

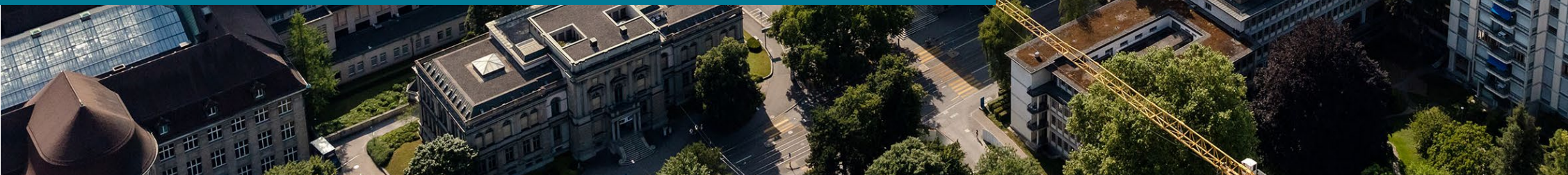


# Artificial Intelligence and Data Analytics for the Operation and Planning of Power Distribution Grids

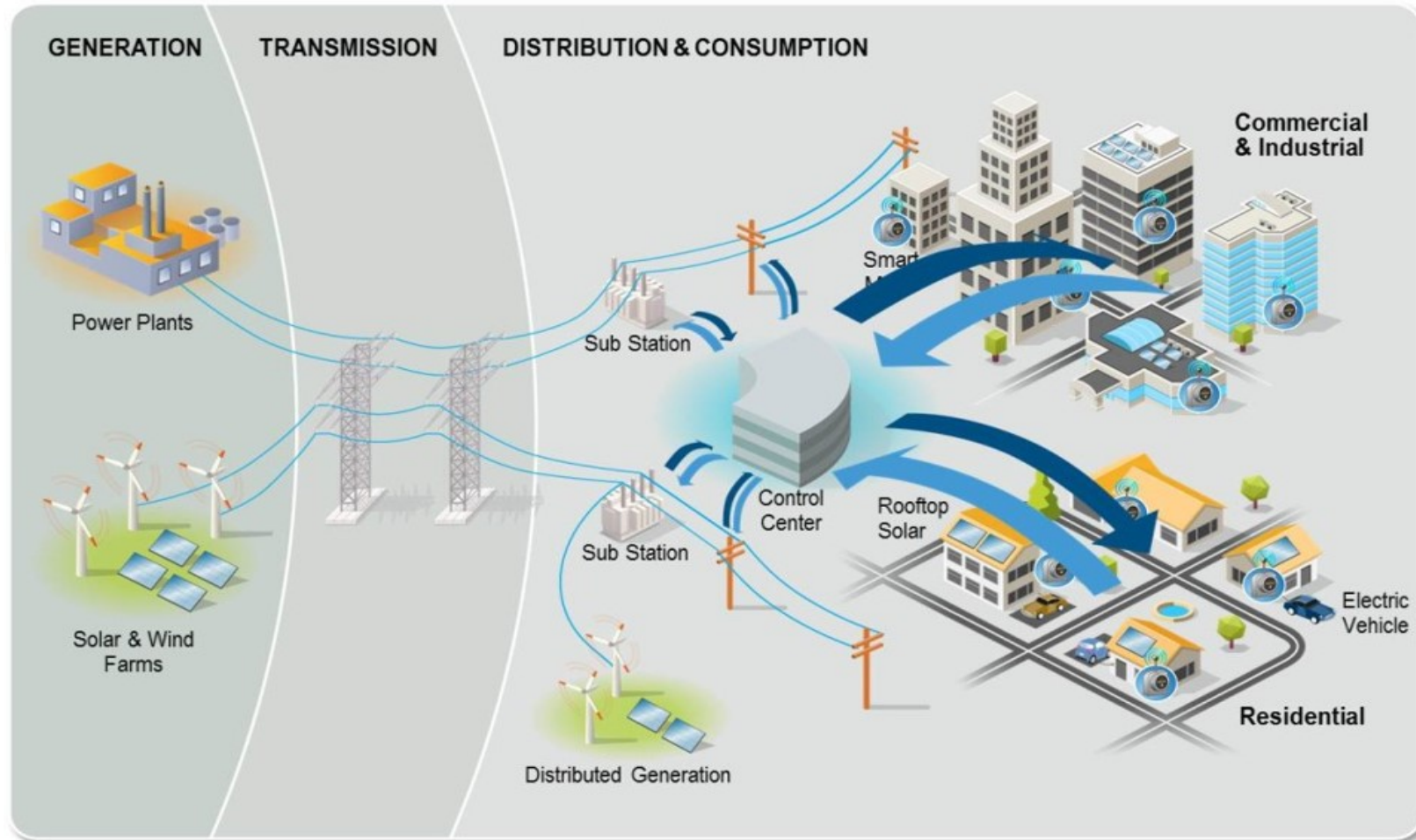
Thierry Zufferey

Doctoral researcher, Power Systems Laboratory

Frontiers in Energy Research, 13<sup>th</sup> April 2021



# Digitalization of Power Distribution Grids



© Rethink Electric, *What is a Smart Grid and Why are We Building it?*

# Advanced Metering Infrastructure (AMI)

Smart meter = digital sensor + bidirectional communication

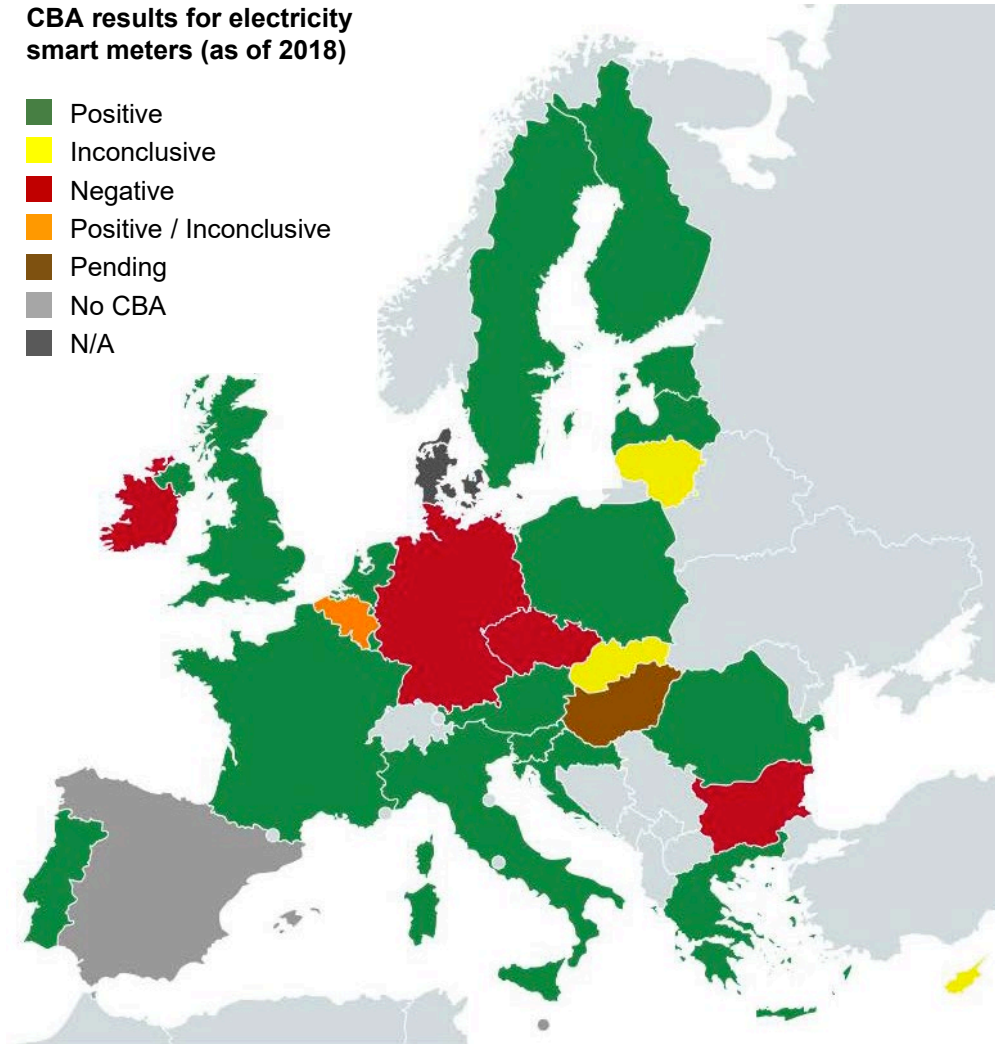


© Nuri Telecom, "Solutions – Advanced Metering Infrastructure"

# Roll-Out of Electricity Smart Meters in the EU

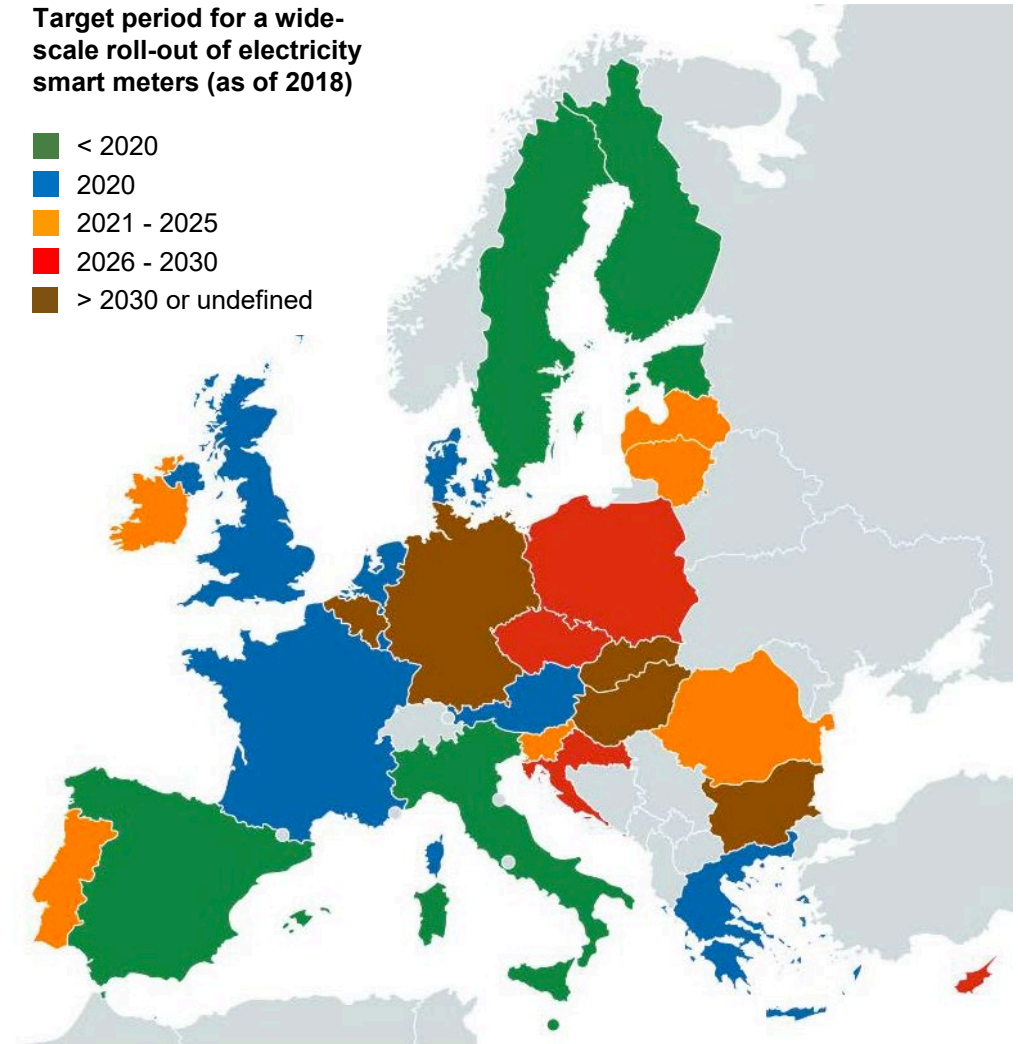
CBA results for electricity smart meters (as of 2018)

- Positive
- Inconclusive
- Negative
- Positive / Inconclusive
- Pending
- No CBA
- N/A



Target period for a wide-scale roll-out of electricity smart meters (as of 2018)

- < 2020
- 2020
- 2021 - 2025
- 2026 - 2030
- > 2030 or undefined



© F. Tounquet and C. Alaton, "Benchmarking Smart Metering Deployment in the EU-28", 2020.

# Advanced Metering Data Application and Challenges

## Data Preparation

Automated Meter Reading

Detection of Non-Technical Losses

## Big Data Visualization

Situational Awareness

Grid Monitoring

Grid Topology Estimation

State Estimation

Data Privacy

Customer Concerns

**Advanced Metering  
Infrastructure**

## Pseudo-Measurement Synthesis

Demand-Side Management

Transactive Energy Systems

Long-Term Forecasting

## Short-term Forecasting

Flexibility Estimation

## Load Disaggregation

Load Profiling

Demand Response

# Outline

## Characteristics of Data in Distribution Grids

Data Preparation  
Big Data Visualization  
Impact of Temporal Resolution  
and Spatial Aggregation

## Data-based Modeling of Distribution Grids

Pseudo-Measurement Synthesis  
Optimal Load Allocation

## Application of Data-based Approaches in LV Grids

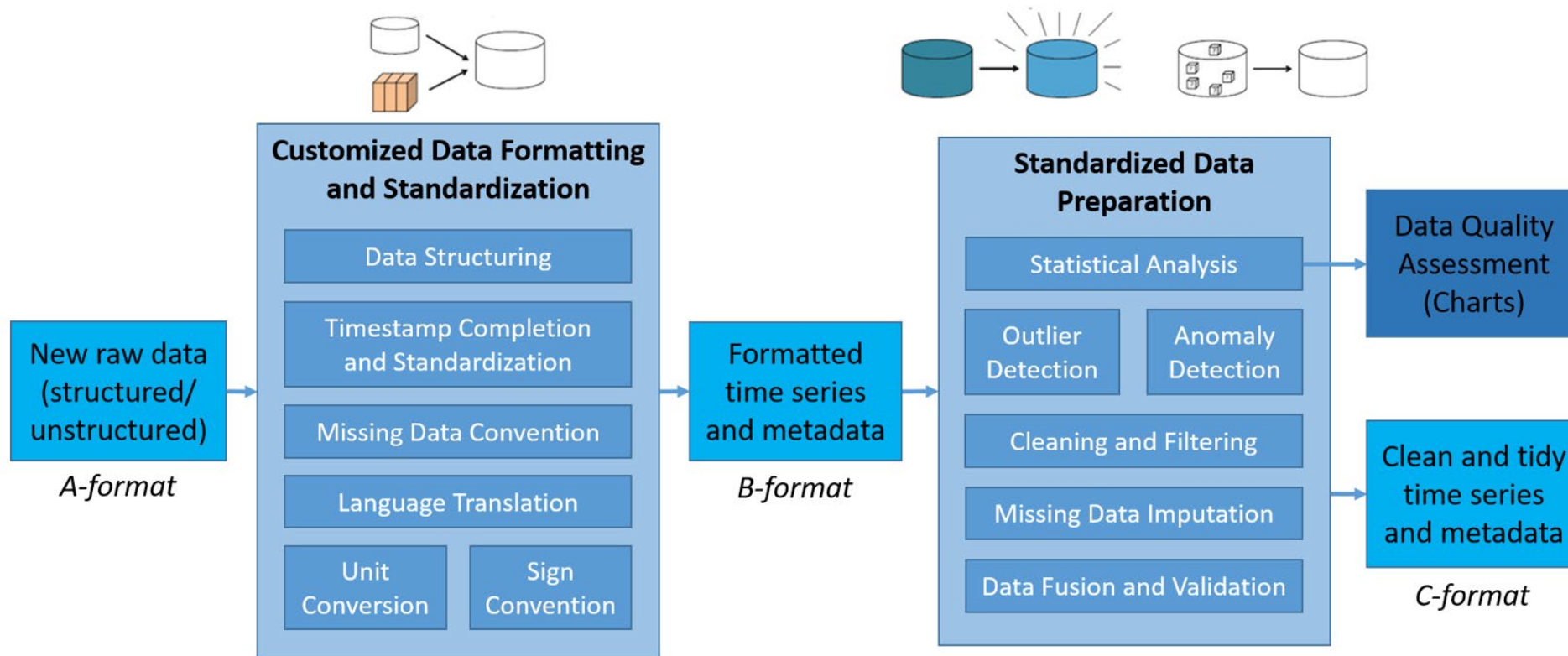
Detection and Disaggregation of  
Flexible Loads  
Deterministic and Probabilistic  
Short-Term Forecasting  
Preventive Voltage Control

## Conclusions and Outlook

# Data Preparation

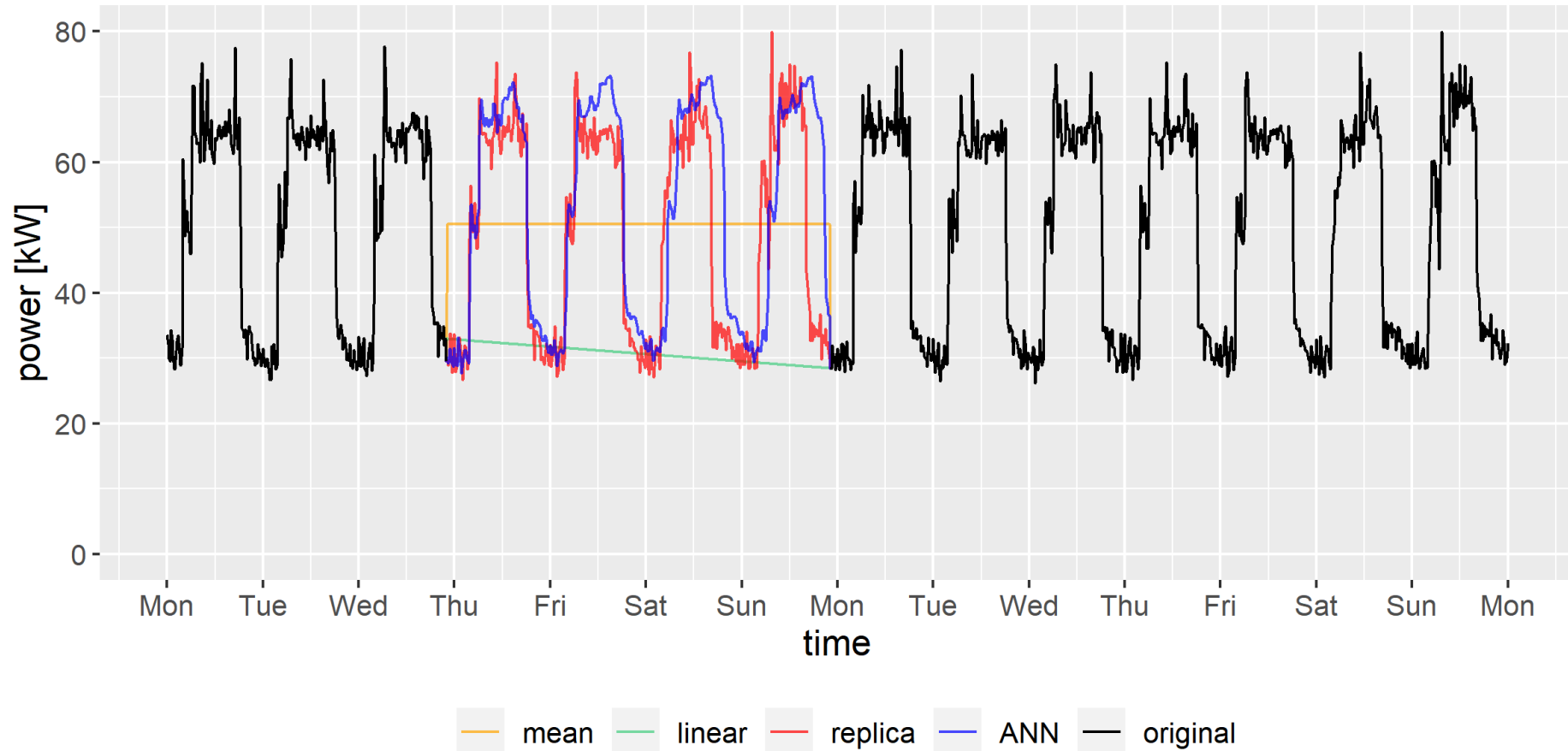
*“If 80 percent of our work is data preparation, then ensuring data quality is the important work of a machine learning team.”*

