

**Speaker:** Miklós Z. Rácz (Princeton University)

**Title:** Finding cliques in random graphs by adaptive probing

**Abstract:** I will talk about algorithms (with unlimited computational power) which adaptively probe pairs of vertices of a graph to learn the presence or absence of edges and whose goal is to output a large clique. I will focus on the case of the random graph  $G(n, 1/2)$ , in which case the size of the largest clique is roughly  $2 \log(n)$ . Our main result shows that if the number of pairs queried is linear in  $n$  and adaptivity is restricted to finitely many rounds, then the largest clique cannot be found; more precisely, no algorithm can find a clique larger than  $c \log(n)$  where  $c < 2$  is an explicit constant. I will also discuss this question in the planted clique model. This is based on joint works with Uriel Feige, David Gamarnik, Joe Neeman, Benjamin Schiffer, and Prasad Tetali.