Modeling of surfaces: the third dimension in XPS analysis of multilayer structures

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XPS Analysis

- The material to be analyzed is in UHV
- The surface is irradiated with photons in X-ray range (Alkα 1486.6 eV)
- The emitted e- are separated according to their energy by the analyzer and counted



Courtesy of Thermo VG Scientific





X-ray Photoelectron Spectroscopy (XPS)

Type of information



elemental identification

chemical state identification



Imaging XPS Study of Additive-Surface Interactions



Irgalube[®] 349/PAO/100Cr6 following tribotesting



A. Rossi, K. Matsumoto, N.D. Spencer 1998 PPM Materials - ETH-LSST





The need of the study of very thin films with a depth resolution on the nanometers range stimulates the proposal of **new models** for XPS quantification.



Outline

The need for quantitative XPS information
Real surfaces
Modeling of real surfaces: the three layer model
Examples
Outlook





XPS depth resolution in the nanometer range



p sampling depth, t thickness of layer





Attenuation of XPS photoelectrons

Example of an iron oxide layer on iron



Electrons from the bulk are attenuated by any layer on the surface





Modeling oxide layer - ARXPS Example of an iron oxide layer on iron





$$\begin{split} \mathbf{I}_{\text{bulk}} &= \mathbf{I}_{\text{bulk}}^{0} \exp\left(-x_{\text{L}} / (\lambda_{\text{L}} \sin(\theta))\right) & \text{decreases with } x_{\text{L}} \text{ and angle} \\ \mathbf{I}_{\text{Layer}} &= \mathbf{I}_{\text{L}}^{\infty} \left(1 - \exp\left(-x_{\text{L}} / (\lambda_{\text{L}} \sin(\theta))\right)\right) & \text{increases with } x_{\text{L}} \text{ and angle} \\ & \text{Electrons from the bulk are progressively attenuated at lower} \\ & \text{take off angles.} \end{split}$$





Modeling contamination overlayer - ARXPS Example of an iron oxide layer on iron with contamination





 $I_{bulk} = I_{bulk}^{0} \exp(-x_{L} / (\lambda_{L} \sin(\theta))^{*} \exp(-x_{C} / (\lambda_{L} \sin(\theta)))$ $I_{Layer} = I_{L}^{\infty} (1 - \exp(-x_{L} / (\lambda_{L} \sin(\theta))^{*} \exp(-x_{L} / (\lambda_{L} \sin(\theta)))$ $Layer thickness x_{L} and x_{c} are corrected for density$





Modeling of multicomponent real surfaces Real surfaces are multicomponent with unknown in-depth Distribution and a contamination overlayer



Electron attenuation
Effect of layer density
Gradients in composition
Contamination overlayer

How to calculate composition and thickness from XPS data?





Three layer model for real surfaces



Materials

A.Rossi and B. Elsener, Surface and Interface Analysis, 18, 1992, 499-504. B. Elsener and A. Rossi, Electrochimica Acta, 37, 1992, 2269-2276



Three-layer model: the equations

$$\mathbf{I}_{i}^{ox} = \left\{ \frac{\left[\mathbf{g}_{i} \sigma_{i}^{ox} \mathcal{C}_{i}^{ox} \rho^{ox} \Lambda_{i}^{ox} \right]}{\mathbf{A}_{i}} \right\} * \left[1 - \exp\left(\frac{-\mathbf{f}}{\Lambda_{i}^{ox}} \right) \right] * \exp\left(\frac{-\mathbf{f}_{c}}{\Lambda_{i}^{c}} \right)$$

$$\boldsymbol{I}_{i}^{sub} = \left\{ \frac{[\boldsymbol{g}_{i}\sigma_{i}^{sub}\boldsymbol{\mathcal{C}}_{i}^{sub}\rho^{sub}\Lambda_{i}^{sub}]}{\boldsymbol{A}_{i}} \right\} * \left[\exp\left(-\frac{t}{\Lambda_{i}^{ox}}\right) \right] * \exp\left(-\frac{t}{\Lambda_{i}^{ox}}\right) \right]$$





Three-layer model: parametric equations

$$f_{1}(t,lc) = \left[\left(\frac{\rho^{ox}}{\rho^{sub}} \right) \sum_{i} I_{i}^{sub} \kappa_{i}^{sub} \exp\left(\frac{t}{\Lambda_{i}^{ox}} \right) * \exp\left(\frac{l_{c}}{\Lambda_{i}^{c}} \right) \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] - \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right] + \sum^{ox} f_{2}(t,l_{c}) = \left[\frac{l_{c} \kappa_{c} \rho_{ox}}{\left(1 - \exp\left(\frac{-l_{c}}{\Lambda_{i}^{c}} \right) \right)} \right]$$



Numerical methods based on versions of Newton's method are used to find numerical approximations to the solutions of the equations. The composition of each layer are calculated simultaneously.





Self-Assembled Monolayers ODP on Ta₂O₅ ARXPS



 $ODP = C_{18}H_{37}OPO(O_2)$



Phosphate head is at the interface



*M. Textor, L.Ruiz, R. Hofer, A. Rossi, K.Feldman, G. Hähner and N.D. Spencer, Langmuir, 2000, 16, 3257-3271



Self-Assembled Monolayers ODP on Ta₂O₅



C is dark grey, H is light blue, P is pink, O is red, Ta is grey



layer homogeneity e- attenuation according to Lambert-Beer law no gradients



*M. Textor, L.Ruiz, R. Hofer, A. Rossi, K.Feldman, G. Hähner and N.D. Spencer, Langmuir, 2000, 16, 3257-3271



Self-Assembled Monolayers ODP on Ta_2O_5

Thickness and composition of self-assembled ODP monolayer on Ta2O5 *.

	С	0	Р	0	Ta						
	ODP chain	pol	ar head	substrate Ta205							
thickness (nm)	lc = 1.2±0.2	† =	1.2±0.1 ₅	semi infinite							
composition weight%											
theoretical	-	67.4	32.6	18.1	81.9						
experimental	-	69±1	31±1	17.3±1	82.7±1						





Protein resistant biomaterials PLL-g-PEG on Nb₂O₅





N. Huang, R. Michel, J. Voros, M.Textor, R. Hofer, A. Rossi, D.L. Elbert, J. A. Hubbell, and N.D. Spencer, Langmuir, 2001, 17, 489-498.



Protein resistant biomaterials PLL-g-PEG on Nb₂O₅

angle	thickness (nm)		composition			composition	
			inter	face	bulk		
	PEG	PLL	C1s	N1s	O1s	metal	O1s
Exper.	1.1±0.3	0.6±0.2	59	21	20	72	28
Calc.	-	-	59	23	18	70	30

$$ρ$$
 PEG = 2 g cm⁻³
 $ρ$ PLL = 1 g cm⁻³
 $ρ$ Nb₂O₅ = 4.47 g cm⁻³

The thicknesses are fully consistent with monolayer coverage of PLL-g-PEG and with a surface coverage of 148 ng cm⁻³ measured by OWLS.











Imaging XPS



From Imaging to Spectroscopy

O 1s





Select Areas for High Resolution-Small Area XPS





XPS Results











XPS Results (Iron)







XPS Results - film thickness







Outlook

The newest spectrometers allow imaging quantification with: higher lateral resolution (<3µm) collection of spectroscopic data with high sensitivity

The application of the **three-layer model** at any point of the image will provide information: local thicknesses variations local layer composition changes local interface composition variations





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