Andrew Ng



# Data Preparation

## Missing Data Imputation



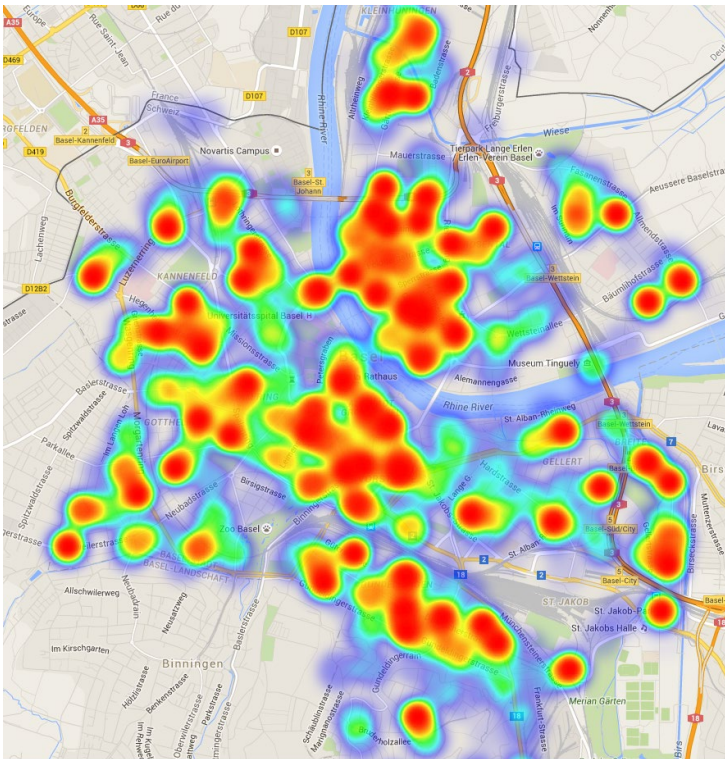
There is no one-size-fits-all solution in data preparation



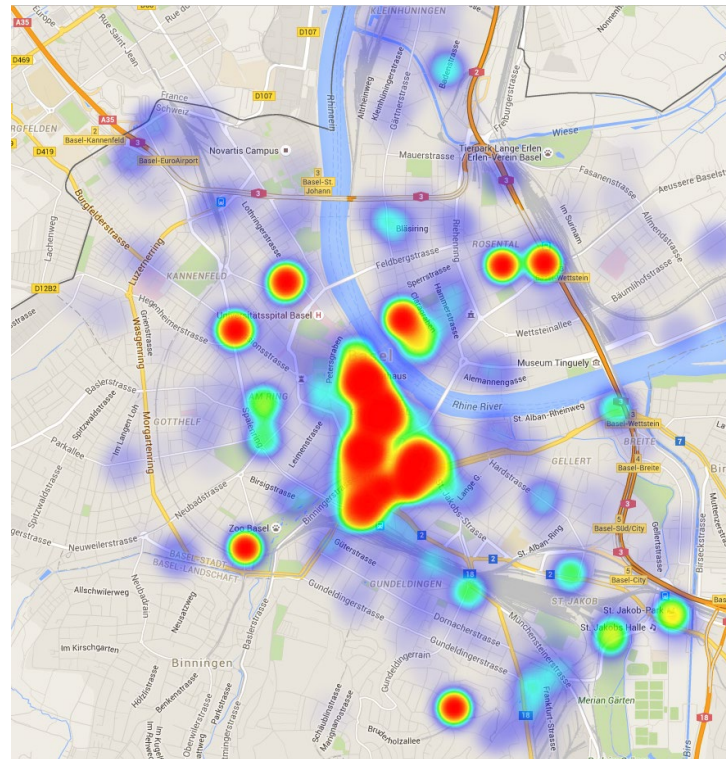
# Big Data Visualization and Heatmaps

## Spatial Representation

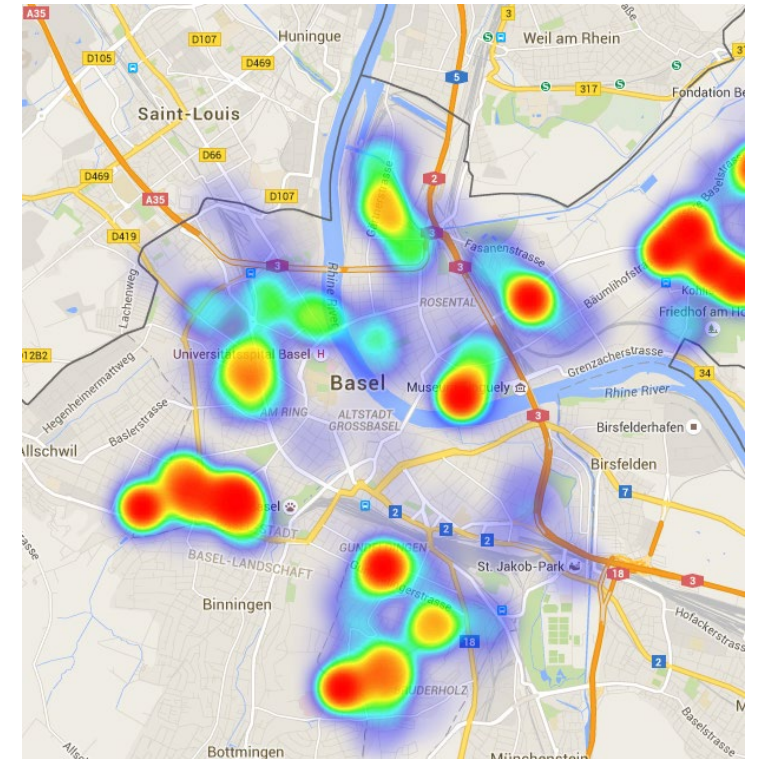
### Consumption from Residential End-Users



### Consumption from Industrial and Commercial End-Users



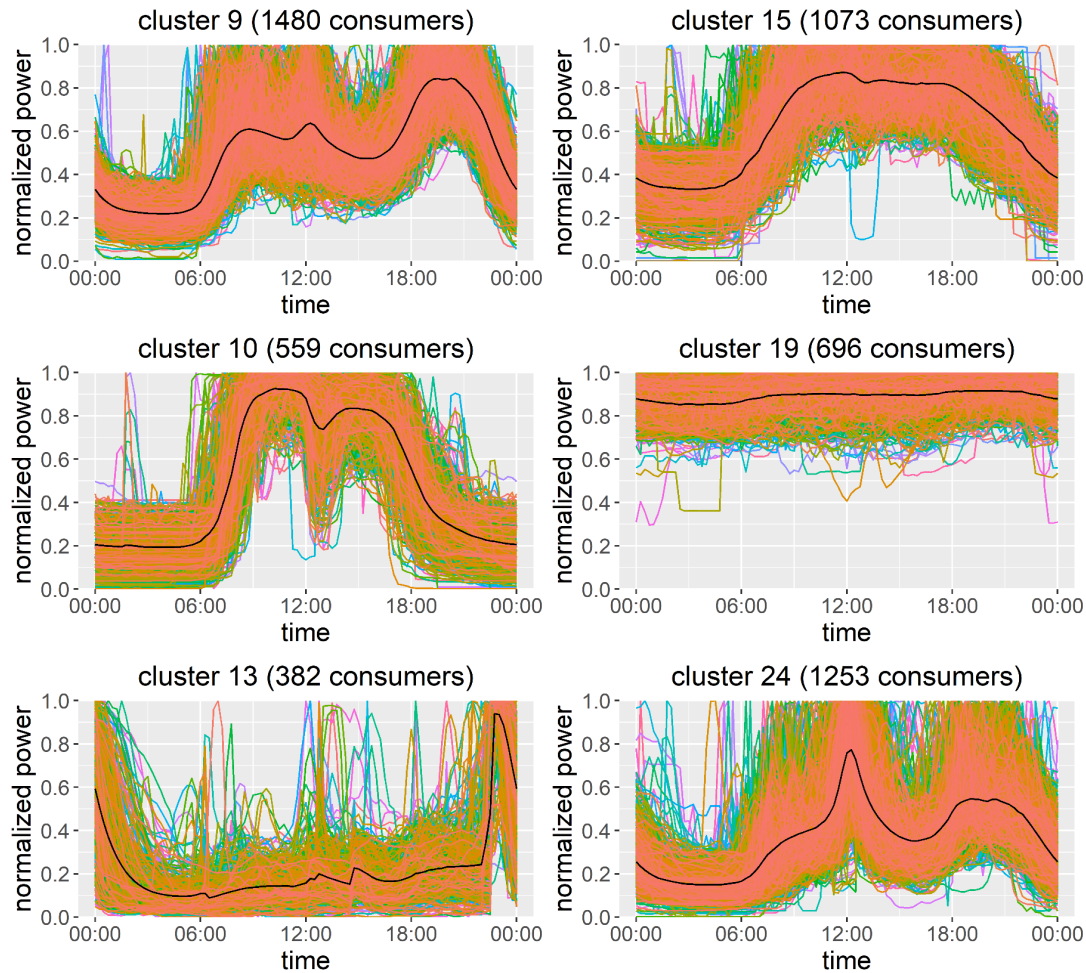
### Production from PV Systems



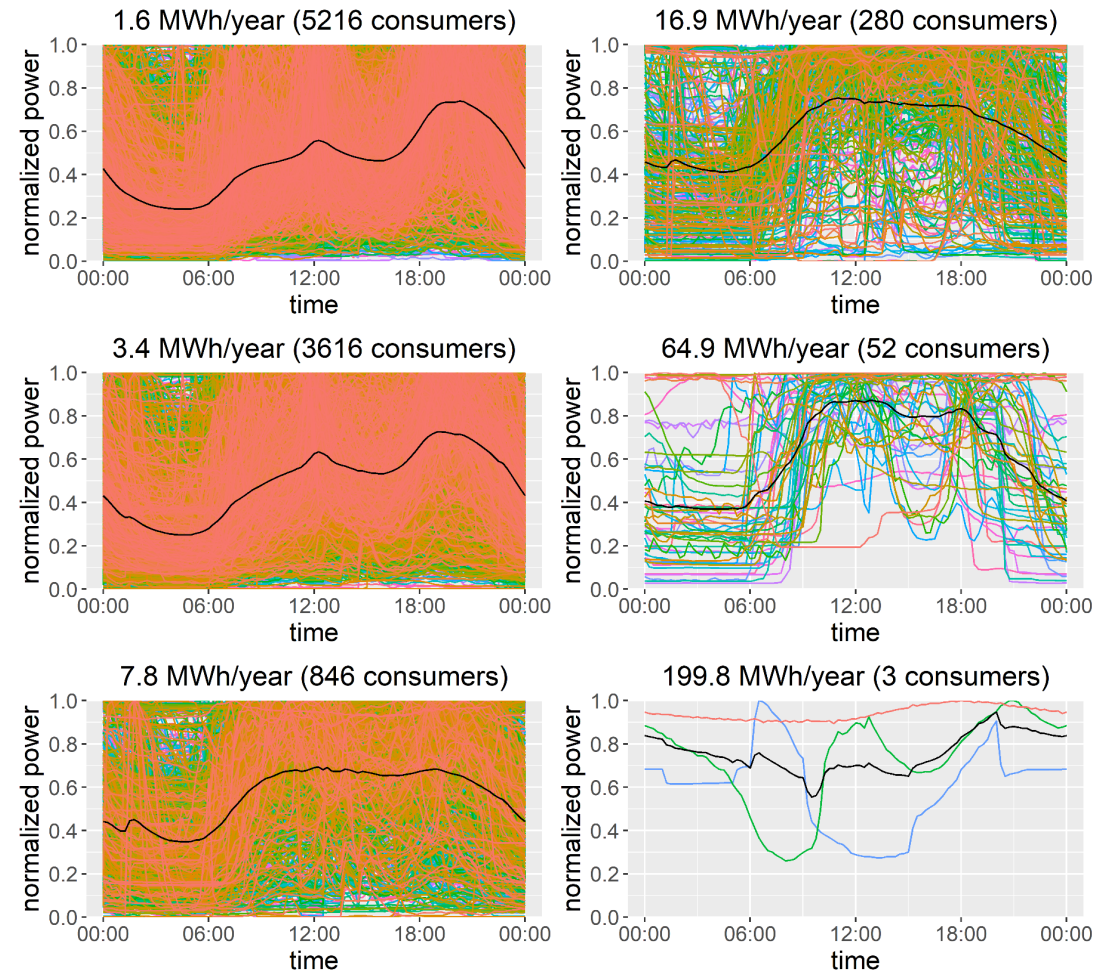
# Big Data Visualization and Unsupervised Learning

