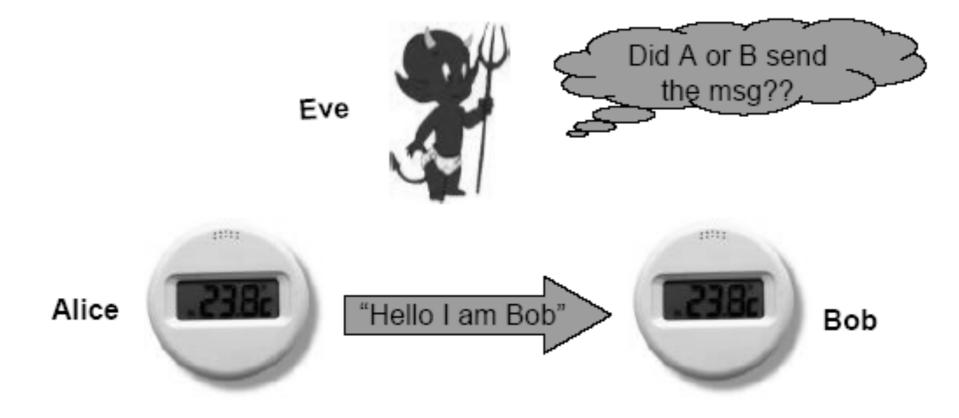
Problem:

- Resource-constrained devices need to establish keys
- DH (PK crypto) is not an option (too expensive)

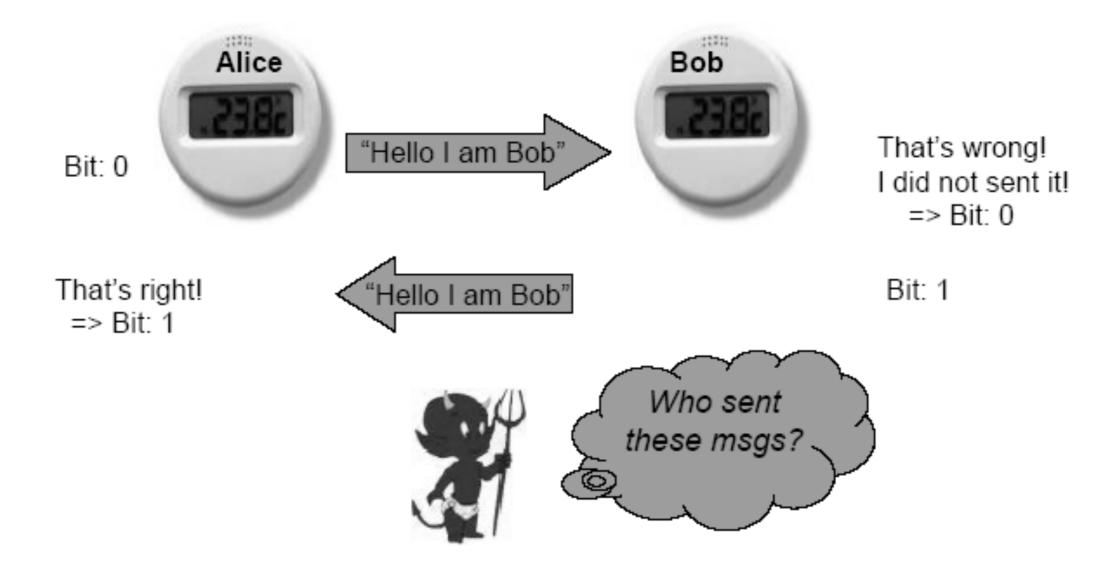
Idea:

• Rely on the fact that the attacker does not know which device transmits at which time ...

