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# Quantitative comparison of cascading failure models for risk analysis in power systems

Alexander David, Giovanni Sansavini

## Introduction & Motivation

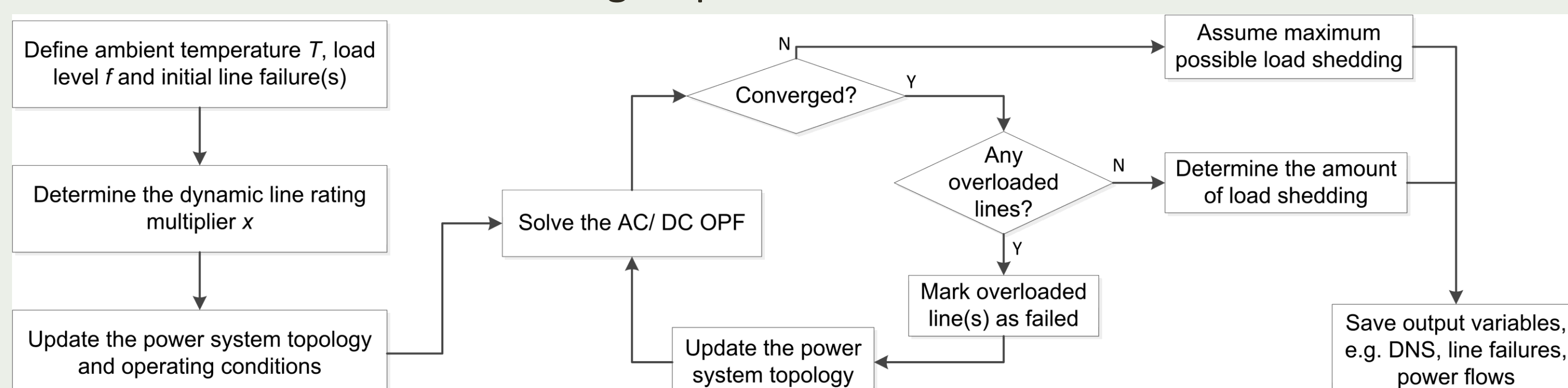
- Accurate risk assessment of power system operations crucial for decision makers such as transmission system operators to ensure a stable and reliable supply of energy to customers and prevent component overloads or even blackouts due to cascading failures
  - Computational cost of power flow simulations, in particular cascading failure analysis, increasing with increasing model complexity
  - Exclusive use of more expensive modelling methods not necessarily needed if similar conclusions can be drawn from the output of a less complex model
- Comparison of the AC OPF-based Manchester model with the computationally less expensive DC OPF-based OPA model to determine if and under what circumstances the two models lead to diverging results

## Cascading failure modeling

Both the Manchester model and the OPA model were created for cascading failure analysis and are modified to incorporate external influencing factors, i.e.,

- variable demand (by multiplying all bus loads by a factor  $f$ )
- temperature dependent transmission line capacities (dynamic line rating)

In each simulation the following sequence of actions is carried out:



## Dynamic line rating

Dynamic line rating is determined as a function of solar irradiance  $q$ , ambient temperature  $T_{amb}$  and maximum tolerable line temperature  $T_{line}^{max}$ . Using the equation of thermal equilibrium the highest possible current flow through a conductor at reference conditions can be computed:

$$I(T_{ref})^2 = \frac{\overbrace{P_{conv}(T_{ref}, T_{line}^{max})}^{\text{natural convective cooling}} + \overbrace{P_{rad}(T_{ref}, T_{line}^{max})}^{\text{radiative cooling}} - \overbrace{P_{sun}(q_{ref})}^{\text{solar heating}}}{\underbrace{R(T_{ref})}_{\text{resistivity of the conductor at reference temperature}}}$$

$T_{ref} = 20^\circ\text{C}$   
 $T_{line}^{max} = 80^\circ\text{C}$   
 $q_{ref} = 900 \frac{\text{W}}{\text{m}^2}$