## Temporal Representation

### Clustering based on typical daily load profile

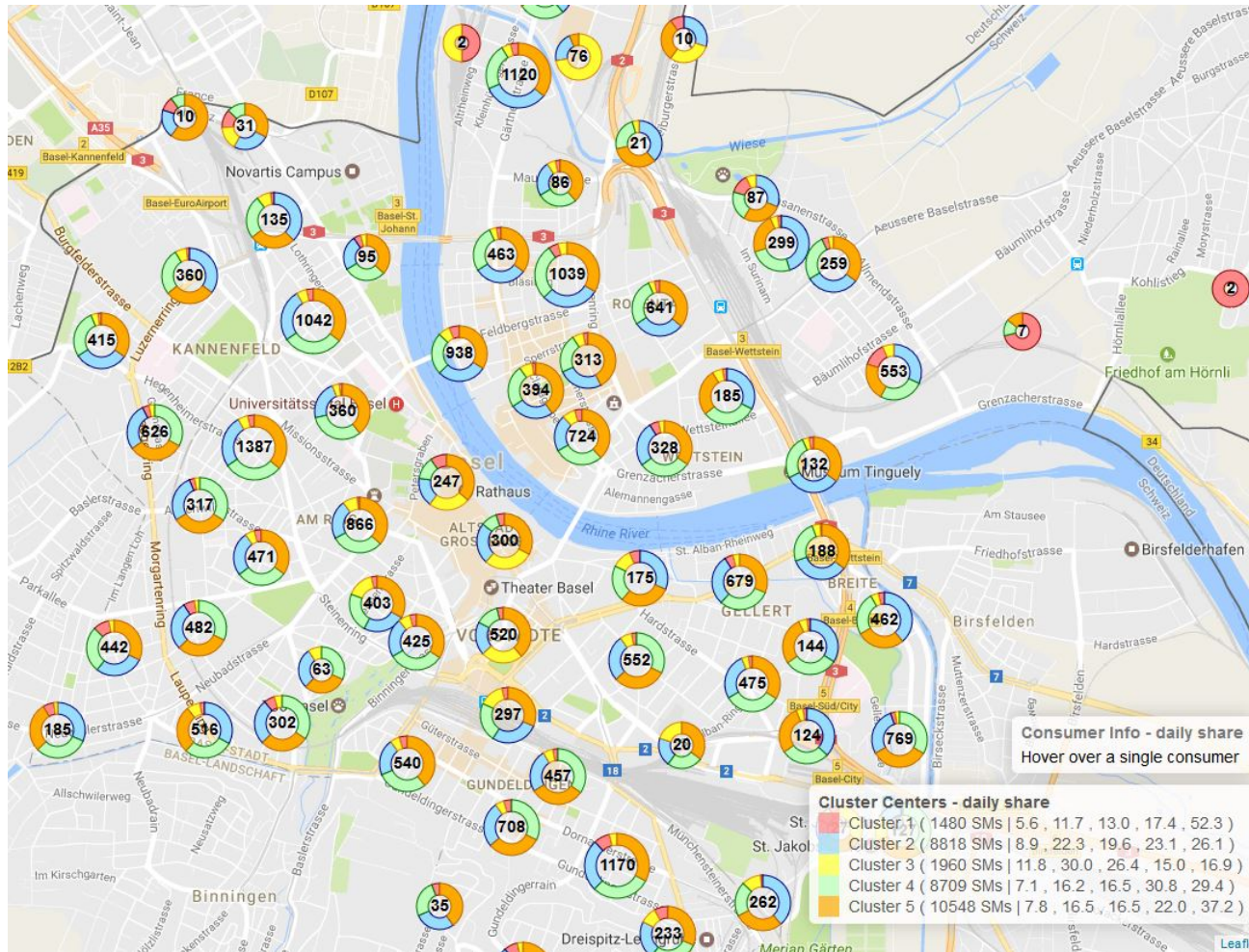


### Clustering based on average energy consumption



# Big Data Visualization and Unsupervised Learning

## Spatial Representation

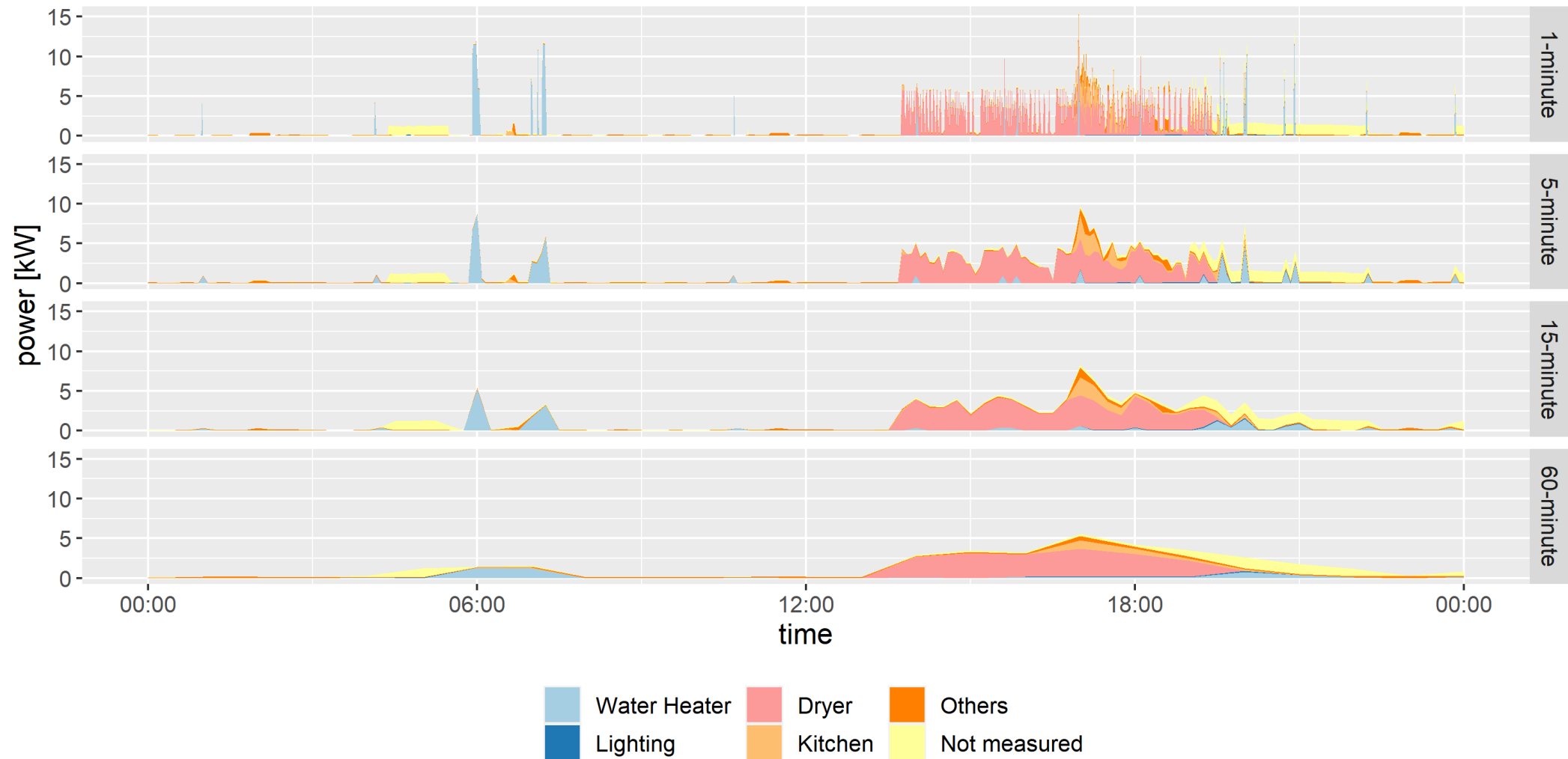


### Clustering based on Intra-Daily Consumption Share

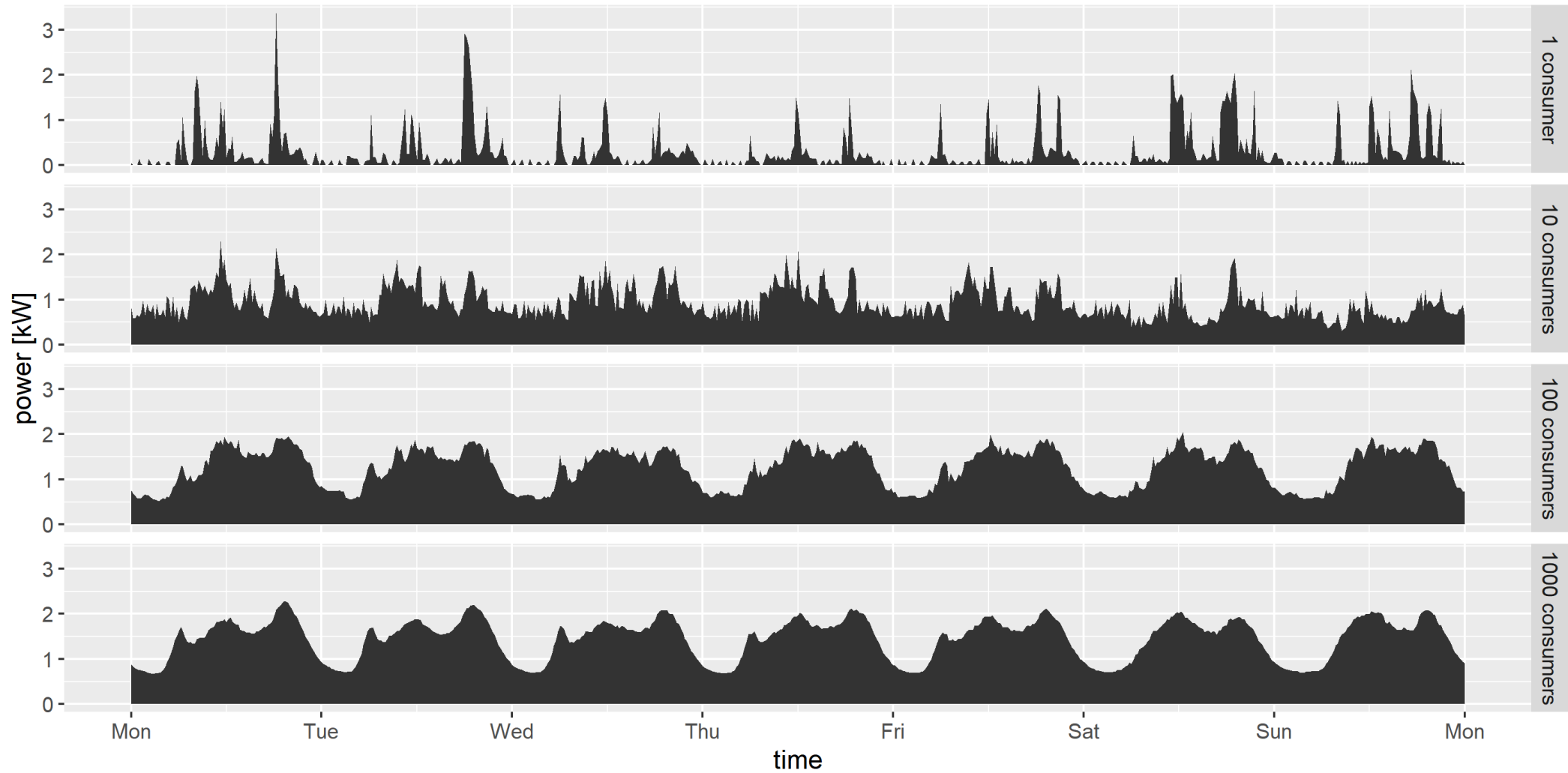
- Active during the night (price-sensitive)
- Active from morning to evening
- Active during business hours
- Active in the early evening
- Active in the late evening

Simple unsupervised methods already provide valuable insights at a city level

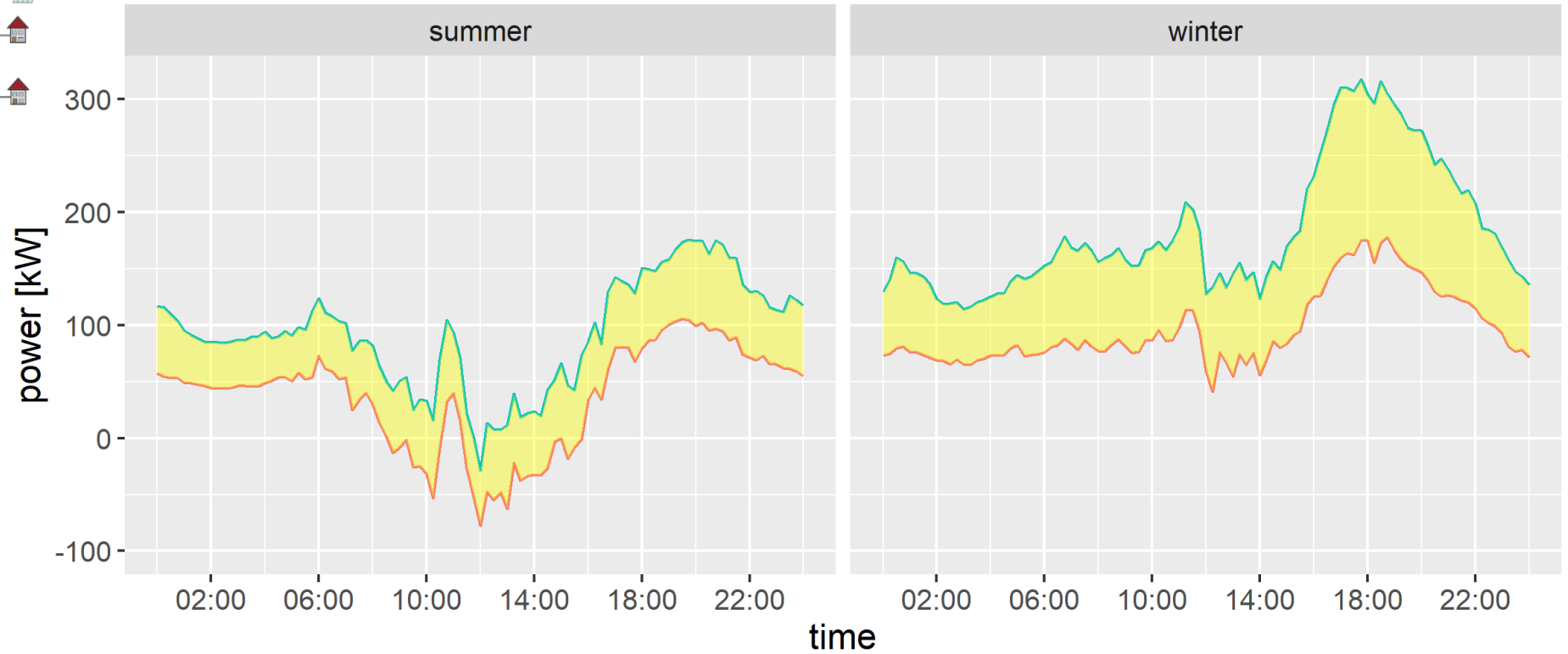
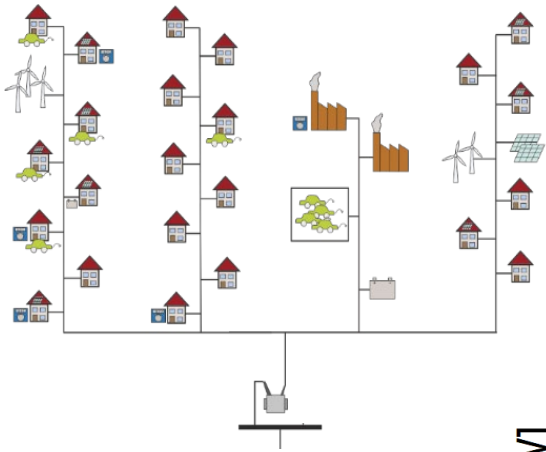
# Impact of Temporal Resolution



# Impact of Spatial Aggregation



# Synthesis of Active Power Pseudo-Measurements

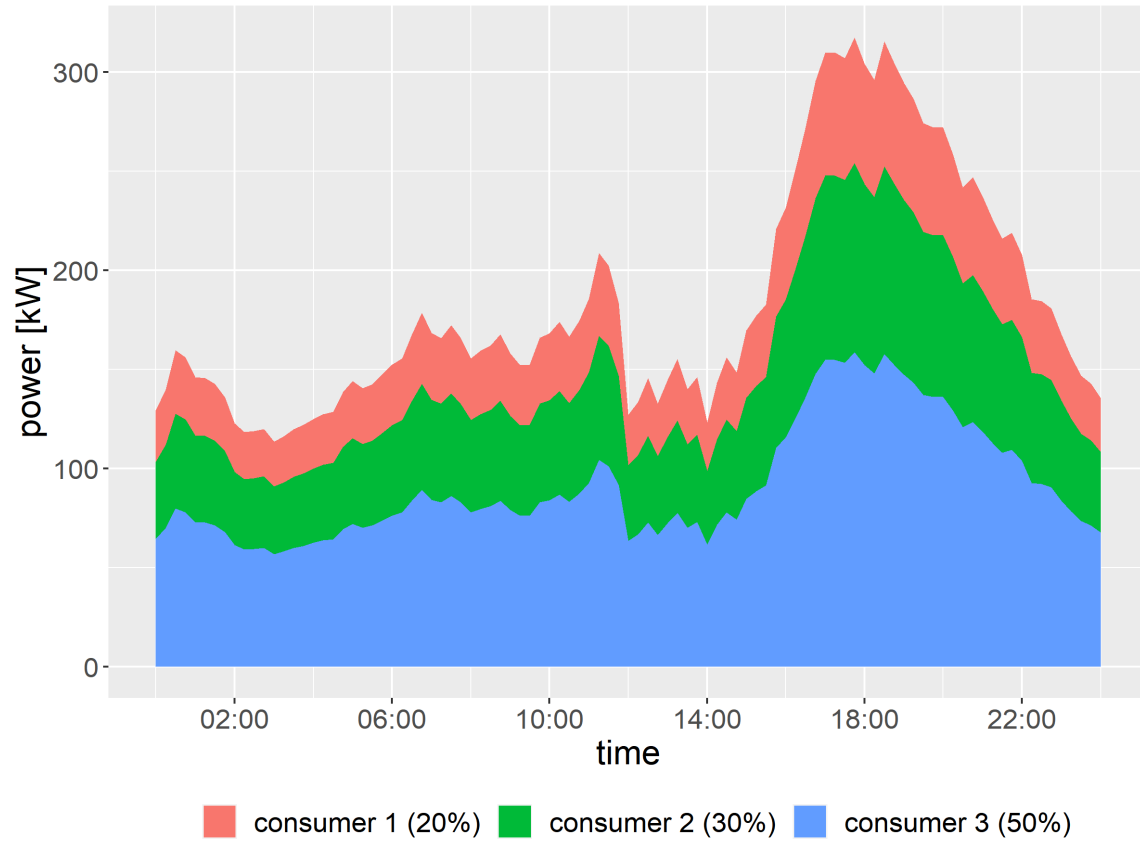


— aggregated consumer and PV measurements — transformer loading

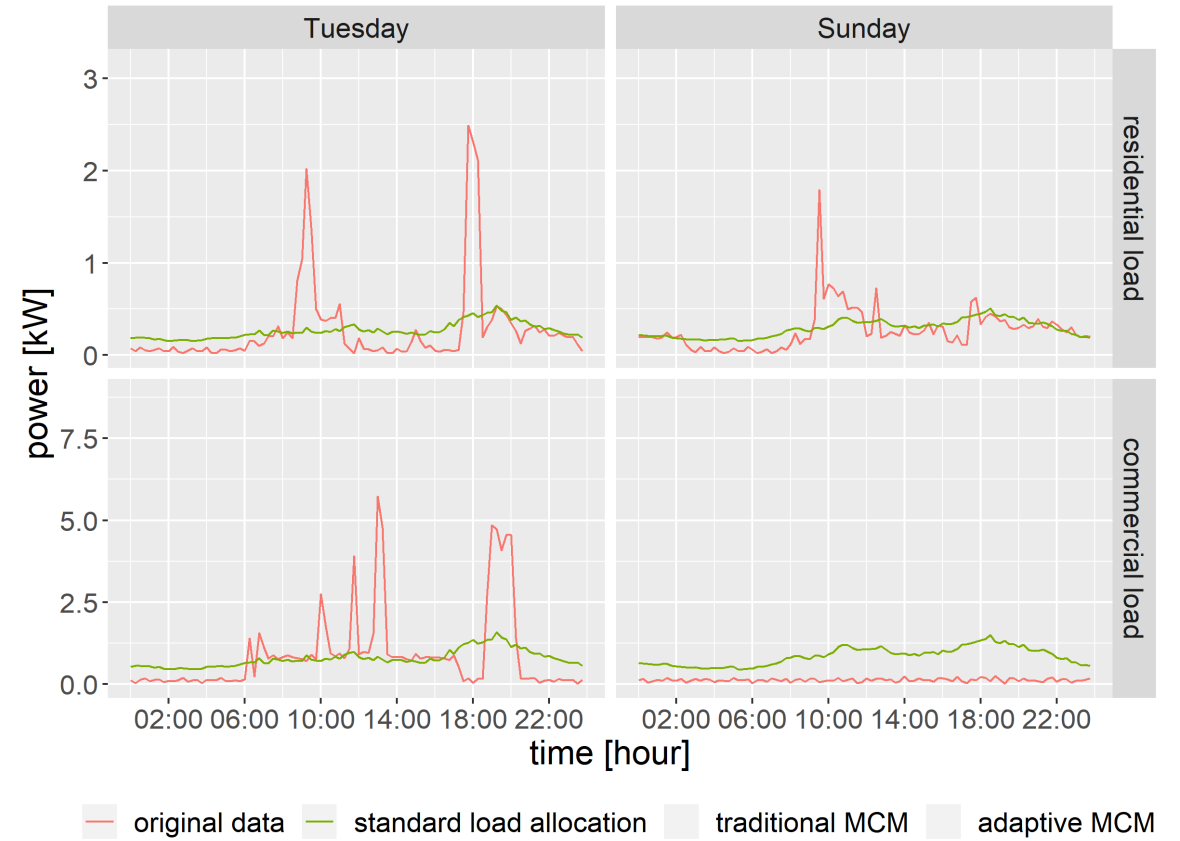
# Synthesis of Active Power Pseudo-Measurements

## Standard Load Allocation

### Power Gap Profile

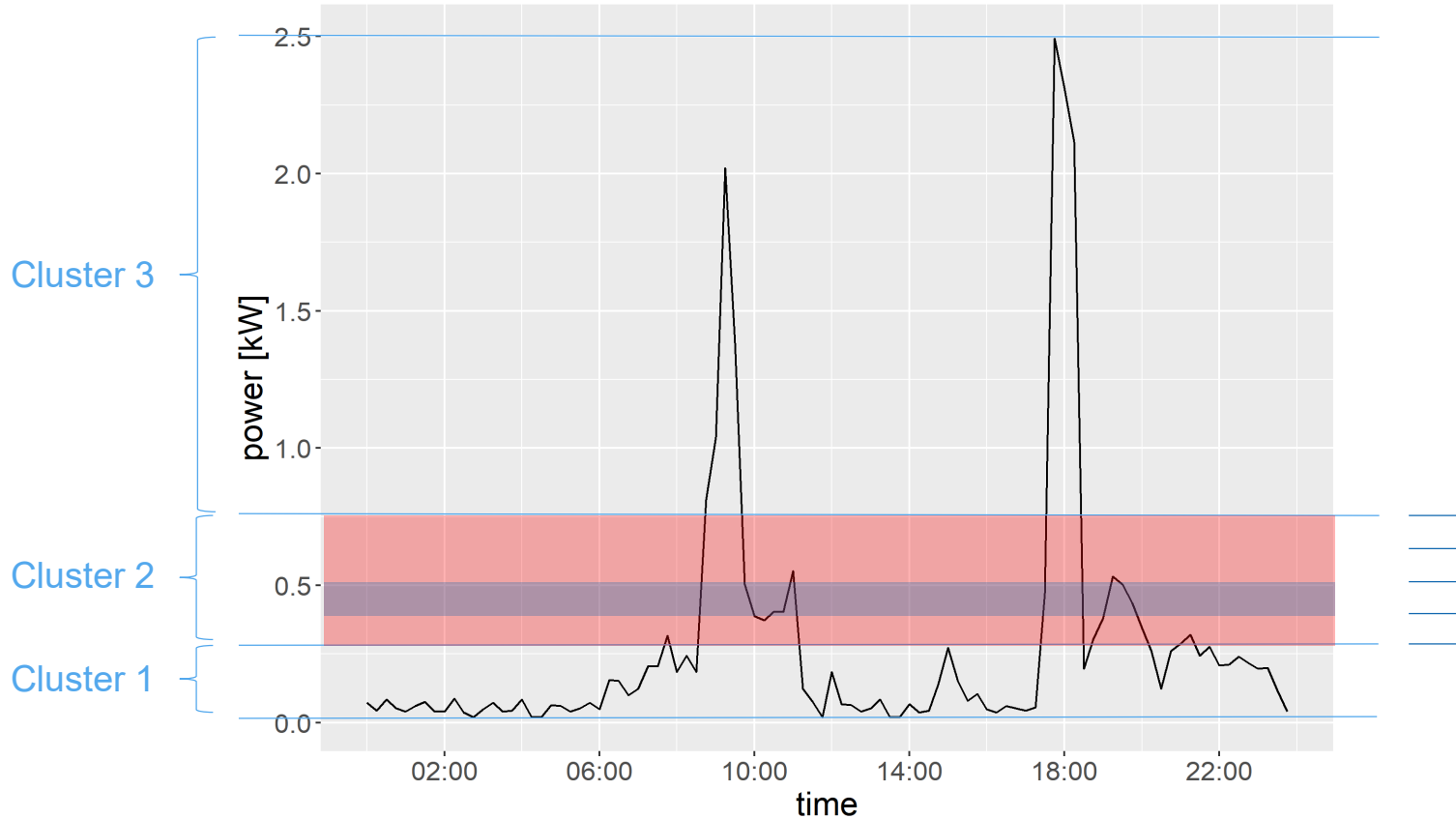


### Load Profile of Single End-Users



# Synthesis of Active Power Pseudo-Measurements

## Traditional Markov Chain Model (TMCM)



1. States  $\rightarrow$  K-means clustering

2. Traditional transition matrix

state at time t	3	0.7	0.1	0.2
	2	0.4	0.4	0.2
	1	0.6	0.3	0.1
		1	2	3
		state at time t+1		

