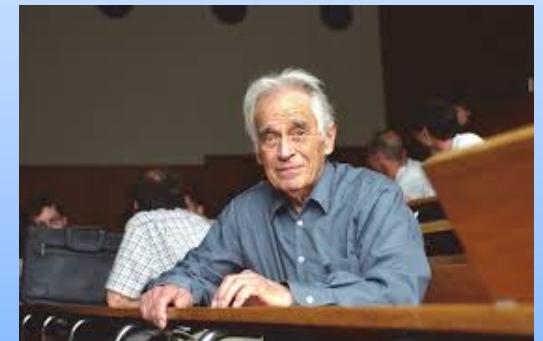


# Kummer's Vandiver Conjecture and the FL Approach.

**At Erwin Engeler's 90-th**



**Preda Mihăilescu**

Mathematisches Institut der Universität Göttingen

[580 × 854](#)

# My first connections to Erwin Engeler



[240 × 160](#)

**Marius Solomon:**  
discussions about the  
future directions...  
future...



**Manuel Bronstein:**

The turning point...



**Volker Strassen:**

Constructor of all this ...



# Erwin's connections to Göttingen

[580 × 854](#)

Minkowski's leaving G.  
For Z. was an  
enrichment for the  
young ETH.

[240 × 160](#)



580 × 854

# Bernay's leaving G. For Z. was an enrichment for the later ETH. It gave Erwin.



## Mathematics Genealogy Project

### I. Paul (Isaak) Bernays

[Biography](#)

Ph.D. Georg-August-Universität Göttingen 1912 Germany

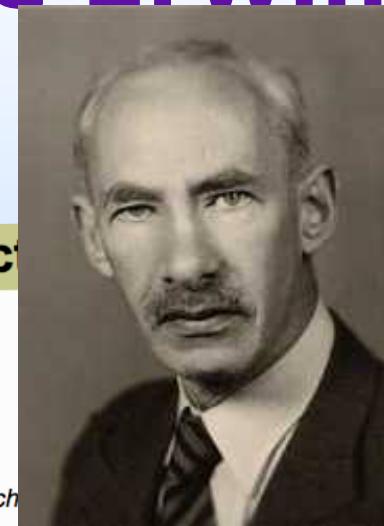
Dissertation: *Über die Darstellung von positiven, ganzen Zahlen durch die primitiven, binären quadratischen Formen einer nicht-quadratischen Diskriminante*

Advisor: [Edmund Landau](#)

Students:

Click [here](#) to see the students listed in chronological order.

Name	School	Year	Descendants
<a href="#">Altwegegg, Martin</a>	ETH Zürich	1948	
<a href="#">Böhm, Corrado</a>	ETH Zürich	1954	44
<a href="#">Büchi, J. Richard</a>	ETH Zürich	1950	71
<a href="#">Eisenring, Max</a>	ETH Zürich	1942	
<a href="#">Engeler, Erwin</a>	ETH Zürich	1958	152



100 × 160



**Thank you  
Erwin!  
Thank you,  
ETH!**



# **CS Future?**

**Sophie qui  
aura 30 ans  
en l'an 2045:**

**How will be  
her  
CHARACTER?**



- Will she find loopholes for shipping billions of profit to tax free islands?
- Will she find ways to clean the planet and help use the available ressources for human life?
- Will she have a kind heart?



**„Artificial Intelligence is not good or bad. It is like a small child, it looks through our eyes and will learn from the choices we make!“**



# The rest of this talk is about this (according to Lang):

Some basic conjectures remain open, notably the Kummer–Vandiver conjecture that  $h_p^+$  is prime to  $p$ . The history of that conjecture is interesting. Kummer made it in no uncertain terms in a letter to Kronecker dated 28 December 1849. Kummer first tells Kronecker off for not understanding properly what he had previously written about cyclotomic fields and Fermat's equation, by stating “so liegt hierin ein grosser Irrthum deinerseits ...”; and then he goes on (Collected Works, Vol. 1, p. 84):

Deine auf dieser falschen Ansicht berühenden Folgerungen fallen somit von selbst weg. Ich gedenke vielmehr den Beweis des Fermatschen Satzes auf folgendes zu gründen:

1. Auf den noch zu beweisenden Satz, dass es für die Ausnahmszahlen  $\lambda$  stets Einheiten giebt, welche ganzen Zahlen congruent sind für den Modul  $\lambda$ , ohne darum  $\lambda$ te Potenzen anderer Einheiten zu sein, oder was dasselbe ist, dass hier niemals  $D/A$  durch  $\lambda$  theilbar wird.

**Mathematics is full of  
FASCINATING QUESTIONS  
and  
CONJECTURES**





THE END