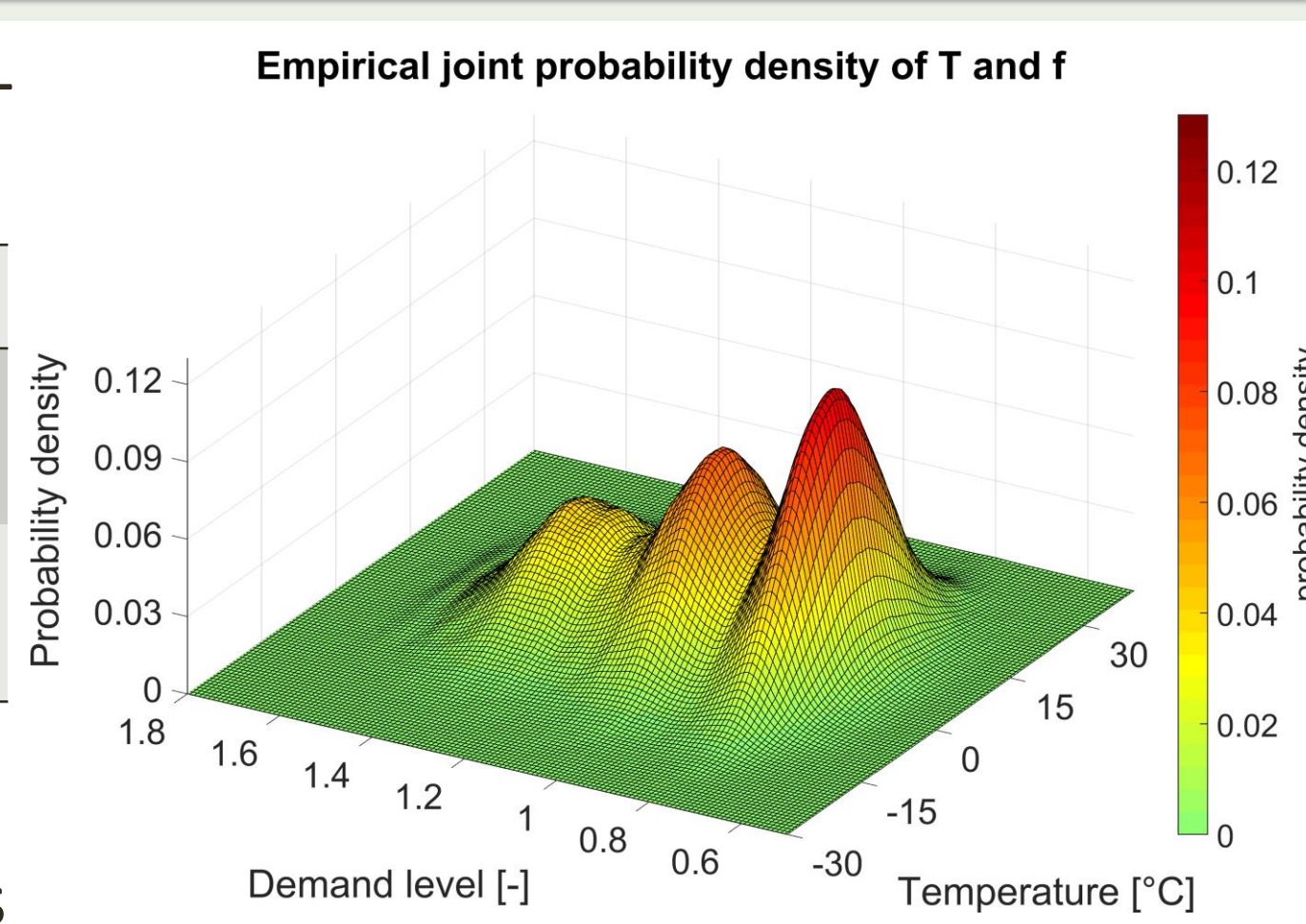
The relative decrease or increase in ampacity w.r.t. the reference conditions is then computed by the ratio  $x = I(T_{amb})/I(T_{ref})$ .