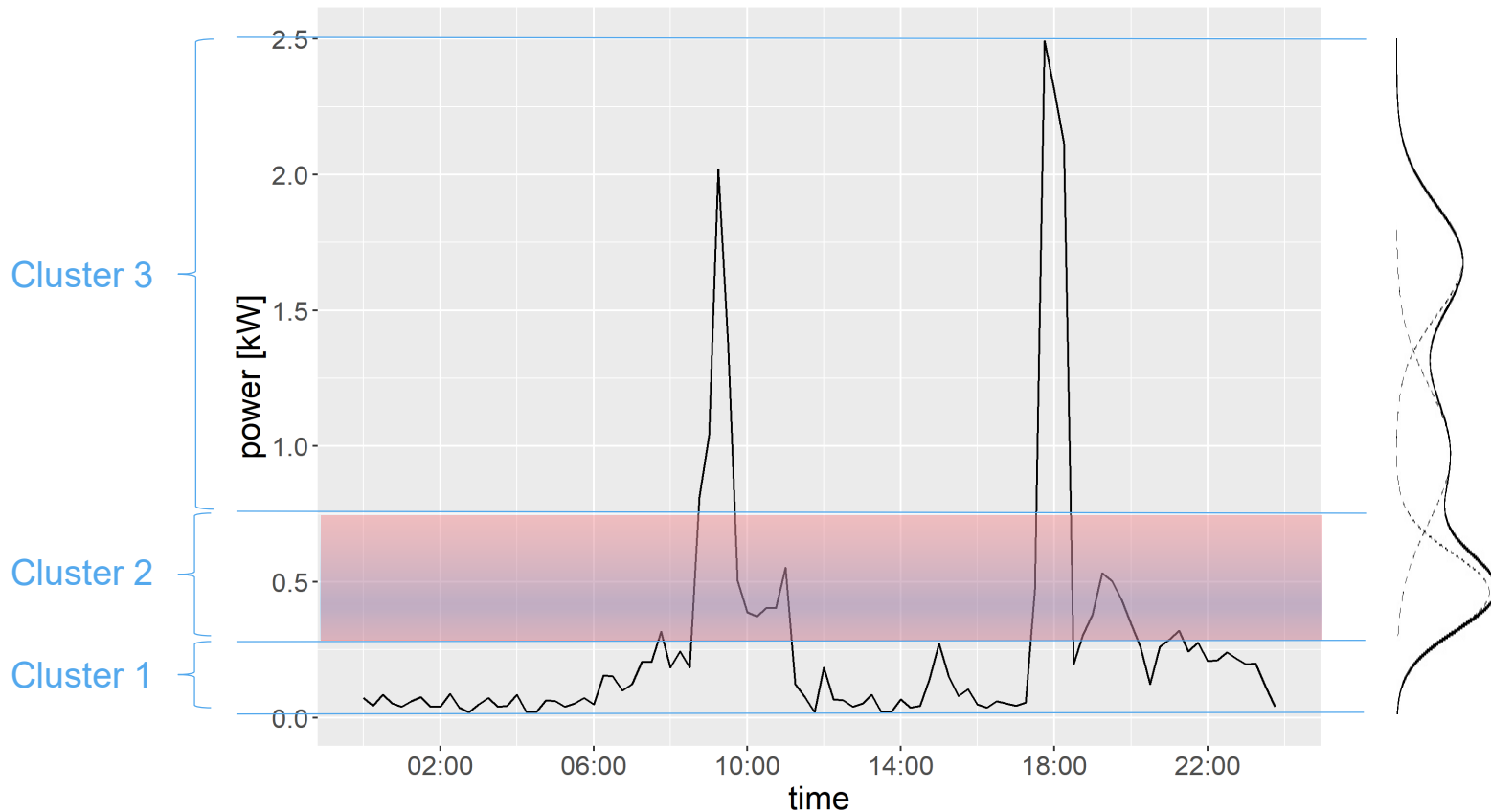
3. Equidistant sublevels in each state

Load profile generation:  
random walk + sublevel selection + noise



# Synthesis of Active Power Pseudo-Measurements

## Adaptive Markov Chain Model (AMCM)



1. States  $\rightarrow$  K-means clustering
2. **Adaptive transition matrix**  $\rightarrow$  each transition element = logistic regression:

$$f(x) = \frac{1}{1 + e^{-\theta^T x}}$$

$$x = (1, \text{hour}, \text{weekday}, \text{month})$$
$$\theta = (\theta_0, \theta_1, \theta_2, \theta_3)$$

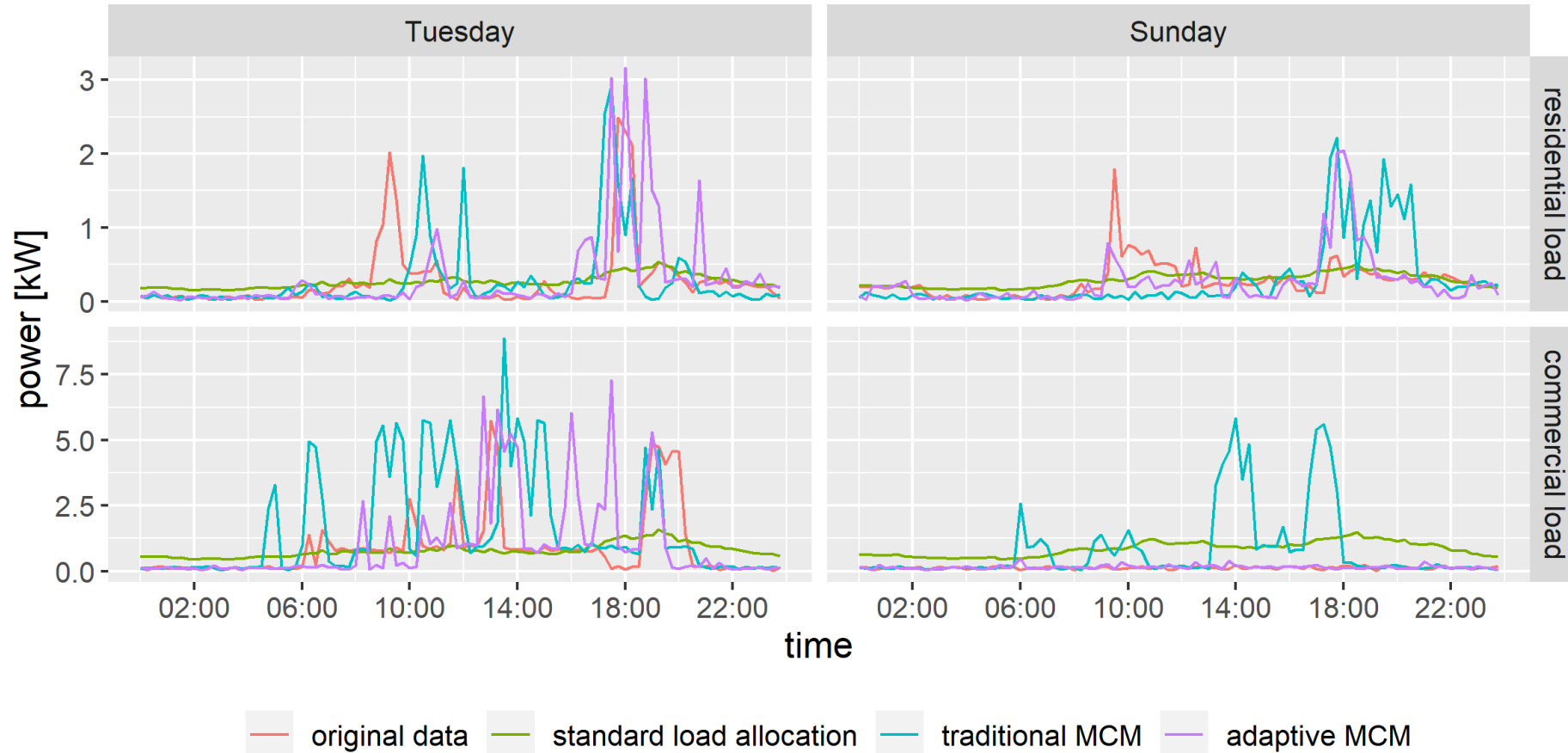
state at time t	3	$f_{31}$	$f_{32}$	$f_{33}$
	2	$f_{21}$	$f_{22}$	$f_{23}$
	1	$f_{11}$	$f_{12}$	$f_{13}$
		1	2	3
		state at time t+1		

3. **Load distribution** modelled as Gaussian Mixture Model (GMM)

Load profile generation: **random walk** + value selection in GMM

# Synthesis of Active Power Pseudo-Measurements

## Load Profile of Single End-Users



# Optimal Load Allocation

## Selection of Optimal Load Profiles – Binary Optimization Problem



$$\min_{\beta} |y - X\beta|$$

such that:  $\beta \in \{0,1\},$

$$\text{sum}(\beta) \geq M$$

$y = (y_1, \dots, y_N)$  reference profile

$X = (x_1, \dots, x_m)$  design matrix

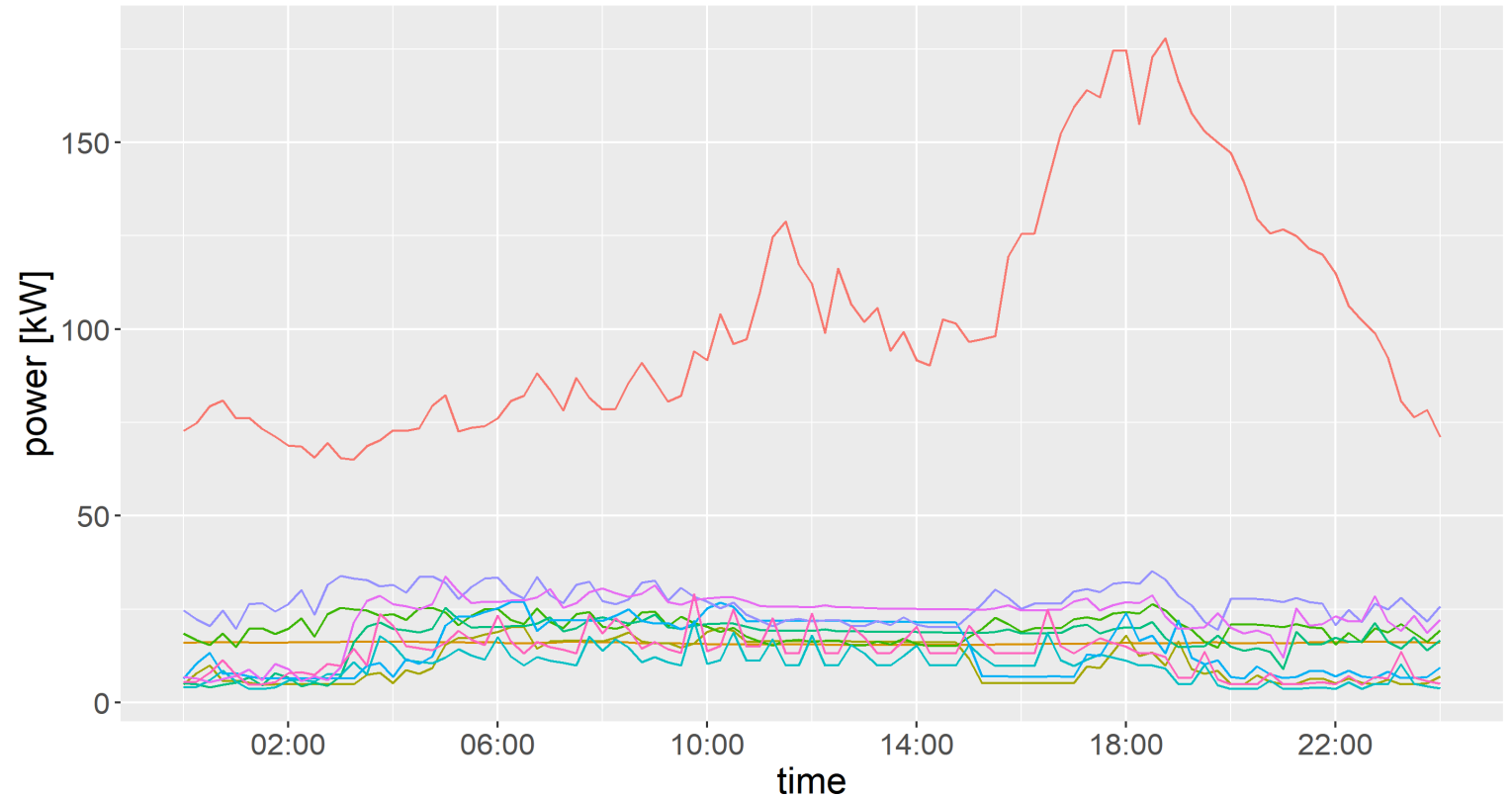
$x_j = (x_{1j}, \dots, x_{Nj})$  synthetic profile

$\beta = (\beta_1, \dots, \beta_m)^T$  binary factors

$M$  number of non-metered consumers

$N$  number of time steps

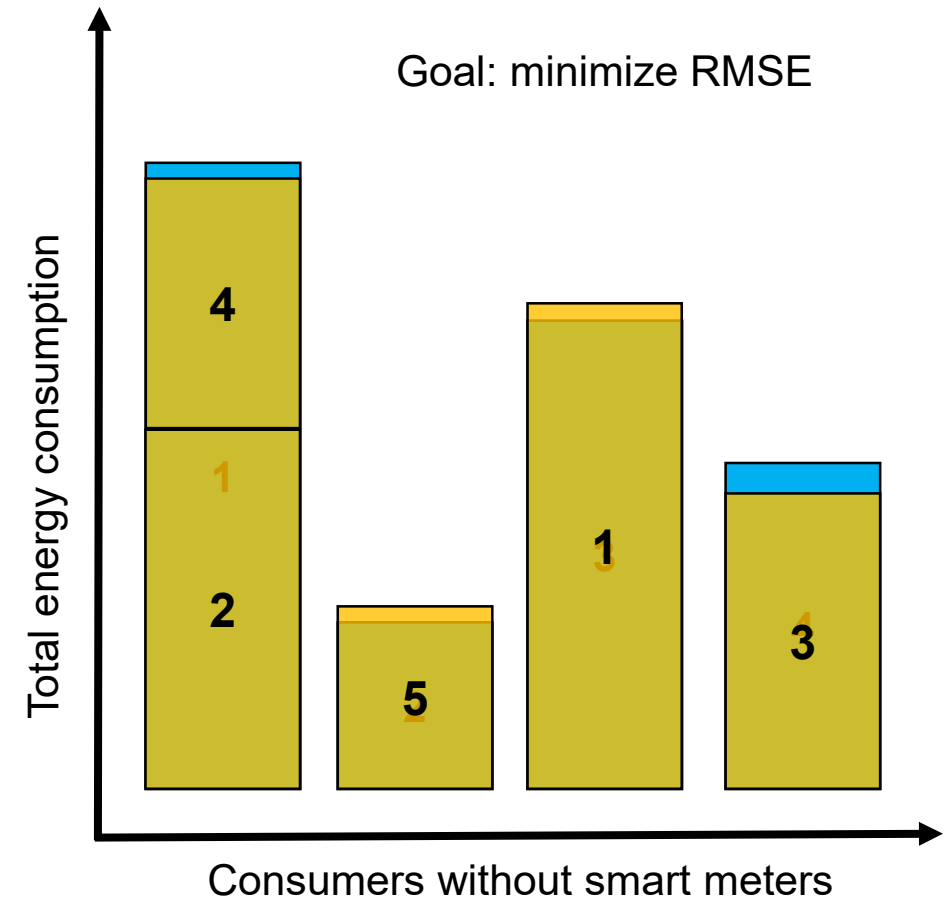
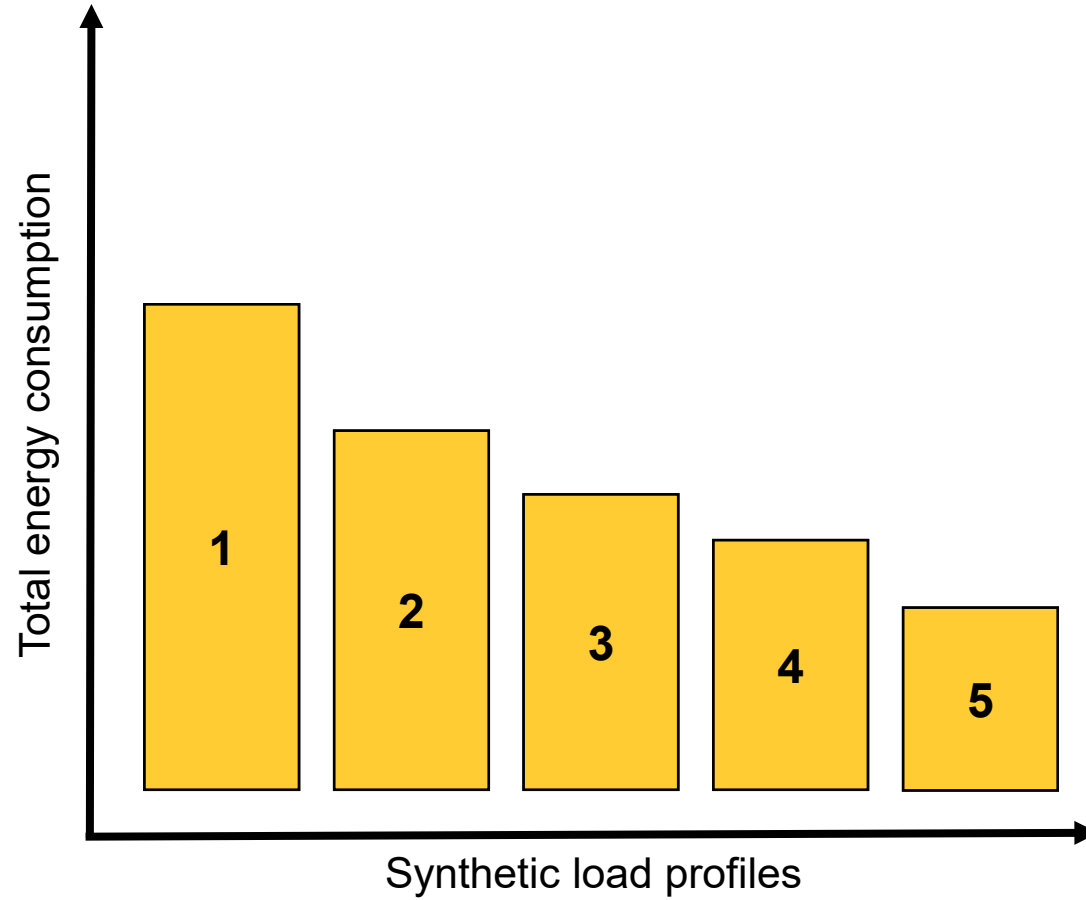
$m$  number of synthetic profiles



— reference profile    — synthetic 2    — synthetic 4    — synthetic 6    — synthetic 8  
— synthetic 1    — synthetic 3    — synthetic 5    — synthetic 7    — synthetic 9