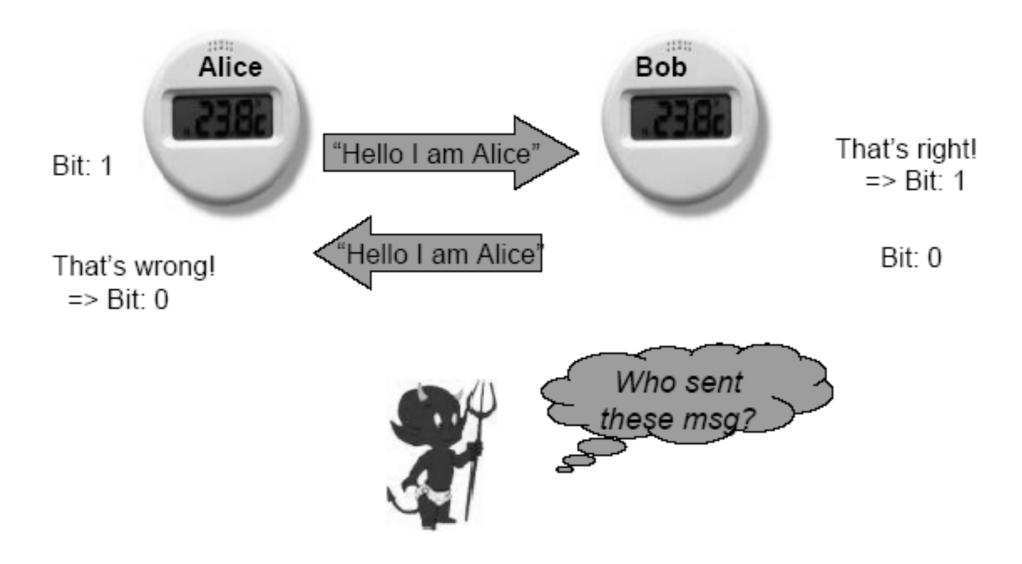
- Let's assume that Alice (A) and Bob (B) communicate over a wireless anonymous broadcast channel
 - Eve can read the exchanged packets
 - ...but can not identify the source of the packets.



Alice and Bob can then use the following algorithm:

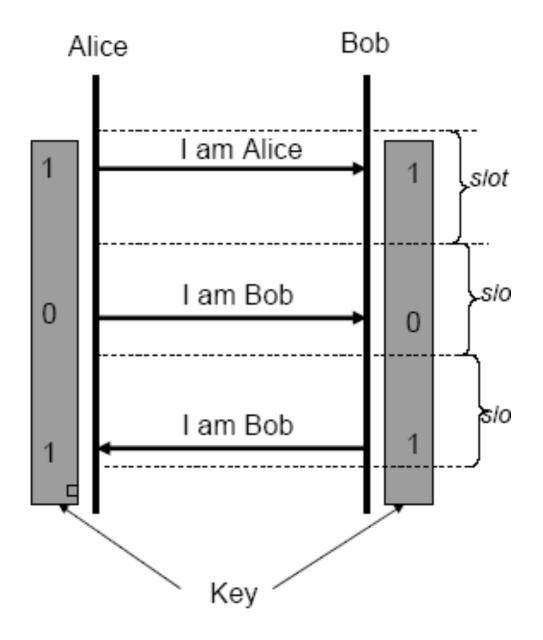


 Of course the protocol is symmetrical i.e. Alice can also send the bit "1" and Bob the bit "0"



- Divide the time in N slots.
- In each slot, either A or B sends a message
- Transmission order is random

 Eve can not group the messages and retrieve the key...



Idea:

• Device indistinguishability

Some issues

- Synchronization (done through shaking ?)
- Signal fingerprinting (power, frequency, ...) need to be addressed before using this approach

Device Pairing: Conclusion

DH can be protected against MITM attacks without previously established keys/certificates

- physical contact
- device indistinguishability (anonymity)
- string comparison (voice communication)
- image comparison (hash visualization)
- distance bounding (physical presence verification)

The string length is a security parameter that can be modified and adjusted for each particular application.

• We can do it without PK (Shake, Accelerometers, ..)

Device Pairing: Protocol issues

DH can be protected against MITM attacks without previously established keys/certificates

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