## Case study

Power flow simulations based on the IEEE-24 bus RTS at different operating points:

parameter	min	max		
ambient temperature	$T$ [°C]	-30	40	in 2°C steps
bus load (w.r.t. base load)	$f$ [%]	50	180	in 2% steps

Case 1: no initial line failures considered  
Case 2: study including initial line failures



## Definition of random line failures

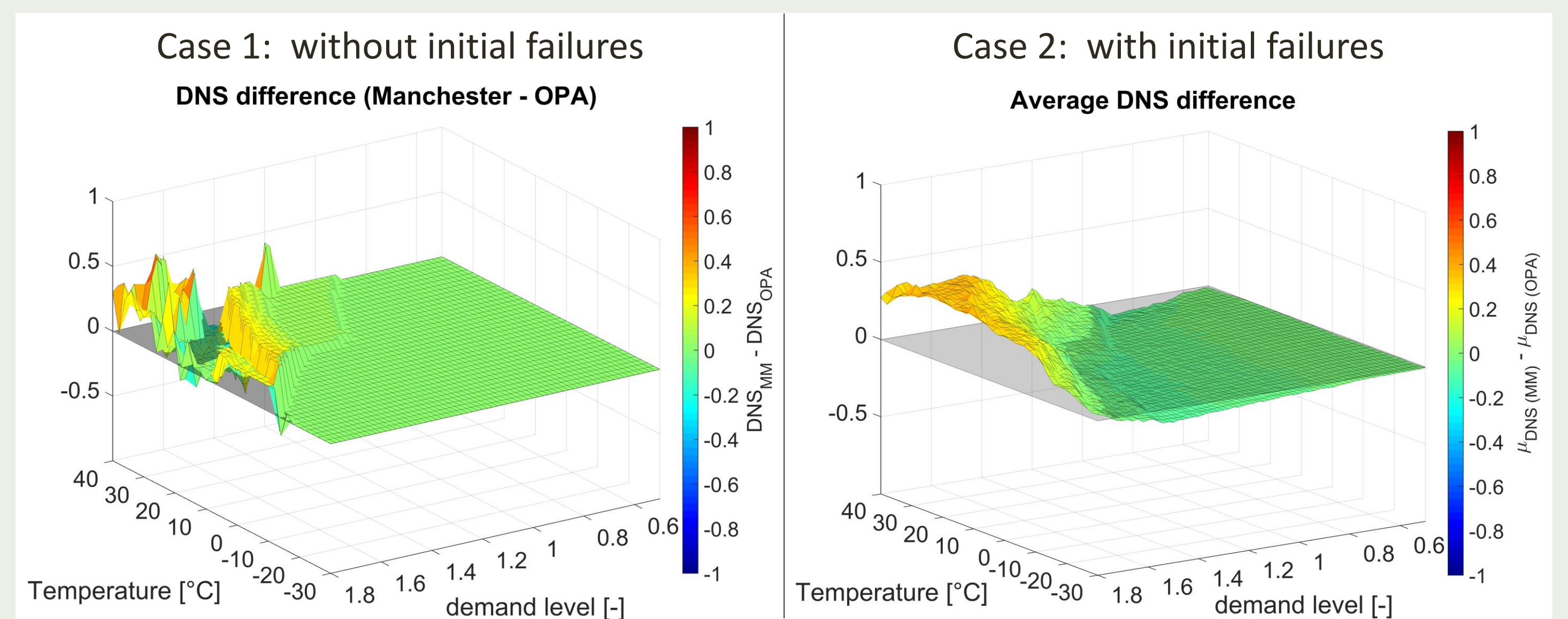
In addition to assessing the zero-failure-case

- consideration of all the possible single line failures (38)
- sampling of 961 (n-k)-contingencies with  $k > 1$

→ 1000 model evaluations for each operating point, leading to  $36 \cdot 66 \cdot 1000 = 2'376'000$  simulation runs of each model