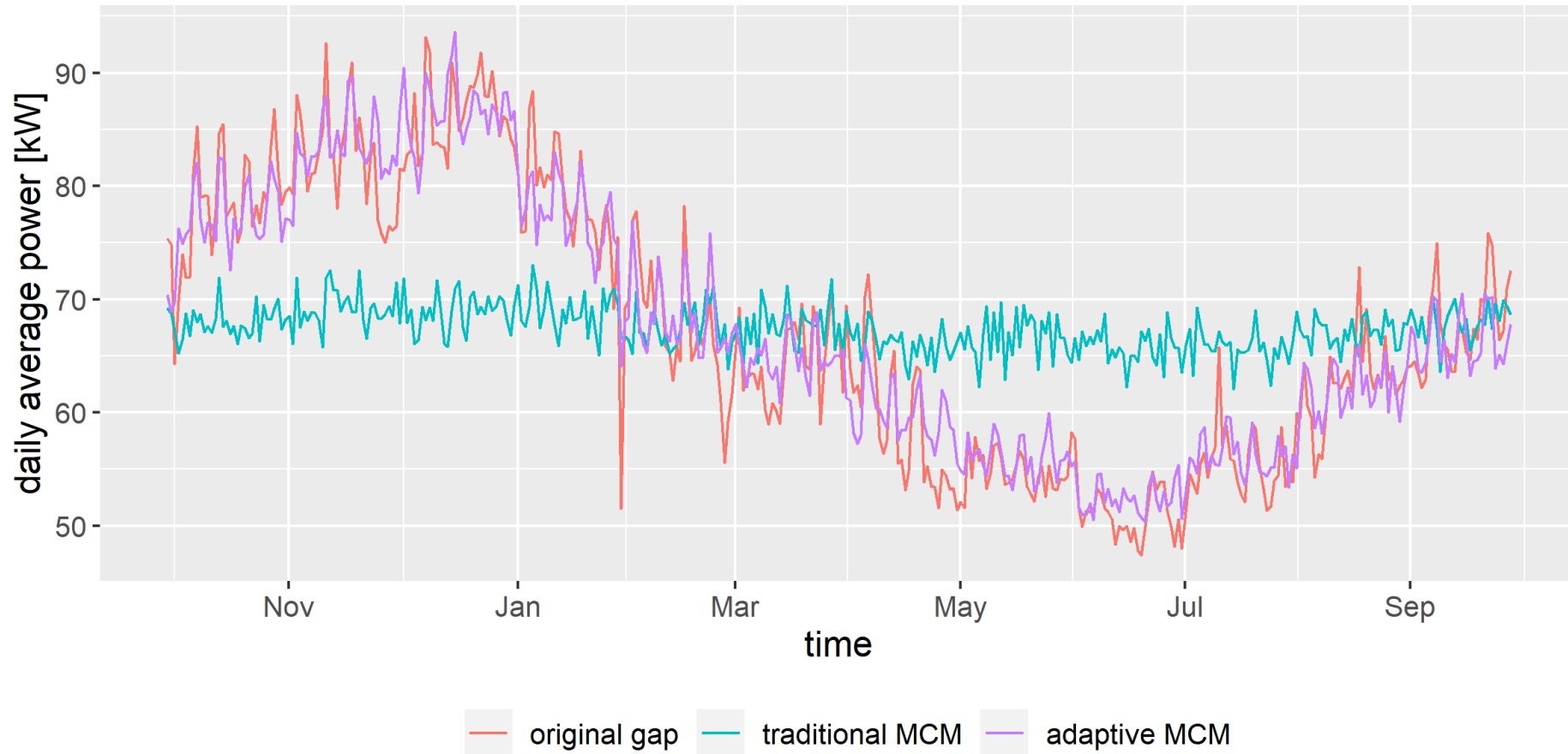
# Optimal Load Allocation

## Bin Packing Problem



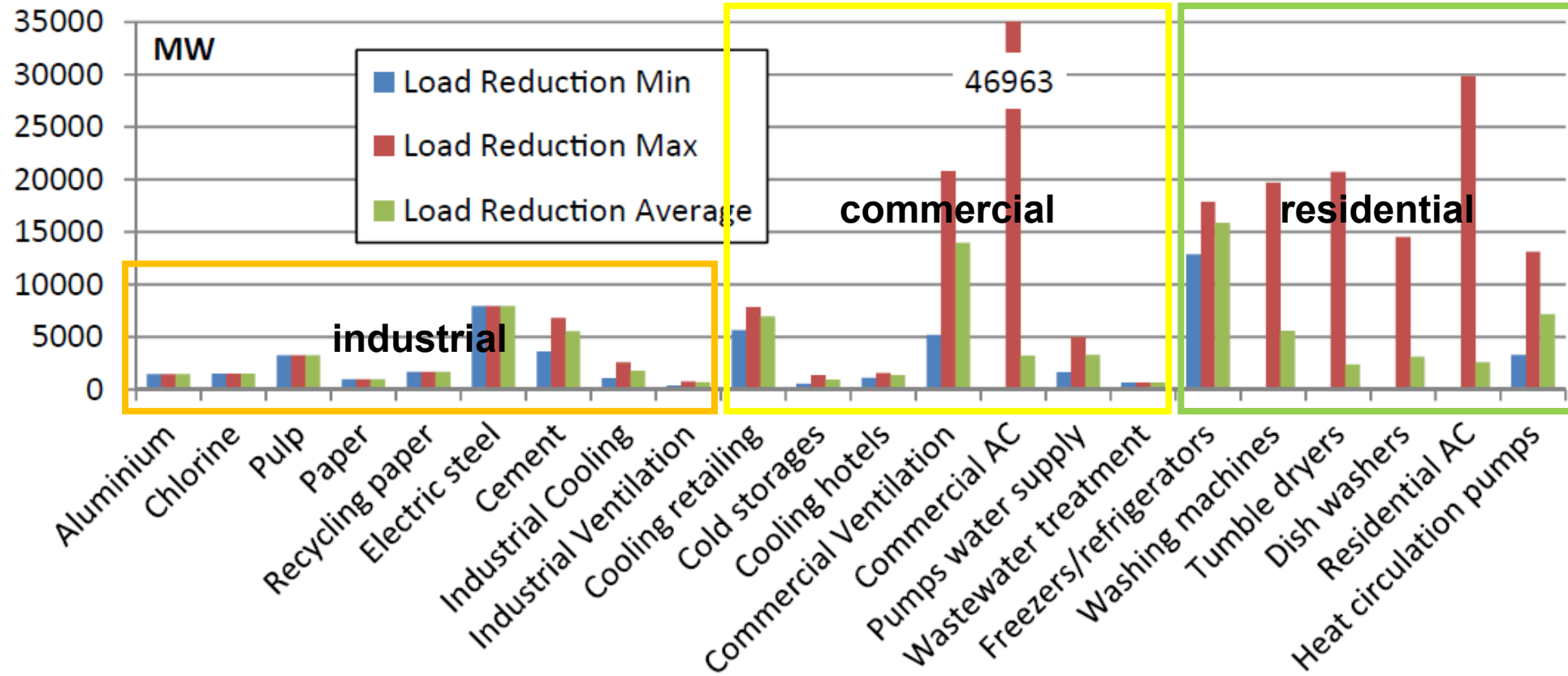
# Optimal Load Allocation

## Matching at Aggregate Level (Daily Average)



# Detection and Disaggregation of Flexible Domestic Loads

## Context and Motivation



© H.C. Gils, "Technology Shares in Potential Load Reduction in Europe", *Energy*, vol. 67, pp.1–18, 2014.

# Detection and Disaggregation of Flexible Domestic Loads

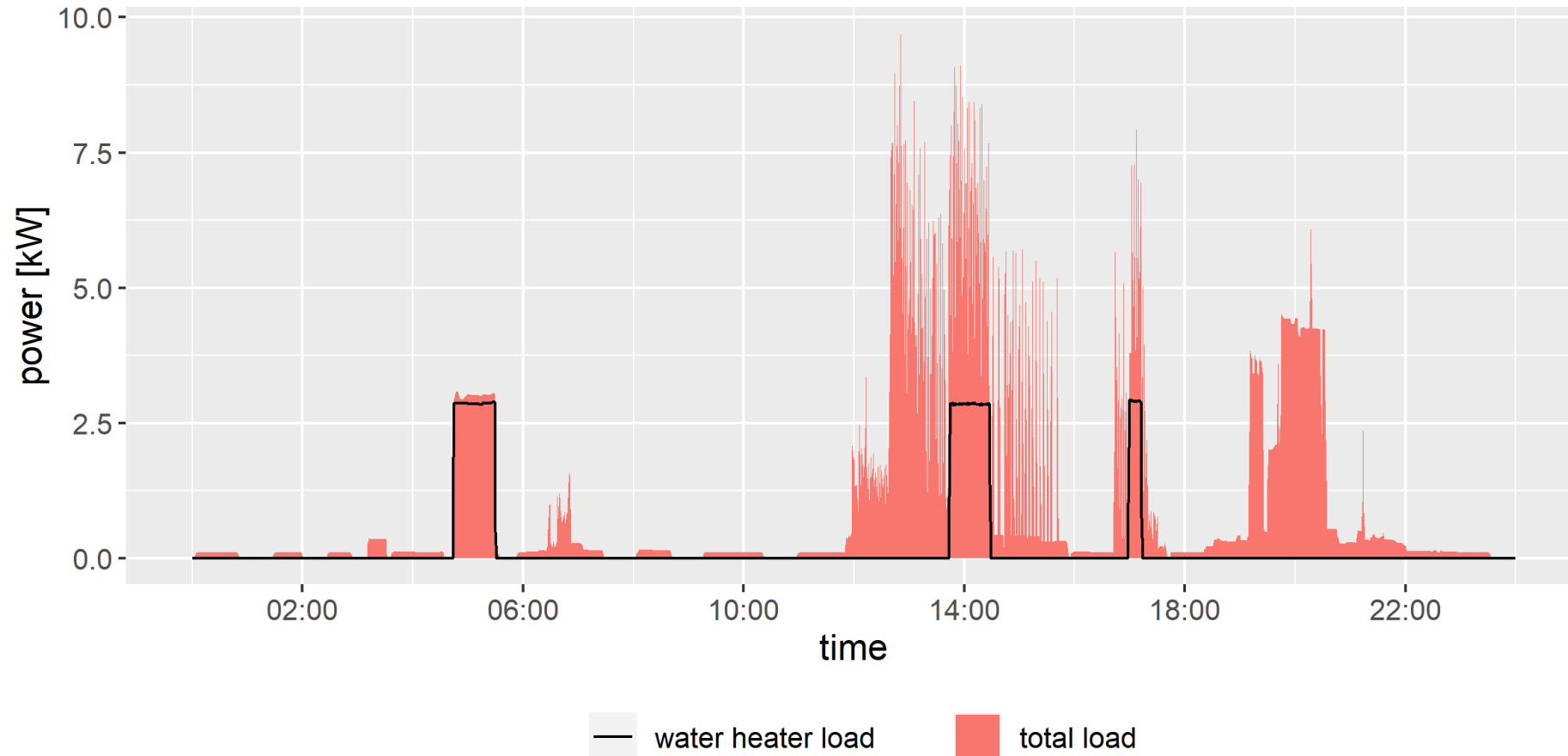
## Context and Motivation

Domestic Appliance	Existing Literature	Power consumption	Energy consumption	Availability for DR	User interaction required for DR	Detectable in SM data
TCL (AC, heat pump)	abundant	medium	high	always	no	no
Water Heater (boiler)	moderate	high	high	always	no	yes
Wet appliance	substantial	medium	medium	sometimes	yes	no
Cold appliance	little	low	medium	always	no	yes
Electric Vehicle	abundant	high	high	sometimes	yes	-

- High flexibility potential of some domestic appliances for Demand Response (DR)
  - BUT: Existing data-based approaches to estimate the load of individual appliances are not broadly applicable:
    - Intrusive Load Monitoring (sub-metering): too expensive, data privacy concerns
    - Non-Intrusive Load Monitoring: requires high-resolution data (at least 1 Hz)
- ➔ Unsupervised load disaggregation based on standard smart meter data (1- to 30-minute resolution)

# Detection and Disaggregation of Water Heater Load

## Starting Point

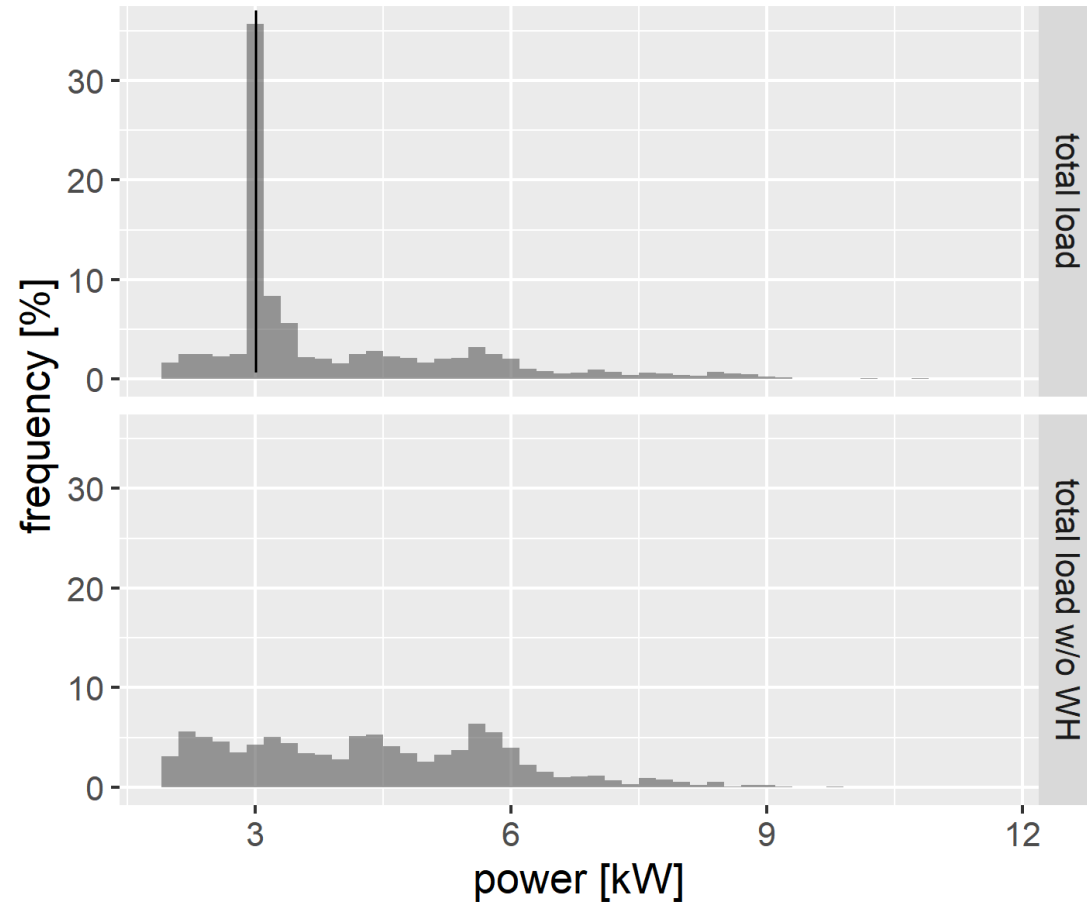




# Detection and Disaggregation of Water Heater Load

## Detection Process

3 kW = water heater's rated power



- Bin width of 200 W
- Power higher than 2 kW
- Detection of “outlier bin”:

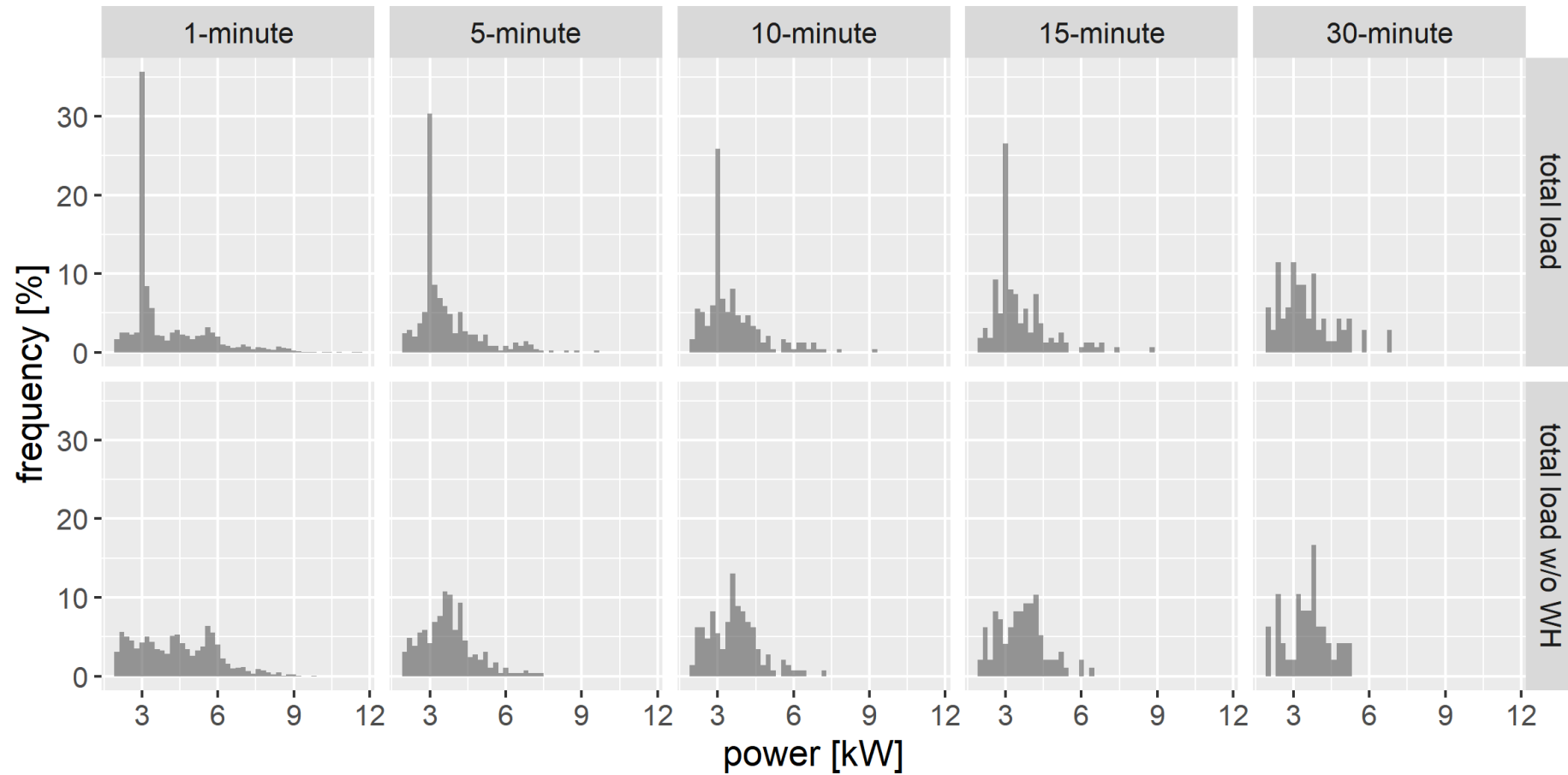
$$d_i^{\text{bin}} \geq d_{Q3}^{\text{bin}} + 1.5 \cdot (d_{Q3}^{\text{bin}} - d_{Q1}^{\text{bin}})$$

↑  
75<sup>th</sup> percentile in  
bin frequency  
values

⏟  
interquartile  
range

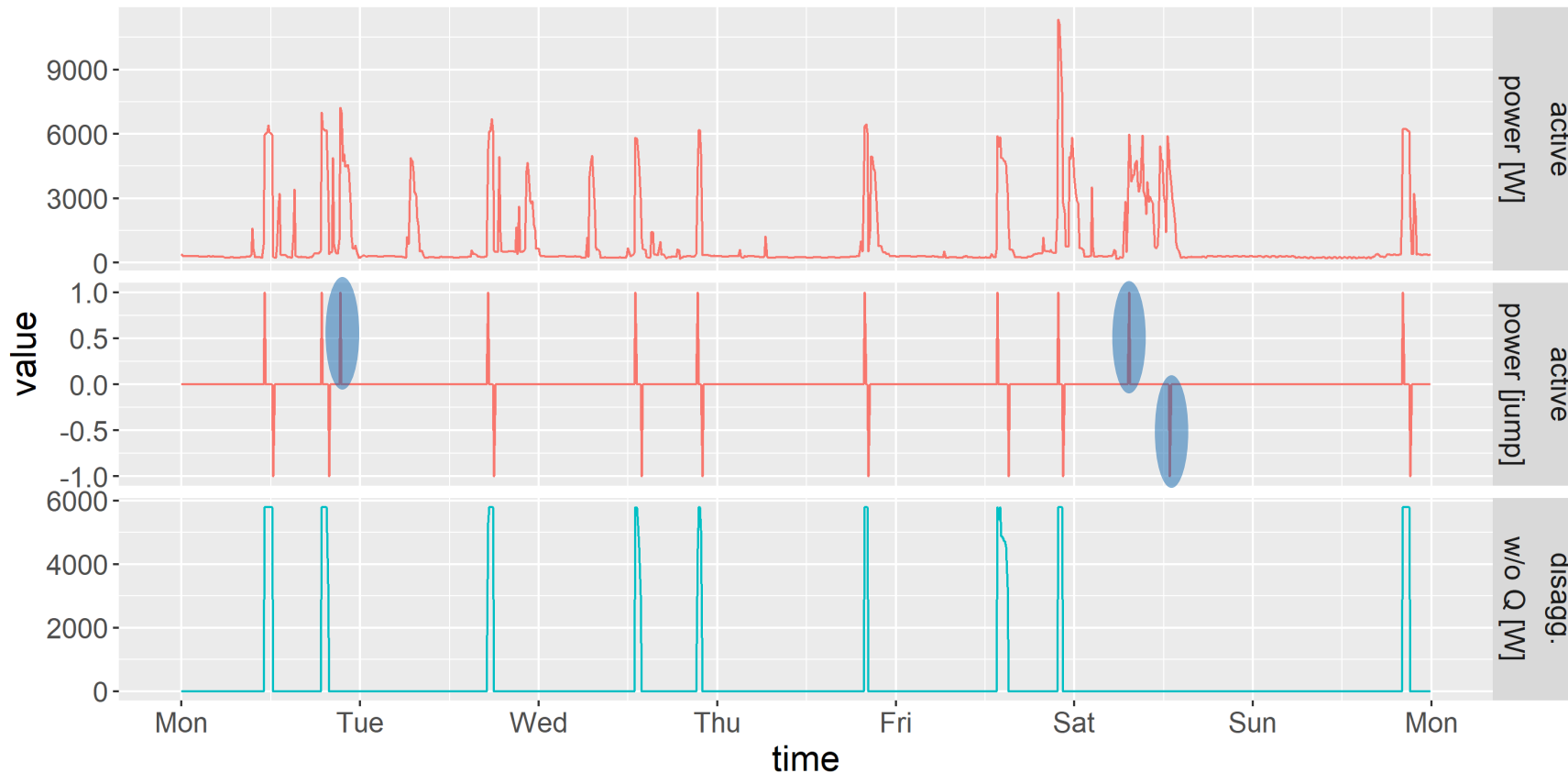
# Detection and Disaggregation of Water Heater Load

## Detection Process – Influence of Temporal Resolution



# Detection and Disaggregation of Water Heater Load

## Disaggregation Process



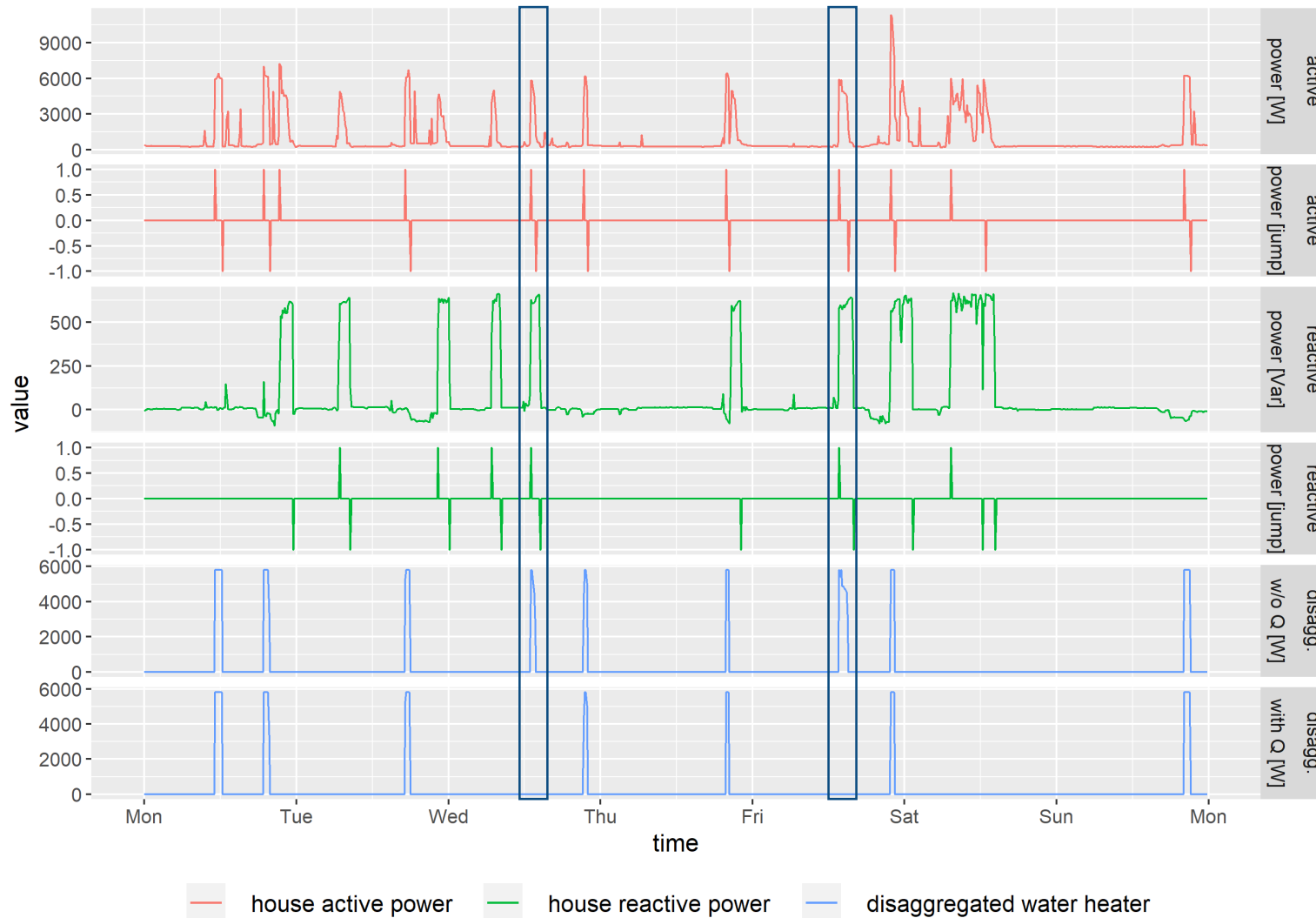
— house active power — disaggregated water heater

1. Detect jumps (up/down):  
 $\Delta p \geq 90\% \cdot \hat{p}_r^{WH}$  over 2 time steps
2. Clean jump profile:
  - a) Alternation of up/down jumps
  - b) max. 2 hours for ON periods
3. Build water heater load profile:

$$p_t^{WH} = \begin{cases} 0, & \text{if } t \in OFF \\ \min(\hat{p}_r^{WH}, p_t^{tot}), & \text{if } t \in ON \end{cases}$$

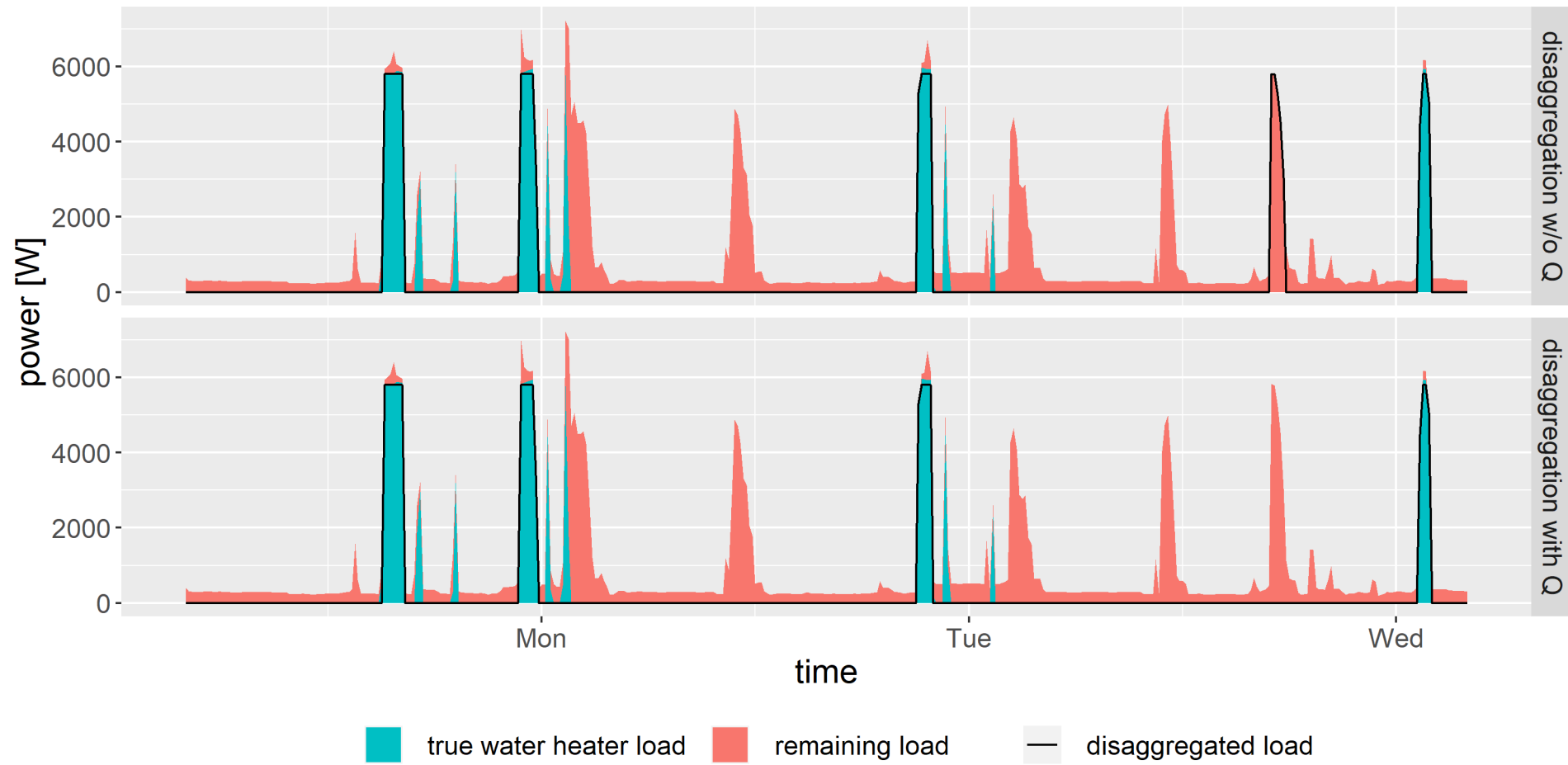
# Detection and Disaggregation of Water Heater Load

## Disaggregation Process



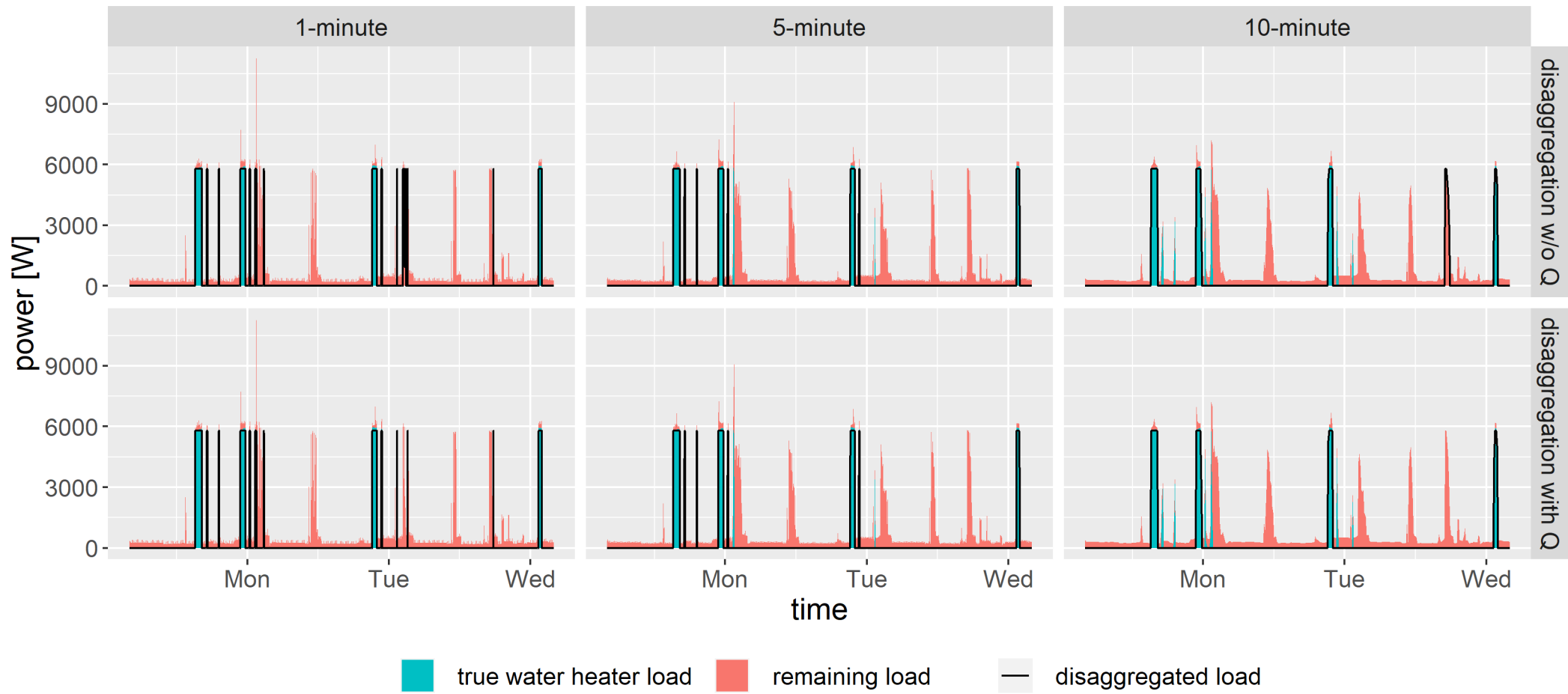
# Detection and Disaggregation of Water Heater Load

## Disaggregation Result



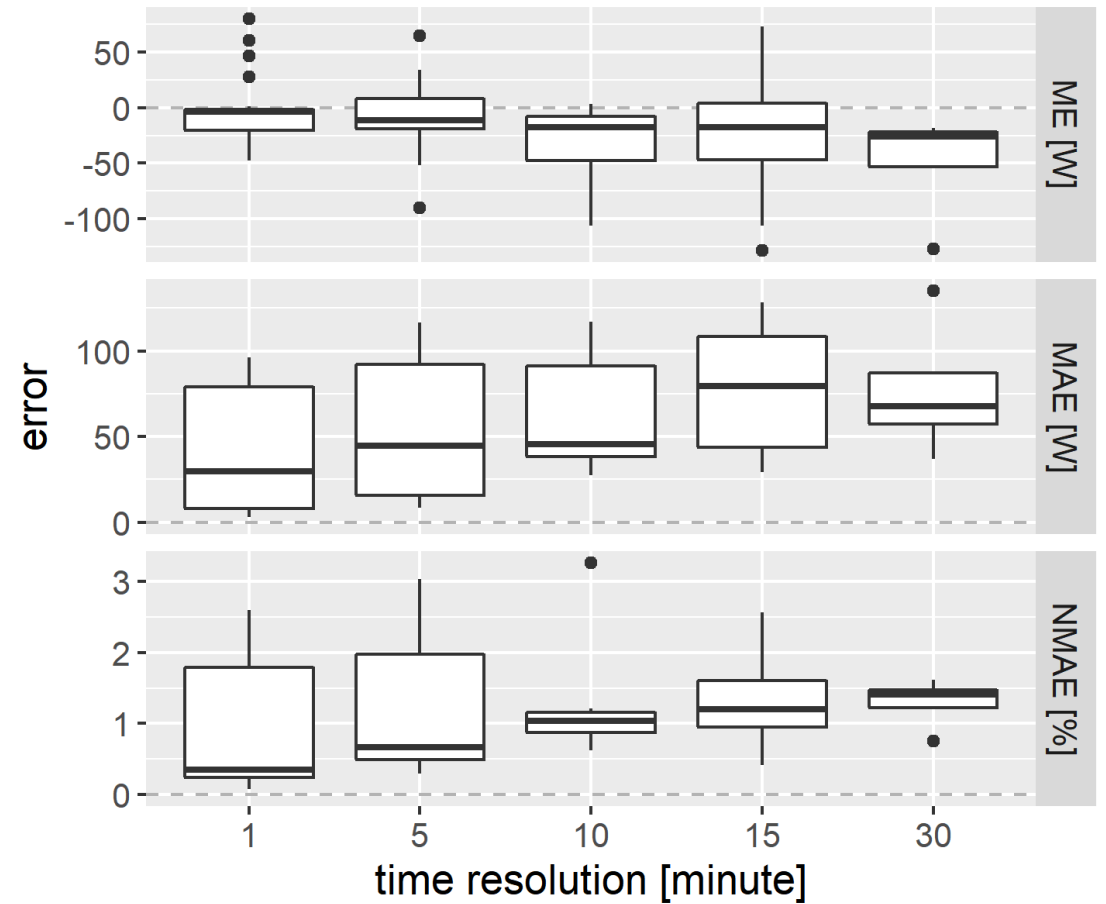
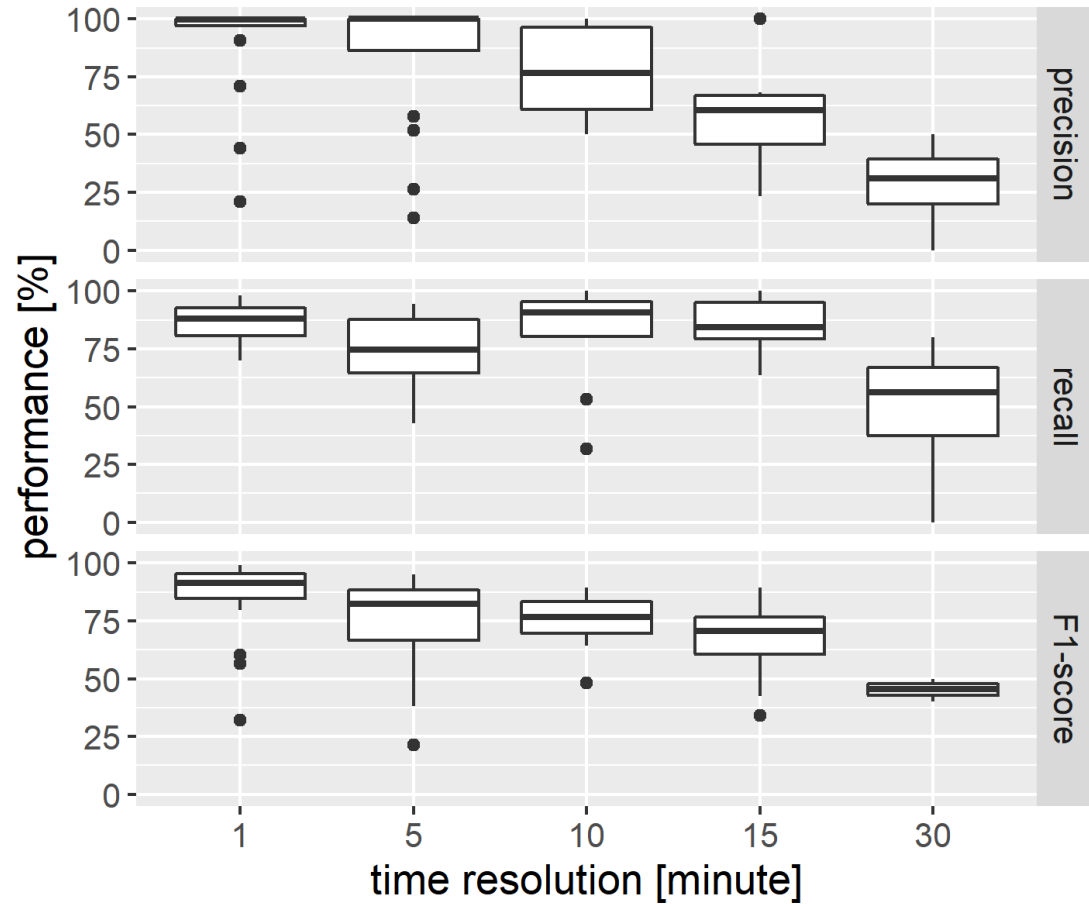
# Detection and Disaggregation of Water Heater Load