## Comparison results

### Demand not served (DNS)



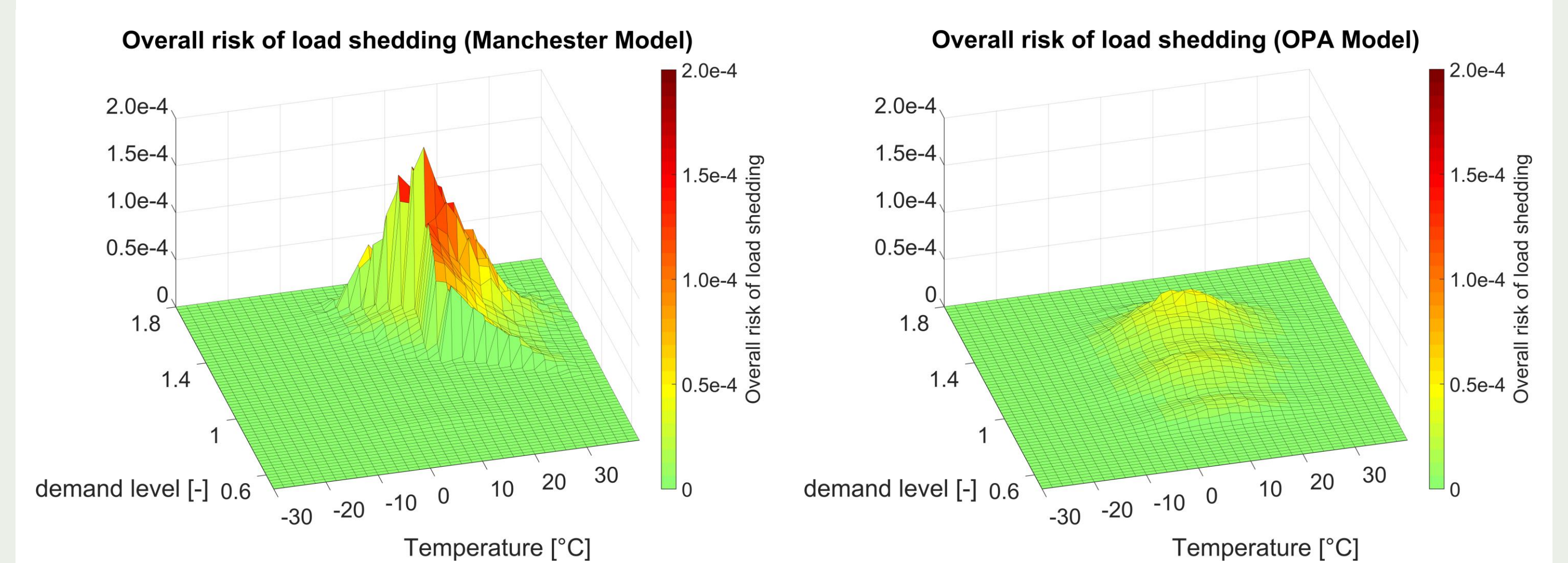
- Manchester model predicting more input conditions with  $DNS > 0$  in Case 1
- OPA model indicating higher average DNS in Case 2 except at very high  $T$  and  $f$

### Overall risk of operation $\mathfrak{R}$ (Case 2)

- Computed by multiplying the joint probability  $\hat{P}(T, f)$  by the expected DNS at a certain temperature  $T$  and demand level  $f$
- $\hat{P}(T, f)$  determined from an empirical joint PDF based on historic data

$$\mathfrak{R}(T, f) = \hat{P}(T, f) \cdot \sum_i DNS_i(T, f) \cdot (0.01)^{n_{fail}^i}$$

$DNS_i \dots$  DNS at contingency  $i$   
 $0.01 \dots$  single line failure probability  
 $n_{fail}^i \dots$  number of line failures



- OPA model predicts elevated risk for a larger fraction of the input space (1024 vs. 593 out of 2376 points) due to higher average DNS at lower temperature and demand levels
- elevated risk area includes almost all points identified by the Manchester model
- for those points, the Manchester model shows noticeably higher risk values than the OPA model

## Line Criticality

most frequently failed lines (by ID) immediately after an initial failure

Rank	1	2	3	4	5	6	7	8	9	10
Manchester Model	10	11	23	28	18	17	12	5	7	6
OPA Model	11	23	28	10	18	3	17	36	37	29
<b>Overlap (indep. of rank)</b>	<b>100%</b>					<b>20%</b>				

- perfect overlap in the five most vulnerable lines (if the order is neglected)
- conformity rapidly decreasing beyond that

## Conclusions

- Identification of the same five most critical lines by both models
- OPA model results indicating larger area of elevated risk than Manchester model in Case 2
- Manchester model assigning significantly higher risk within the detected area
- Manchester model showing higher fraction of  $DNS > 0$  points in Case 1

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