## Disaggregation Result – Influence of Temporal Resolution



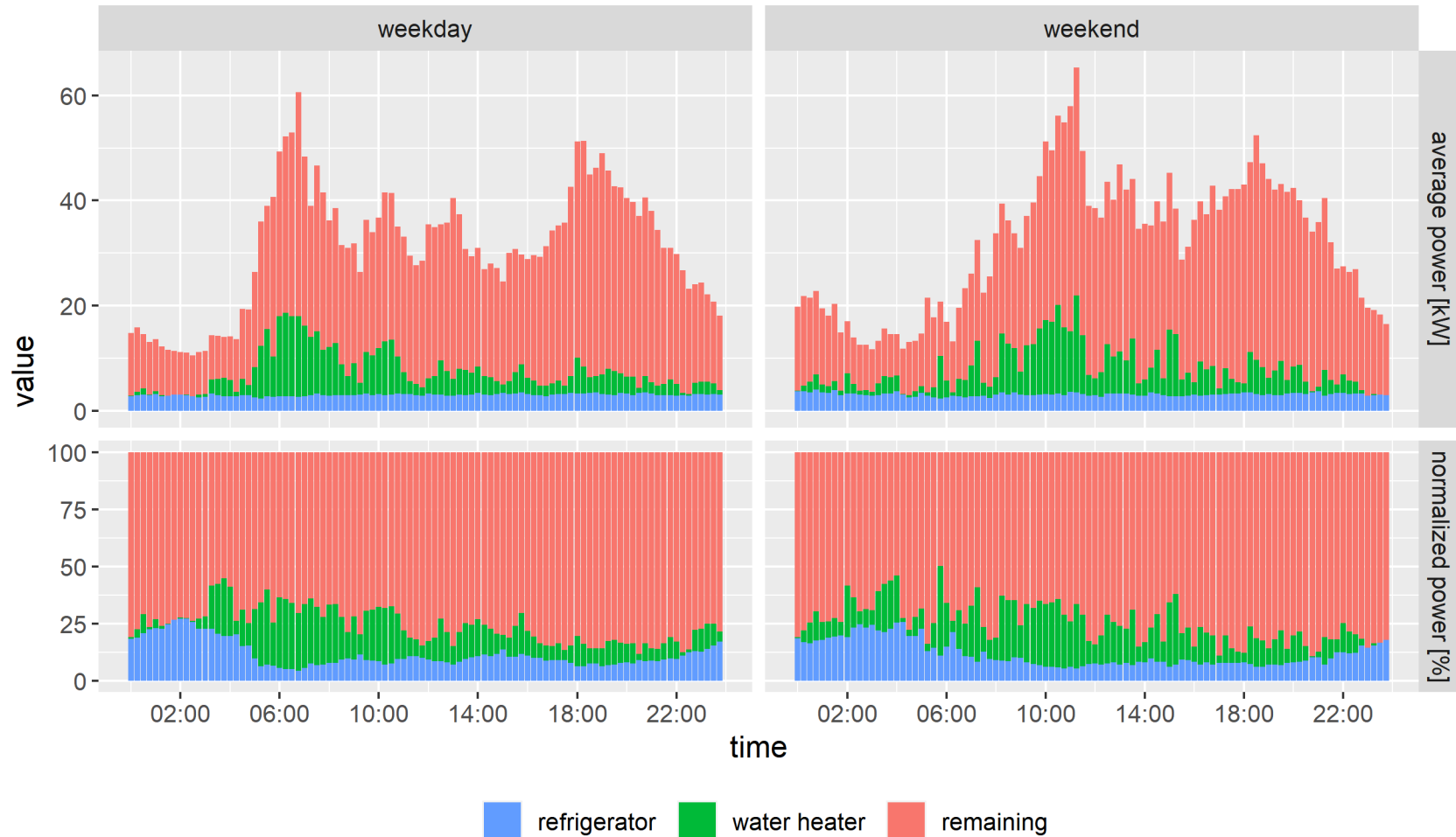
# Detection and Disaggregation of Water Heater Load

## Disaggregation Performance



# Detection and Disaggregation of Flexible Domestic Loads

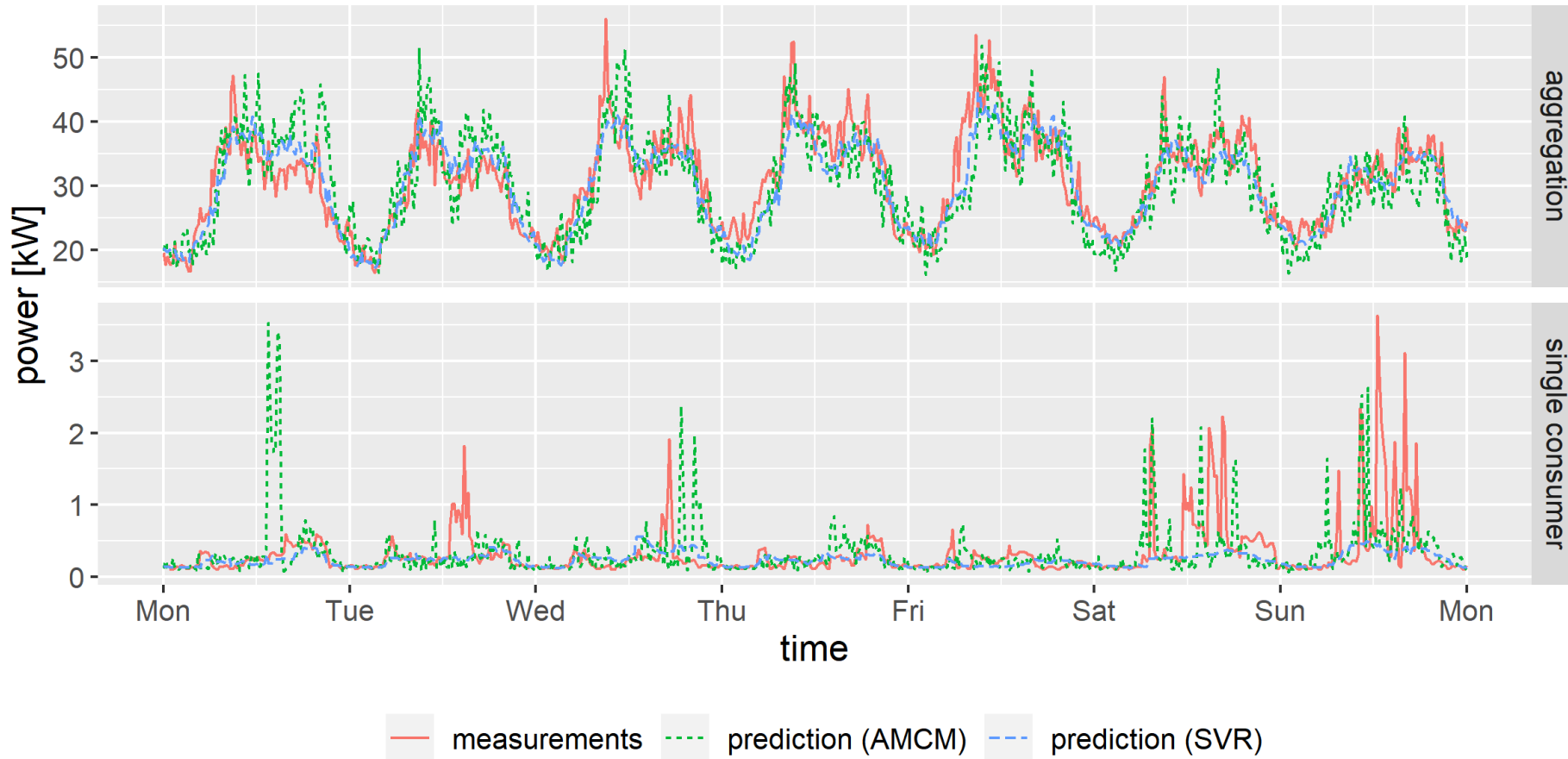
Share of Disaggregated Flexible Loads at an Aggregate Level (70 Households)





# Short-Term Deterministic Load Forecasting

What is a “good” prediction?



# Short-Term Deterministic Load Forecasting

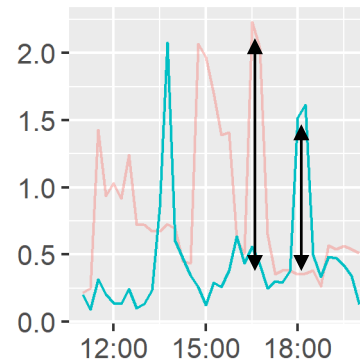
## Standard Evaluation Metrics

- Mean Absolute Percentage Error (MAPE)

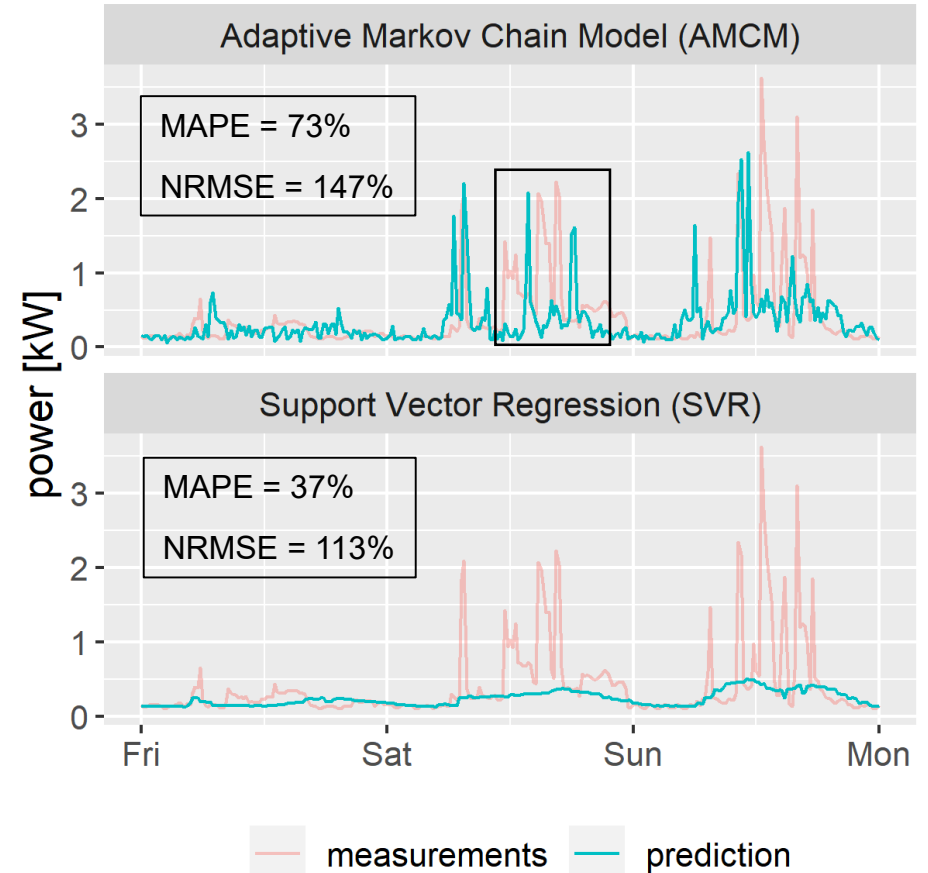
$$\text{MAPE} := \frac{100\%}{T} \sum_{t=1}^T \left| \frac{y_t - \hat{y}_t}{y_t} \right|$$

- (Normalized) Root Mean Square Error (NRMSE)

$$\text{NRMSE} := \frac{100\%}{\bar{y}} \sqrt{\frac{1}{T} \sum_{t=1}^T (y_t - \hat{y}_t)^2}$$



double penalty effect



# Short-Term Deterministic Load Forecasting

## Adjusted Error Metric

- Absolute  $p$ -norm error:  $E_p = \|\mathbf{y} - \hat{\mathbf{y}}\|_p = \left( \sum_{t=1}^T |y_t - \hat{y}_t|^p \right)^{1/p}$
- Adjusted  $p$ -norm error<sup>1</sup>:

$$E_p^\omega = \min_{P \in \mathcal{P}} \|\mathbf{y} - P\hat{\mathbf{y}}\|_p$$

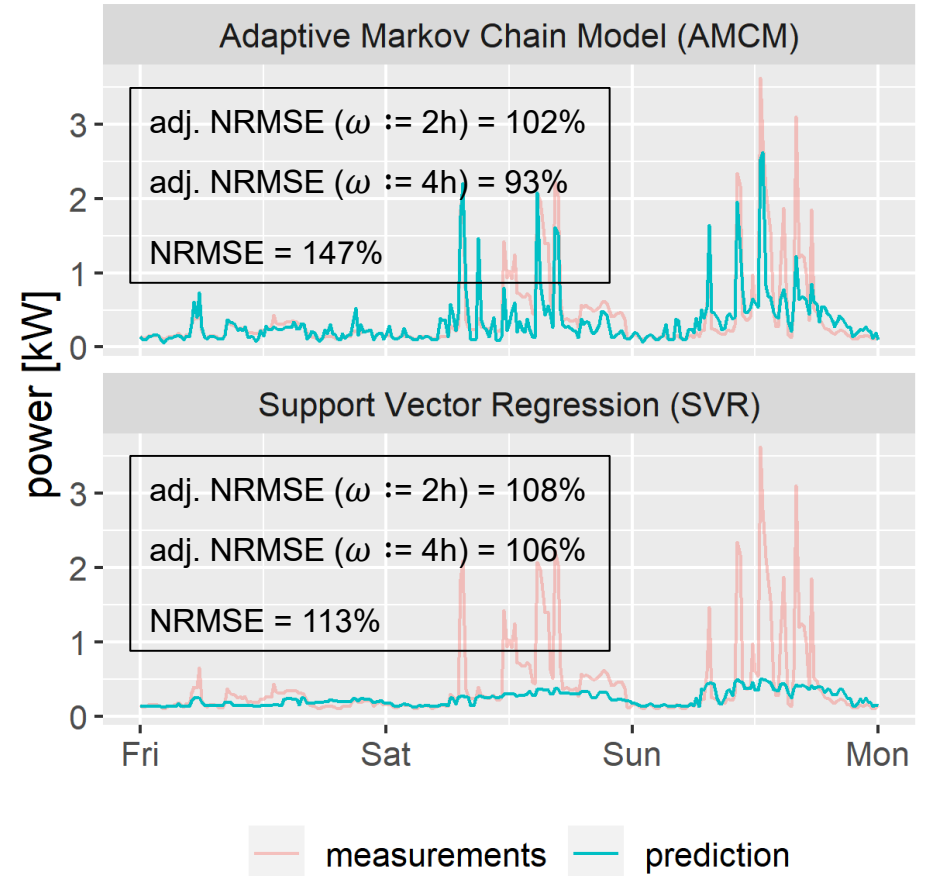
*subject to*  $P_{ij} = 0, \forall |i - j| > \omega$

$\omega \geq 0$  := adjustment limit

$P$  := permutation matrix

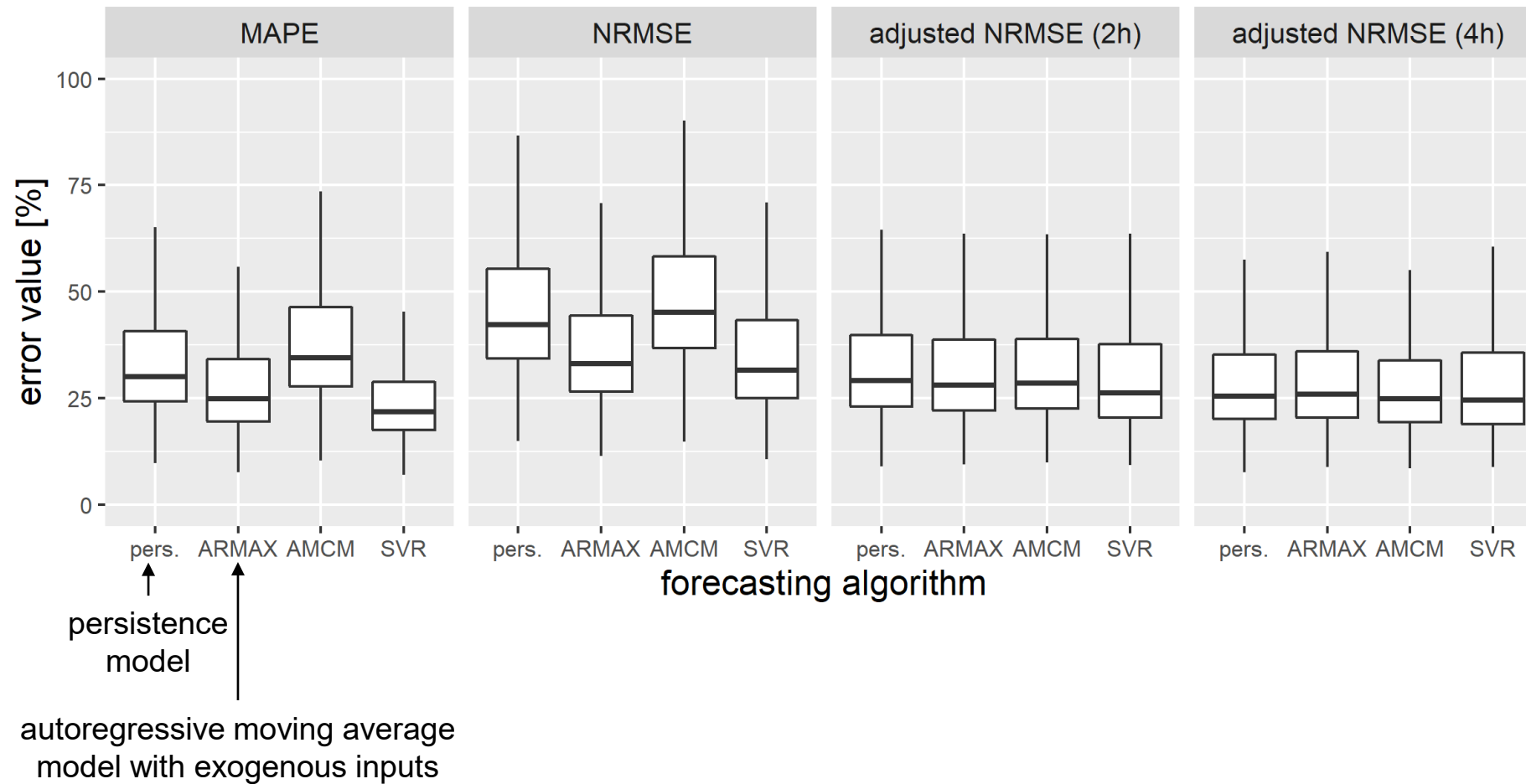
$\mathcal{P}$  := complete set of restricted permutations

<sup>1</sup> S. Haben, J. Ward, D. V. Greetham, C. Singleton, and P. Grindrod, "A new error measure for forecasts of household-level, high resolution electrical energy consumption", *International Journal of Forecasting*, vol. 30, no. 2, pp. 246–256, 2014.



# Short-Term Deterministic Load Forecasting

Evaluation of 24h-ahead forecasting on 1000 load profiles



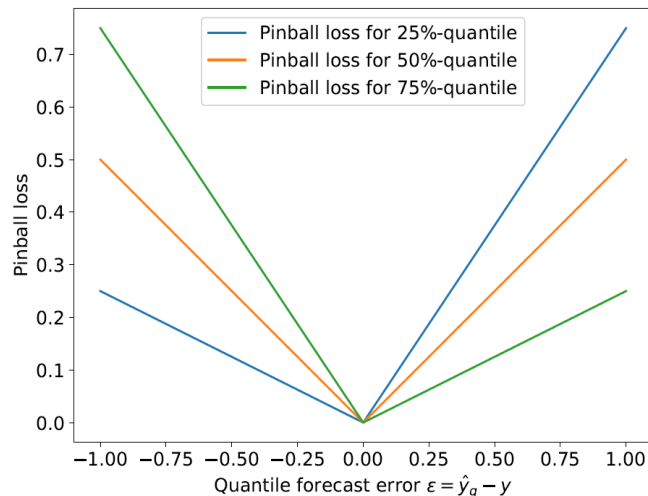
# Short-Term Probabilistic State Forecasting

## Setup, Pinball Loss, and Quantile Neural Network

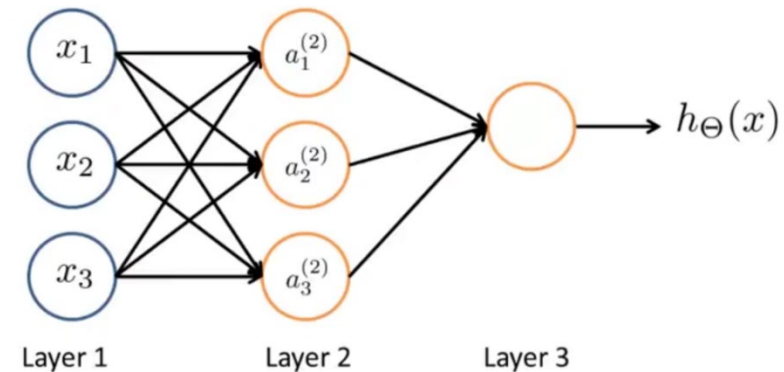
- Hour-ahead prediction of  $P_{\text{cons}}$ ,  $Q_{\text{cons}}$ ,  $V$ ,  $P_{\text{flow}}$ ,  $Q_{\text{flow}}$  in a low-voltage grid
- One ML model per grid component (i.e., line and bus), per quantity and per quantile

### Pinball Loss

$$J_q = \frac{1}{N} \sum_{n=1}^N \begin{cases} (y_n - \hat{y}_{q,n}) q & \text{if } y_n \geq \hat{y}_{q,n} \\ (\hat{y}_{q,n} - y_n) (1 - q) & \text{if } y_n < \hat{y}_{q,n} \end{cases}$$



### Quantile Neural Network

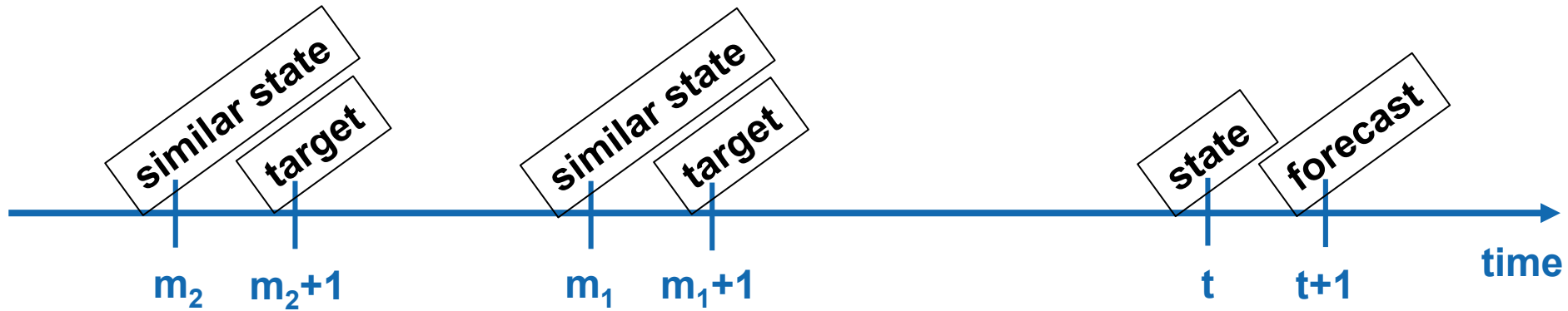


Forecast = Combination of input features

Training process = minimizing pinball loss

# Short-Term Probabilistic State Forecasting

## Proposed Quantile K-Nearest Neighbor



Forecast = linear combination of target values related to similar states

### Deterministic Forecast

$$J_{\text{knn}} = \min_{\mathbf{w}^{\text{knn}}} \frac{1}{N} \sum_{n=1}^N \overbrace{|(\mathbf{w}^{\text{knn}})^T \mathbf{y}_n^{\text{knn}} - y_n|}^{\text{MAE}}$$

subject to  $w_i^{\text{knn}} \geq 0, \forall i \in \{0, \dots, k\},$

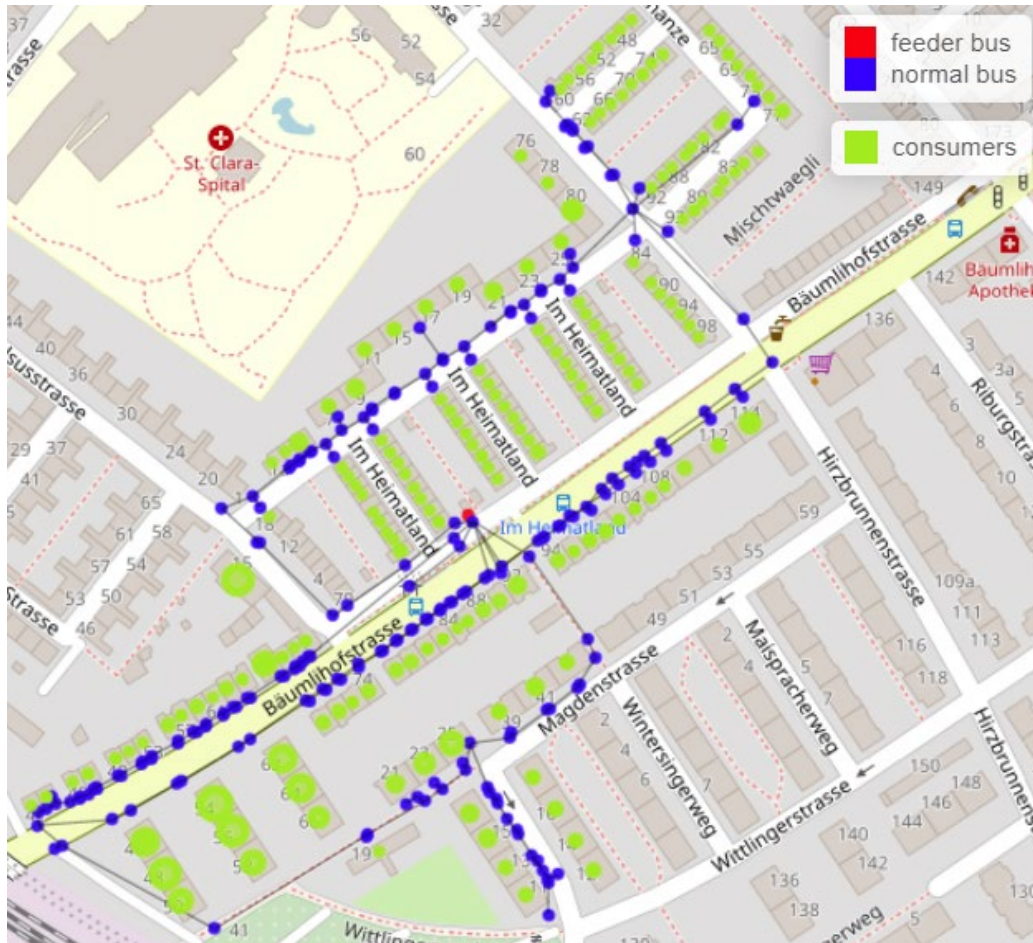
### Quantile Forecast

MAE replaced by pinball loss

$$J_{\text{knn}} = \min_{\mathbf{w}^{\text{knn}}} \frac{1}{N} \sum_{n=1}^N \begin{cases} ((\mathbf{w}^{\text{knn}})^T \mathbf{y}_n^{\text{knn}} - y_n) q & \text{if } y_n \geq (\mathbf{w}^{\text{knn}})^T \mathbf{y}_n^{\text{knn}} \\ ((\mathbf{w}^{\text{knn}})^T \mathbf{y}_n^{\text{knn}} - y_n) (1 - q) & \text{if } y_n < (\mathbf{w}^{\text{knn}})^T \mathbf{y}_n^{\text{knn}} \end{cases}$$

# Short-Term Probabilistic State Forecasting

## Case Study



### Grid Topology

- Weakly meshed LV-grid in the City of Basel
- 198 lines, 196 buses
- 583 smart metered residential consumers (15-min. resolution)
- 60% of houses equipped with PV system
- 30% of households equipped with EV

### Assumptions

- Perfect knowledge of grid topology and parameters
- Voltage-independent loads and PV systems
- Feeder voltage maintained after optimization

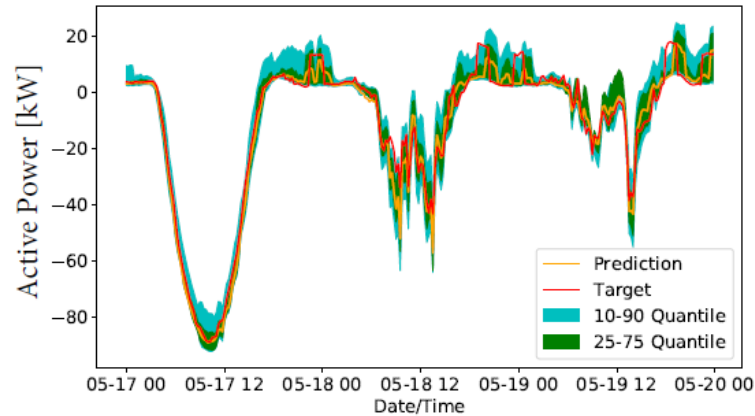
Training = 42 weeks

Testing = 10 weeks

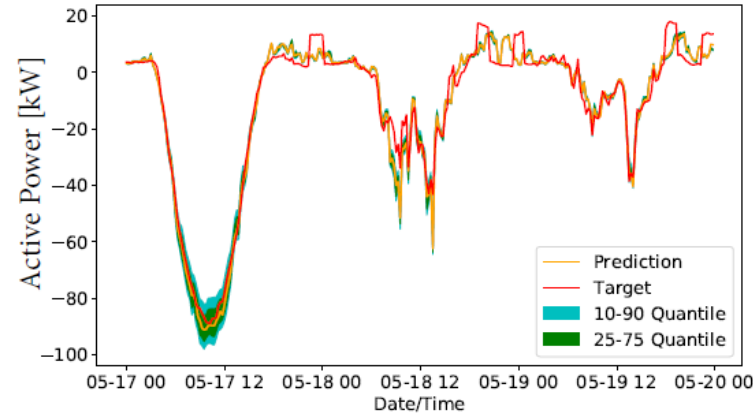
# Short-Term Probabilistic State Forecasting

## Performance Evaluation

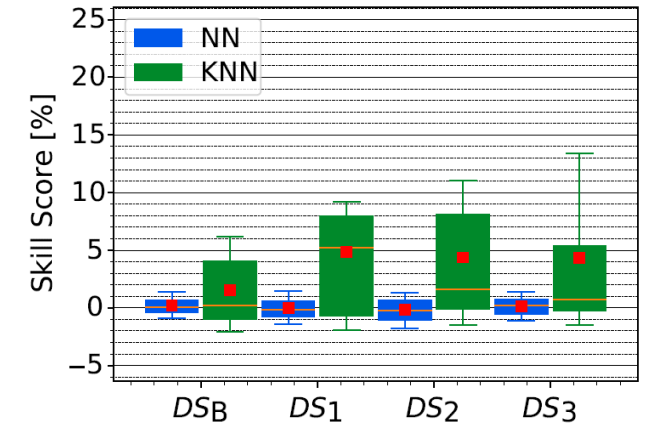
Active Power Flow (NN)



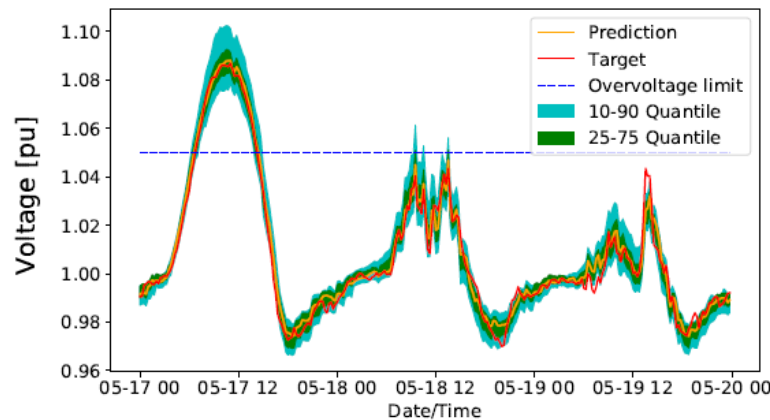
Active Power Flow (KNN)



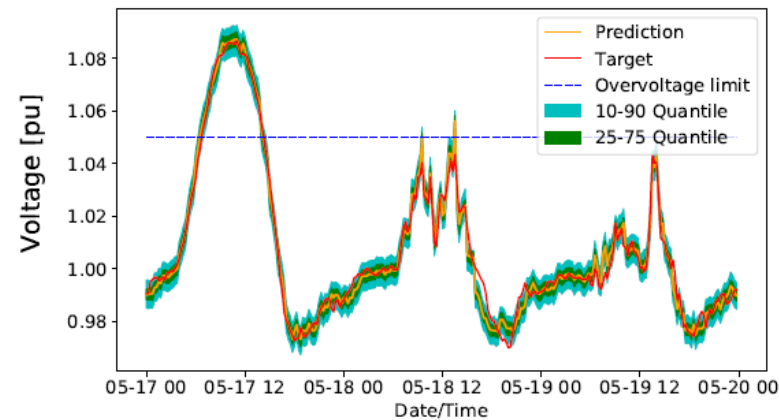
Active Power Flow



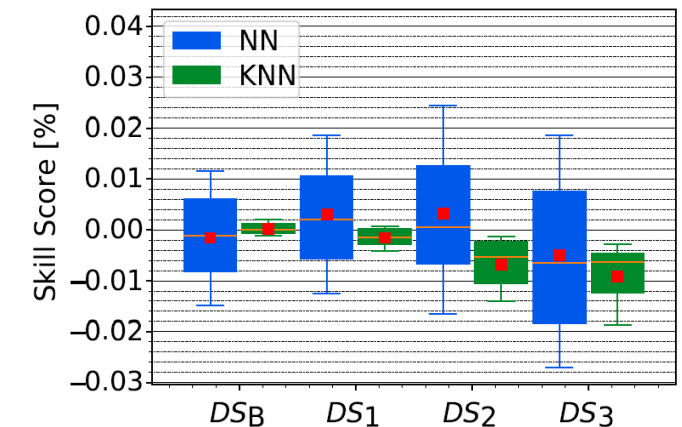
Voltage Magnitude (NN)



Voltage Magnitude (KNN)



Voltage Magnitude





# Preventive Voltage Control under Uncertainty

## Real-Time Optimization Strategy (Benchmark)

Real-time: If overvoltage detected → real-time optimization

$$\min_{P_{n_{PV}}^{\text{curt}}} \sum_{\Psi_{PV}} \frac{1}{4} C_{ib} P_{n_{PV}}^{\text{curt}}$$

Minimize cost of active power PV curtailment in real-time

subject to

$$0 \leq P_{n_{PV}}^{\text{curt}} \leq P_{n_{PV}}^{\text{prod}}, \forall n_{PV} \in \Psi_{PV},$$

Limit on active power PV curtailment

$$P_k + \sum_{\Psi_{PV,k}} P_{n_{PV}}^{\text{curt}} + \sum_{m \in \Omega_k} P_{km} = 0, \forall k \in \Psi_B,$$

Active power node balance

$$P_{km} = (V_k)^2 g_{km} - V_k V_m (g_{km} \cos \theta_{km} + b_{km} \sin \theta_{km}), \forall k, m \in \Psi_B$$

AC active power flow equation

$$Q_k + \sum_{m \in \Omega_k} Q_{km} = 0, \forall k \in \Psi_B,$$

Reactive power node balance

$$Q_{km} = -(V_k)^2 b_{km} + V_k V_m (b_{km} \cos \theta_{km} - g_{km} \sin \theta_{km}), \forall k, m \in \Psi_B$$

AC reactive power flow equation

$$0.95 \leq V_k \leq 1.05, \forall k \in \Psi_B,$$

Limit on voltage magnitude

$$V_1 = V_1^{\text{meas}},$$

$$\theta_1 = 0,$$

Voltage magnitude and angle at slack bus

# Preventive Voltage Control under Uncertainty

## Optimization Strategy using Point Forecasts (50%-Quantile)

Hour-ahead: If overvoltage predicted → optimization strategy using point forecasts

$$\min_{P_{nPV}^{curtHA}} \sum_{\Psi_{PV}} \frac{1}{4} C_m P_{nPV}^{curtHA},$$

Minimize cost of active power PV curtailment hour-ahead

subject to

$$0 \leq P_{nPV}^{curtHA} \leq \hat{P}_{nPV}^{prod}, \forall n_{PV} \in \Psi_{PV},$$

Limit on active power PV curtailment

$$\hat{P}_{50,k} + \sum_{\Psi_{PV,k}} P_{nPV}^{curtHA} + \sum_{m \in \Omega_k} P_{km} = 0, \forall k \in \Psi_B,$$

Active power node balance

$$P_{km} = (V_k)^2 g_{km} - V_k V_m (g_{km} \cos \theta_{km} + b_{km} \sin \theta_{km}) \quad \forall k, m \in \Psi_B,$$

AC active power flow equation

$$\hat{Q}_{50,k} + \sum_{m \in \Omega_k} Q_{km} = 0, \quad \forall k \in \Psi_B,$$

Reactive power node balance

$$Q_{km} = -(V_k)^2 b_{km} + V_k V_m (b_{km} \cos \theta_{km} - g_{km} \sin \theta_{km}) \quad \forall k, m \in \Psi_B,$$

AC reactive power flow equation

$$0.95 \leq V_k \leq 1.05, \quad \forall k \in \Psi_B,$$

Limit on voltage magnitude

$$V_1 = \hat{V}_{50,1},$$

$$\theta_1 = 0,$$

Voltage magnitude and angle at slack bus

Real-time:

If overvoltage still detected  
→ real-time optimization

# Preventive Voltage Control under Uncertainty

## Optimization Strategy using Point Forecasts (50%-Quantile)

Hour-ahead: If overvoltage predicted in quantile  $q \rightarrow$  optimization strategy using quantile forecasts

Voltage forecast uncertainty:  $d\hat{V}_{q,k} = \hat{V}_{q,k} - \hat{V}_{50,k}, \forall q \in (0, 100), \forall k \in \Psi_B$

Minimize cost of PV active power curtailment hour-ahead

subject to

Limit on PV active power curtailment

Active/reactive power node balance

AC active/reactive power flow equations

Limit on voltage magnitude:  $0.95 \leq V_k + d\hat{V}_{q,k} \leq 1.05, \forall k \in \Psi_B$

Voltage magnitude at slack bus:  $V_1 = \hat{V}_{50,1} - d\hat{V}_{q,1}$

Angle at slack bus

Real-time:

If overvoltage still detected  
 $\rightarrow$  real-time optimization

# Preventive Voltage Control under Uncertainty

## Cost of Optimal Voltage Control Strategies

### Voltage control strategies

- $S_B$  = RT power curtailment
- $S_{50}$  = HA power curtailment using point forecasts + RT power curtailment
- $S_{44}$  = HA power curtailment using 44%-quantile forecasts + RT power curtailment
- $S_{62.5}$  = HA power curtailment using 62.5%-quantile forecasts + RT power curtailment

### Cost for active power curtailment

- Situation 1:  $C_m = 40 \frac{\text{€}}{\text{MWh}}$ ;  $C_{ib} = 63.8 \frac{\text{€}}{\text{MWh}}$
- Situation 2:  $C_m = 40 \frac{\text{€}}{\text{MWh}}$ ;  $C_{ib} = 127.6 \frac{\text{€}}{\text{MWh}}$

	$S_B$	$S_{50}$	$S_{44}$	$S_{62.5}$
HA power curtailment [MWh]	0.0	22.3	21.6	23.7
RT power curtailment [MWh]	22.3	2.1	2.4	1.5
Total power curtailment [MWh]	22.3	24.4	24	25.2
Total cost in situation 1 [€]	1422	1022	1017	1044
Total cost in situation 2 [€]	2843	1154	1172	1142

# Conclusions and Outlook

- Although the Advanced Metering Infrastructure (AMI) is still under development in most distribution grids, the generated data already offers excellent opportunities for power utilities and their customers.
  - BUT: There is a large gap between state-of-the-art practices in the power industry and the various data-driven applications proposed in the literature:
    - The power industry is conservative (principally trusts well-known and time-tested solutions) and lacks expertise to properly make use of the gathered data.
    - Literature often relies on unrealistic assumptions (full system observability, perfect data quality, same approaches as in the transmission level, case studies based on synthetic data, etc.).
    - Data protection and privacy concerns prevent the implementation of intrusive applications.
- ➔ Closer collaboration between the energy sector, start-up companies, and the scientific community.
- ➔ Set-up of real-world demonstrators (e.g., NEST on Empa site)

An aerial photograph of a mountain valley. In the center, a large, turquoise-colored lake is visible, surrounded by dark, rocky terrain. In the background, majestic snow-capped mountain peaks rise against a clear blue sky. A concrete dam is visible in the lower part of the valley, with a road or path leading towards it. The overall scene is a mix of rugged mountains, water, and some greenery in the lower slopes.

# THANK YOU!

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